

# *Cosmology and the Particle Accelerator Connection*

Géraldine SERVANT

CERN Physics department, Theory Unit

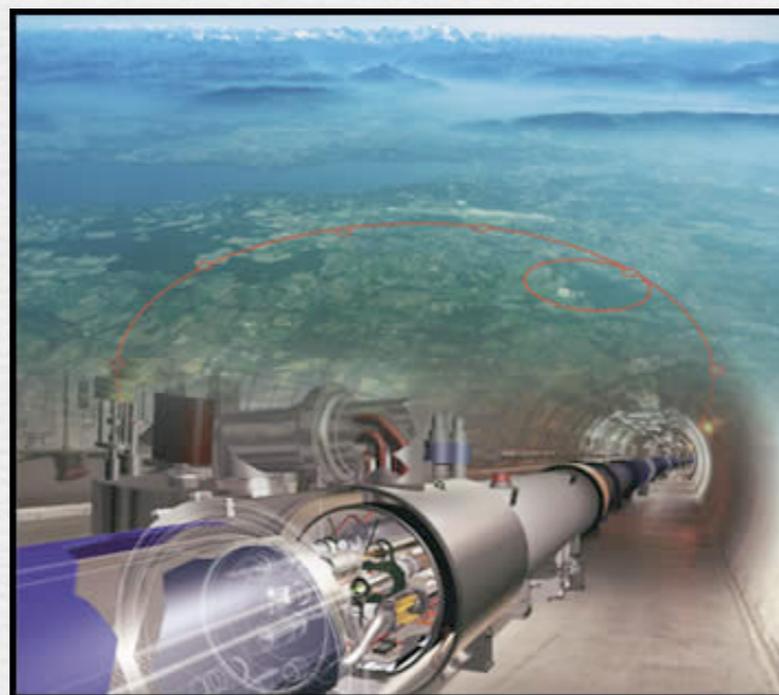


2010: First collisions at the LHC ?

Direct exploration of the Fermi scale starts.

main physics goal:

What is the mechanism of Electroweak Symmetry breaking ?



# The Standard Model of Particle Physics

$$\mathcal{L}_{\text{Standard Model}} = - F_{\mu\nu}^a F^{a\mu\nu} + (\lambda_{ij} \Psi_i \Psi_j h + \text{h.c.}) + N_i M_{ij} N_j + |D_\mu h|^2 - V(h)$$

$SU(3)_C \times SU(2)_L \times U(1)_Y$

gauge sector

flavour sector

neutrino mass sector (if Majorana)

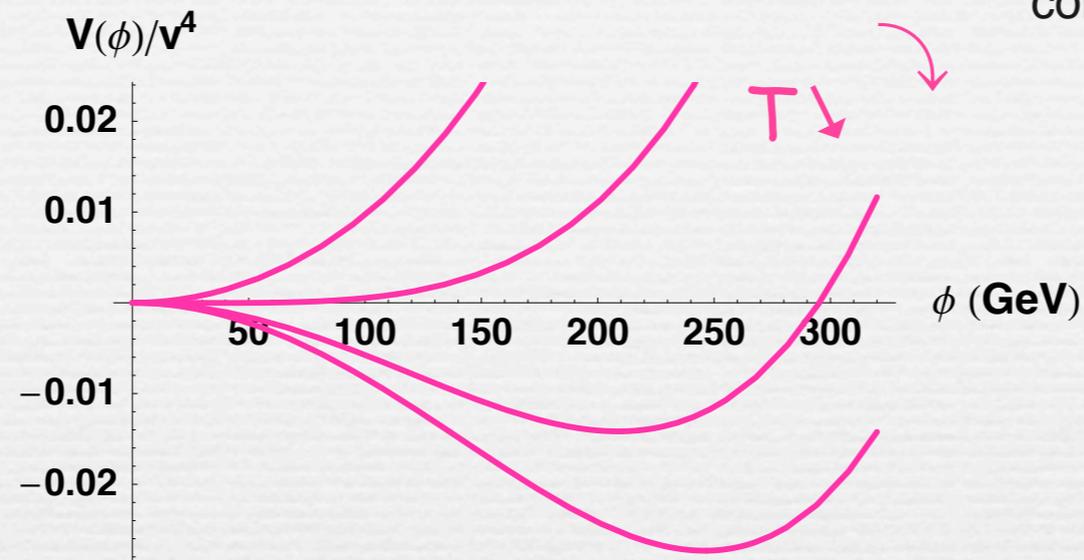
electroweak symmetry breaking sector

- one century to develop it
- tested with impressive precision
- accounts for all data in experimental particle physics

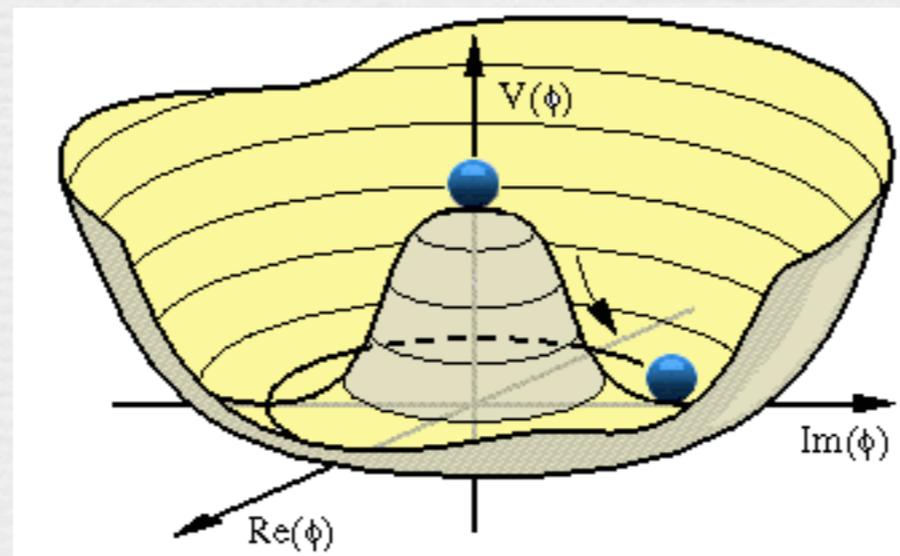
The Higgs is the only remaining unobserved piece  
and a portal to new physics hidden sectors

# Higgs Mechanism

EW symmetry breaking is described by the condensation of a scalar field



The Higgs selects a vacuum state by developing a non zero background value. When it does so, it gives mass to SM particles it couples to.

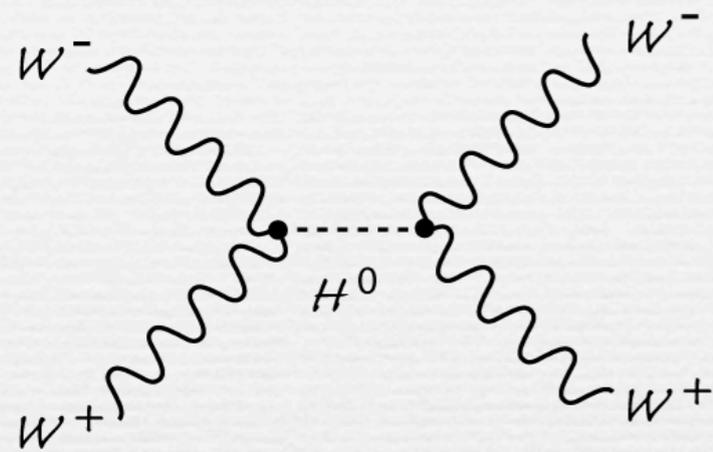


the puzzle:

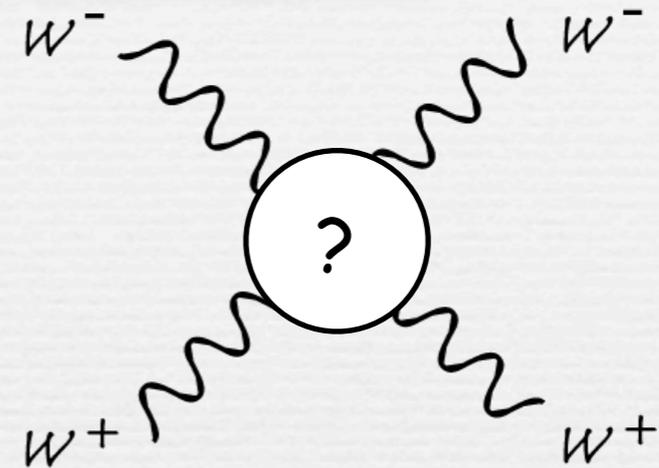
We do not know what makes the Higgs condensate.  
We ARRANGE the Higgs potential so that the Higgs condensates but this is just a parametrization that we are unable to explain dynamically.

# Electroweak symmetry breaking: 2 main questions

- What is unitarizing the  $W_L W_L$  scattering amplitude?

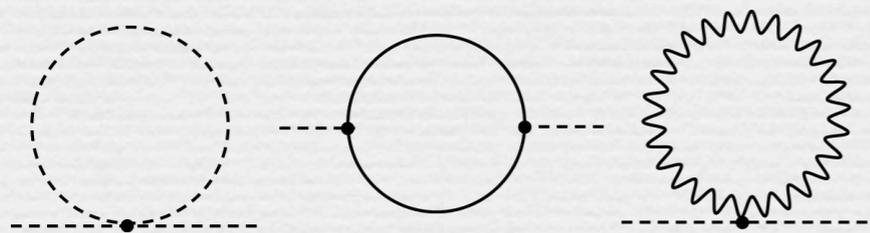


the Higgs or something else?



- What is cancelling the divergent diagrams?

(i.e what is keeping the Higgs light?)  
: Hierarchy problem



$$\Rightarrow \delta M_H^2 \propto \Lambda^2$$

$\Lambda$ , the maximum mass scale  
that the theory describes

strong sensitivity on UV unknown physics

need new degrees of freedom & new symmetries to cancel the divergences

supersymmetry, gauge-Higgs unification, Higgs as a pseudo-goldstone boson...

→ theoretical need for new physics at the TeV scale

# Which new physics?

Supersymmetric

Minimally extended  
(2 Higgs doublets)

Electroweak  
symmetry breaking

Higgsless,  
technicolor-like,  
5-dimensional

Composite, Higgs as  
pseudo-goldstone  
boson,  $H=A_5$

In all explicit examples, without unwarranted cancellations, new phenomena are required at a scale  $\Lambda \sim [3-5] \times M_{\text{Higgs}}$

## Which Higgs ?

- ▶ Composite Higgs ?
- ▶ Little Higgs ?
- ▶ Littlest Higgs ?
- ▶ Intermediate Higgs ?
- ▶ Slim Higgs ?
- ▶ Fat Higgs ?
- ▶ Gauge-Higgs ?
- ▶ Holographic Higgs ?
- ▶ Gaugephobic Higgs ?
- ▶ Higgsless ?
- ▶ UnHiggs ?
- ▶ Portal Higgs ?
- ▶ Simplest Higgs ?
- ▶ Private Higgs ?
- ▶ Lone Higgs ?
- ▶ Phantom Higgs ?

# Imagine what our universe would look like if electroweak symmetry was not broken

- quarks and leptons would be massless

-mass of proton and neutrons (QCD confines quarks into color singlet hadrons) would be a little changed

-proton becomes heavier than neutron! no more stable

-> no hydrogen atom

-> very different primordial nucleosynthesis

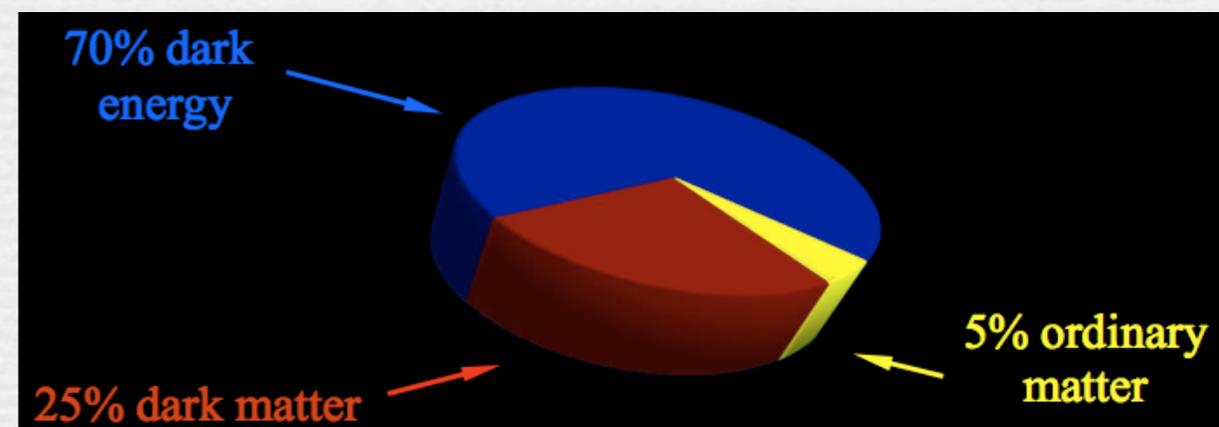
-> a profoundly different (and terribly boring) universe

# Most recent experimental successes

- ▶ top discovery
- ▶ Solar, atmospheric & terrestrial neutrino oscillations
- ▶ Direct CP violation in K mesons
- ▶ CP violation in B mesons
- ▶ Validation of quantum properties of Standard Model
- ▶ Observation of accelerated expansion of the universe
- ▶ Determination of the energy/matter content of the universe

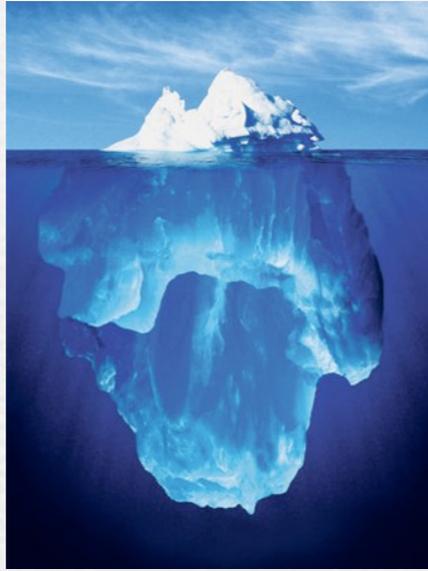
Nevertheless:

We're lacking the understanding of 95 % of the energetic content of the universe



# 2 major observations unexplained by the Standard Model

- the Dark Matter of the Universe



} 15% baryonic matter (1% in stars, 14% in gas)

} 85% dark unknown matter

- the (quasi) absence of antimatter in the universe

baryon asymmetry:  $\frac{n_B - n_{\bar{B}}}{n_B + n_{\bar{B}}} \sim 10^{-10}$

→ observational need for new physics

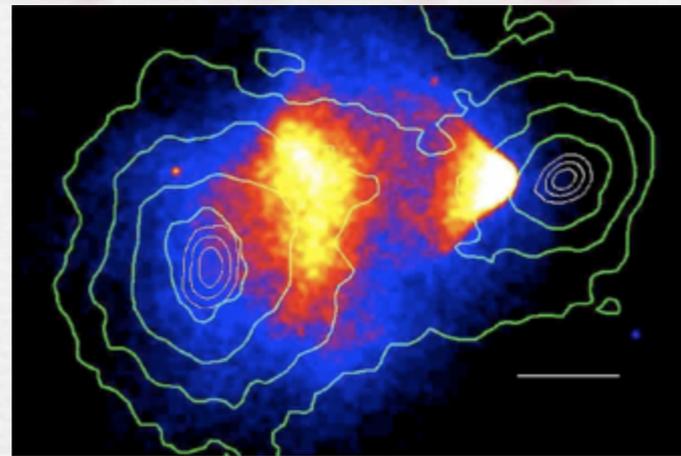
→ what does this have to do with the TeV scale?

The existence of (Cold) Dark Matter has been established by a host of different methods; it is needed on all scales

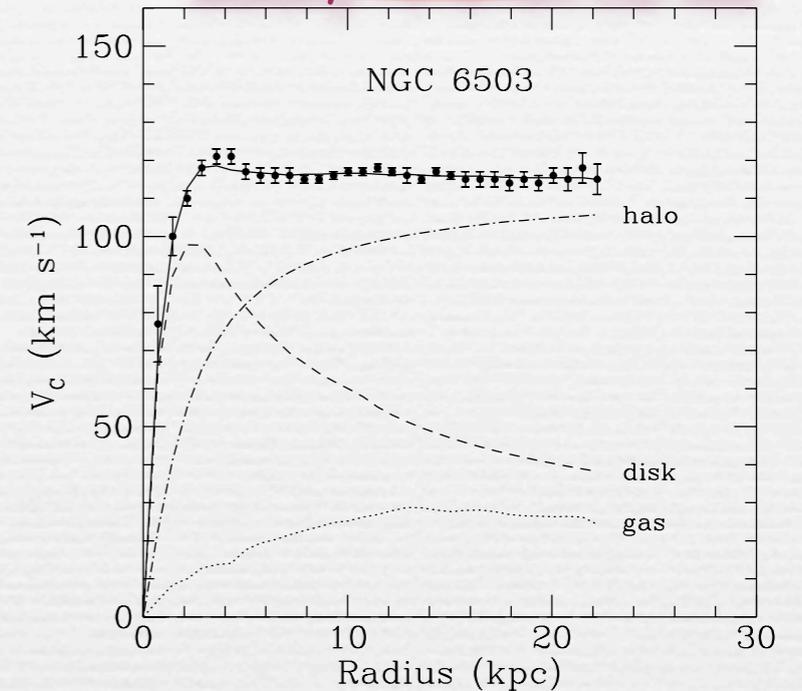
Gravitational lensing



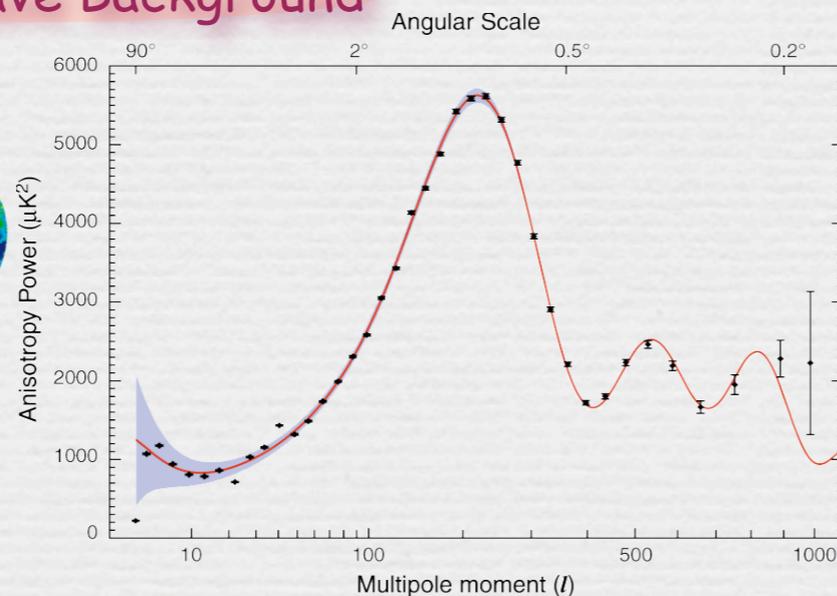
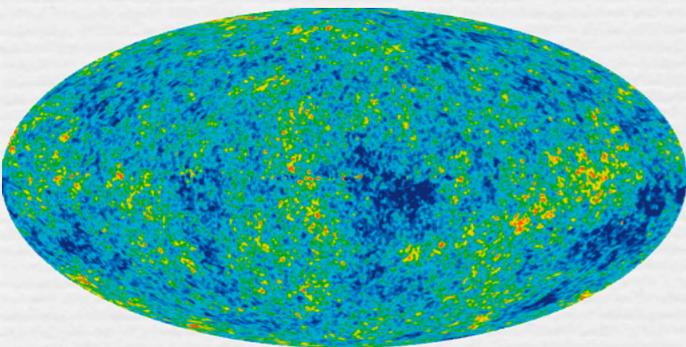
The "Bullet cluster": lensing map versus X-ray image



Galaxy rotation curves



Cosmic Microwave Background



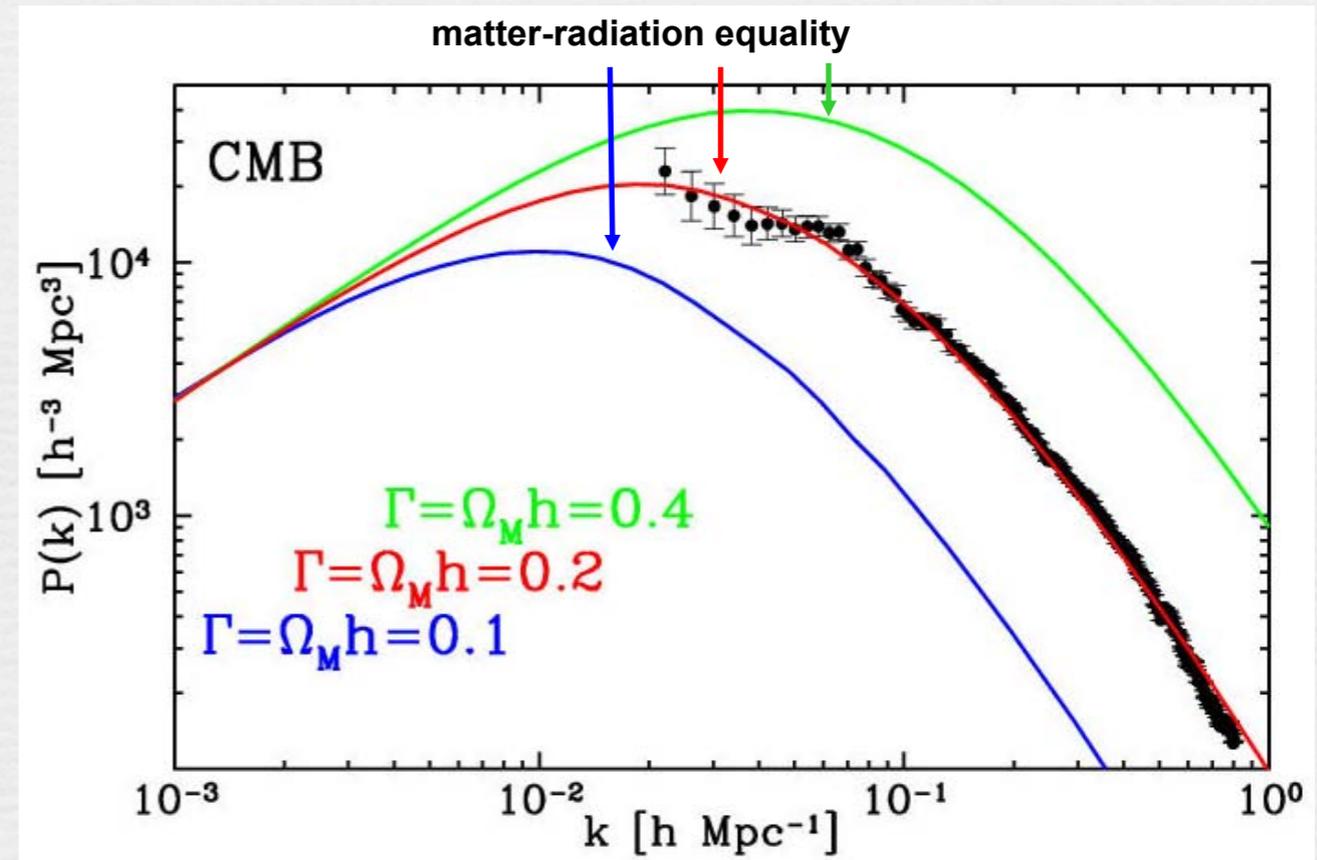
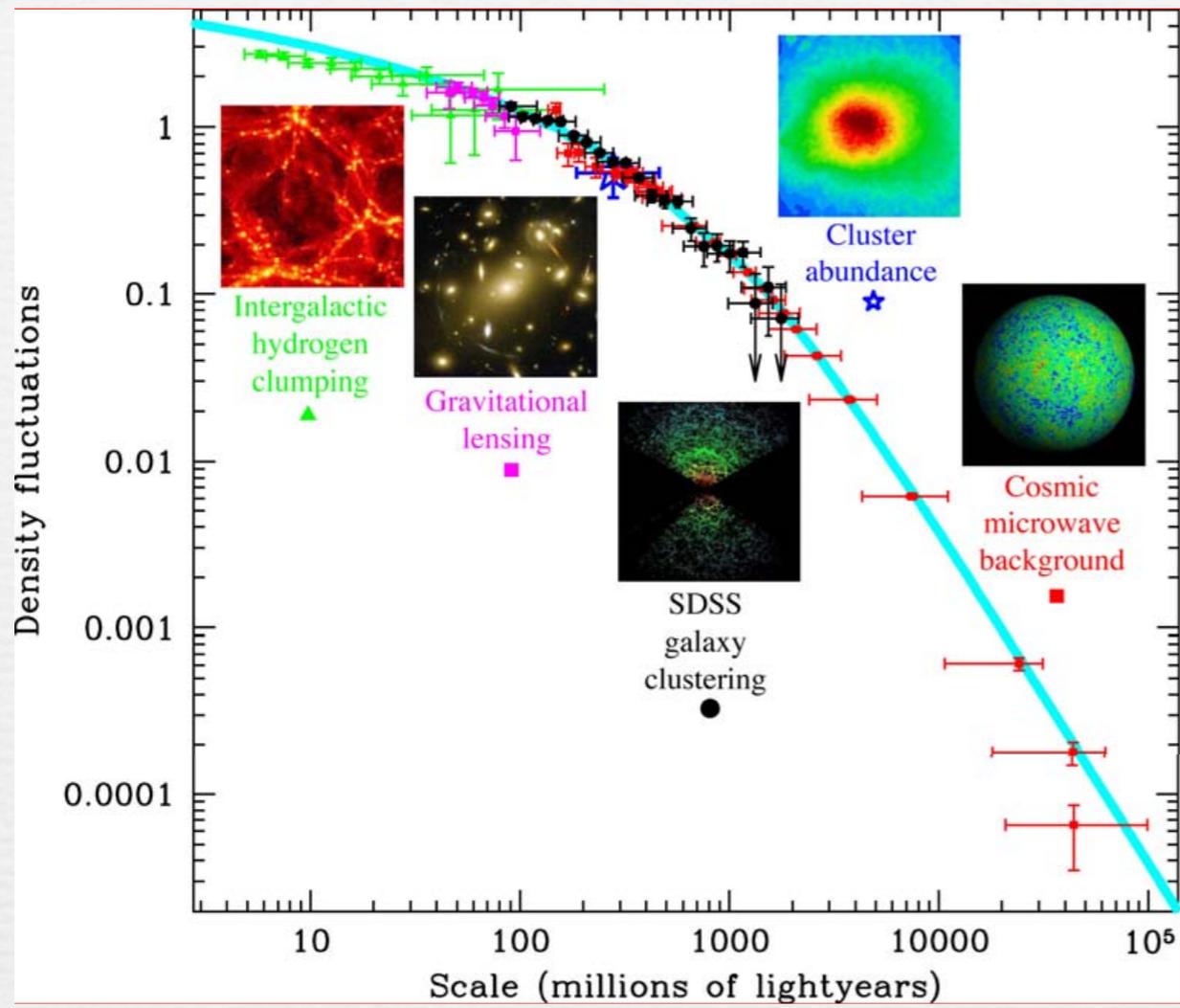
... etc

-> Fraction of the universe's energy density stored in dark matter :  
 $\Omega_{DM} \approx 0.22$

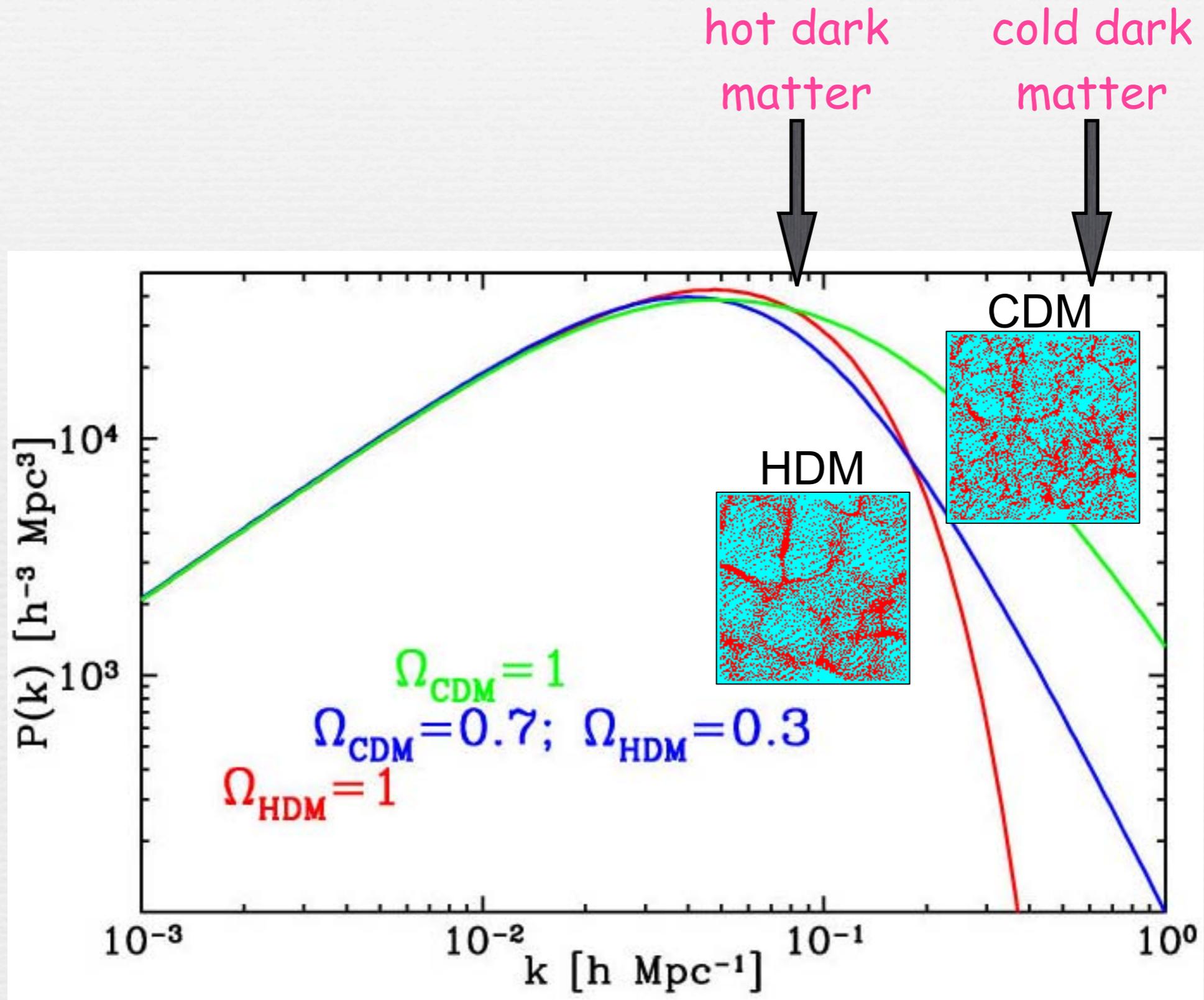
The picture from astrophysical and cosmological observations is getting more and more focussed

DM properties are well-constrained (gravitationally interacting, long-lived, not hot, not baryonic) but its identity remains a mystery

# Matter power spectrum



# Neutrinos



# Dark matter candidates: two main possibilities

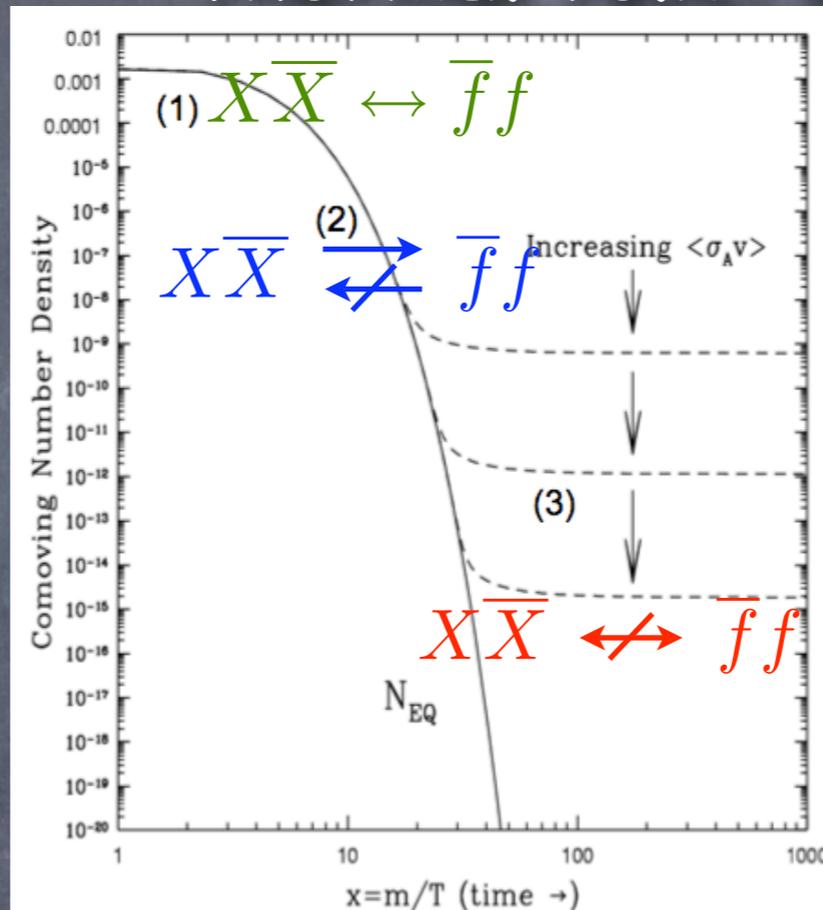
very light & only gravitationally coupled (or with equivalently suppressed couplings) → stable on cosmological scales

sizable (but not strong) couplings to the SM → symmetry needed to guarantee stability

Thermal relic:  $\Omega h^2 \propto 1/\langle \sigma_{\text{anni}} v \rangle$

Production mechanism is model-dependent, depends on early-universe cosmology

ex: meV scalar with  $1/M_{\text{Pl}}$  couplings (radion)



⇒  $\langle \sigma_{\text{anni}} v \rangle = 0.1 \text{ pb}$

The “WIMP miracle”

$\sigma \sim \alpha^2/m^2$

⇒  $m \sim 100 \text{ GeV}$

Very general, does not depend on early universe cosmology, only requires the reheat temperature to be  $\geq m/25$  (= weak requirement)

an alternative: superWIMPs (where most often the above calculation is still relevant since SuperWIMPs

are produced from the WIMP decay) ex: gravitino, KK graviton

Dependence on reheat temperature

# Dark Matter and the Fermi scale

Fraction of the universe's energy density stored in a stable massive thermal relic:

$$\Omega_{\text{DM}} \approx \frac{0.2 \text{ pb}}{\sigma_{\text{anni}}}$$

→ a particle with a typical Fermi-scale cross section  $\sigma_{\text{anni}} \approx 1 \text{ pb}$  leads to the correct dark matter abundance.

a compelling coincidence  
(the "WIMP miracle")

Which particle? How to test this hypothesis?

# New symmetries at the TeV scale and Dark Matter

to cut-off quadratically divergent quantum corrections to the Higgs mass



New TeV scale physics needed



tension with precision tests of the SM in EW & flavor sector (post-LEP "little hierarchy pb")



introduce new discrete symmetry  $P$

R-parity in SUSY, KK parity in extra dim,  
T parity in Little Higgs ...



Lightest  $P$ -odd particle is stable

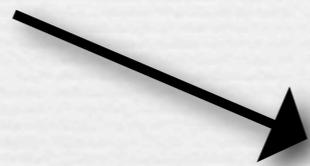


DM candidate

# *Work out properties of new degrees of freedom*

The stability of a new particle is a common feature of many models

mass spectrum,  
interactions



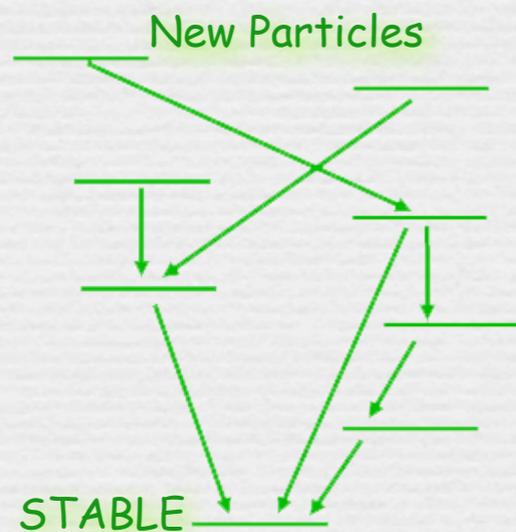
dark matter candidates



relic  
abundance



detection  
signatures & rates



Standard Model  
Particles

# Model building beyond the Standard Model: "historical" overview

---

SUSY

[70ies to now]

R-parity  $\rightarrow$  LSP

ADD

[98-99]

RS

[99 to now]

the attitude:

Naturalness is what matters, dark matter is a secondary issue

Big hierarchy addressed

UED

[2001 to now]

KK-parity  $\rightarrow$  LKP  
[2002]

Little Higgs

[2002-2004]

T-parity  $\rightarrow$  LTP  
[2003]

Lower your ambition (no attempt to explain the  $M_{EW}/M_{Pl}$  hierarchy); rather put a  $\sim$  TeV cutoff

Little hierarchy addressed

"Minimal" SM extensions

[2004 to now]

assume discrete symmetry, typically a  $Z_2$

Give up naturalness, focus on dark matter and EW precision tests. Optional: also require unification

Big & little hierarchy pbs ignored

# Dark Matter Candidates

	$M_{EW}/M_{Pl}$ hierarchy addressed	little hierarchy addressed ( $\sim$ TeV cutoff)	Hierarchy pb ignored
<b>SPIN 0</b> - axion } (not wimps) - radion } - branon } - singlet scalar - adjoint scalar (=spinless photon)	× ? ?	×	× ×
<b>SPIN 1/2</b> - Dirac neutrino - SU(2) p-uplet - neutralino - axino	× (in RS) × ×		×
<b>SPIN 1</b> - Heavy photon (KK or B-partner in Little Higgs)		×	
<b>SPIN 3/2</b> - Gravitino	×		
<b>SPIN 2</b> - KK Graviton		× (in UED)	

# Dark matter theory

dark matter model building until ~2004: mainly theory driven

largely motivated by hierarchy pb:

SUSY+R-parity,

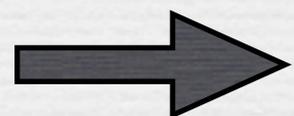
Universal Extra Dimensions + KK parity

Little Higgs models+ T-parity

in last few years --> questioning of naturalness as a  
motivation for new physics @ the Weak scale

"minimal approach": focus on dark matter only and do not rely on  
models that solve the hierarchy problem

+ various "hints" (?...): DAMA, INTEGRAL, PAMELA, ATIC



dark matter model building since ~2008: data driven

a typical example of the "minimal approach": *The Inert Doublet Model (IDM)*

Deshpande-Ma'78; Barbieri-Hall-Rychkov 06

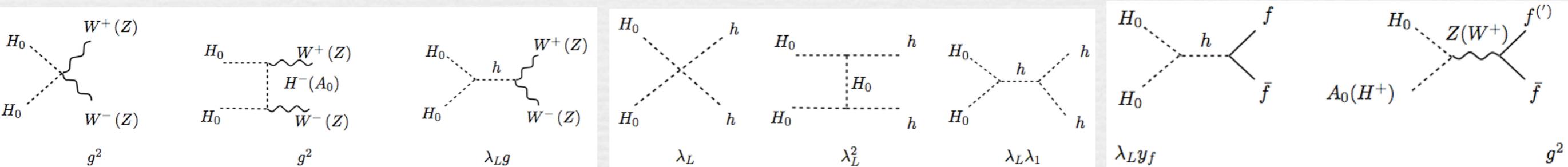
Lopez Honorez-Nezri-Oliver-Tytgat 06; Gerard-Herquet'07 ; Hambye, Tytgat 07 .....

A two-Higgs extension of the SM with an unbroken  $Z_2$  symmetry

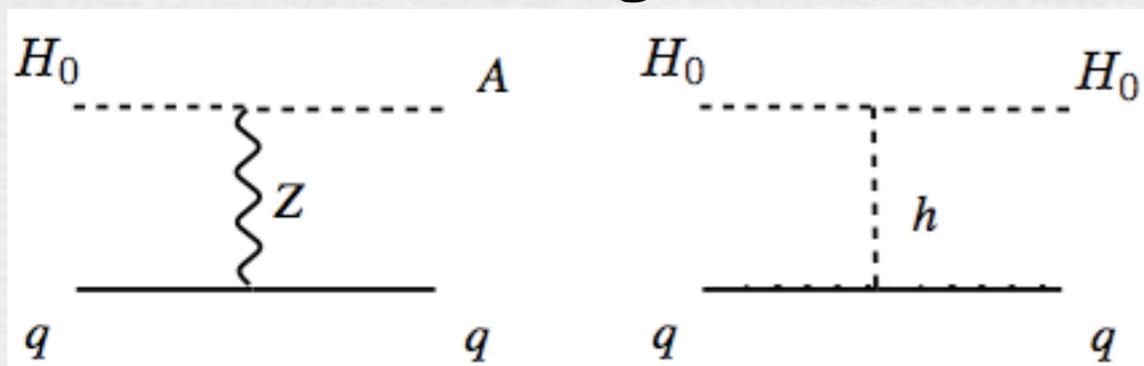
$H_1 \rightarrow H_1$  and  $H_2 \rightarrow -H_2$  (and all SM fields are even)

$$V = \mu_1^2 |H_1|^2 + \mu_2^2 |H_2|^2 + \lambda_1 |H_1|^4 + \lambda_2 |H_2|^4 + \lambda_3 |H_1|^2 |H_2|^2 + \lambda_4 |H_1^\dagger H_2|^2 + \frac{\lambda_5}{2} [(H_1^\dagger H_2)^2 + h.c.]$$

Annihilation:



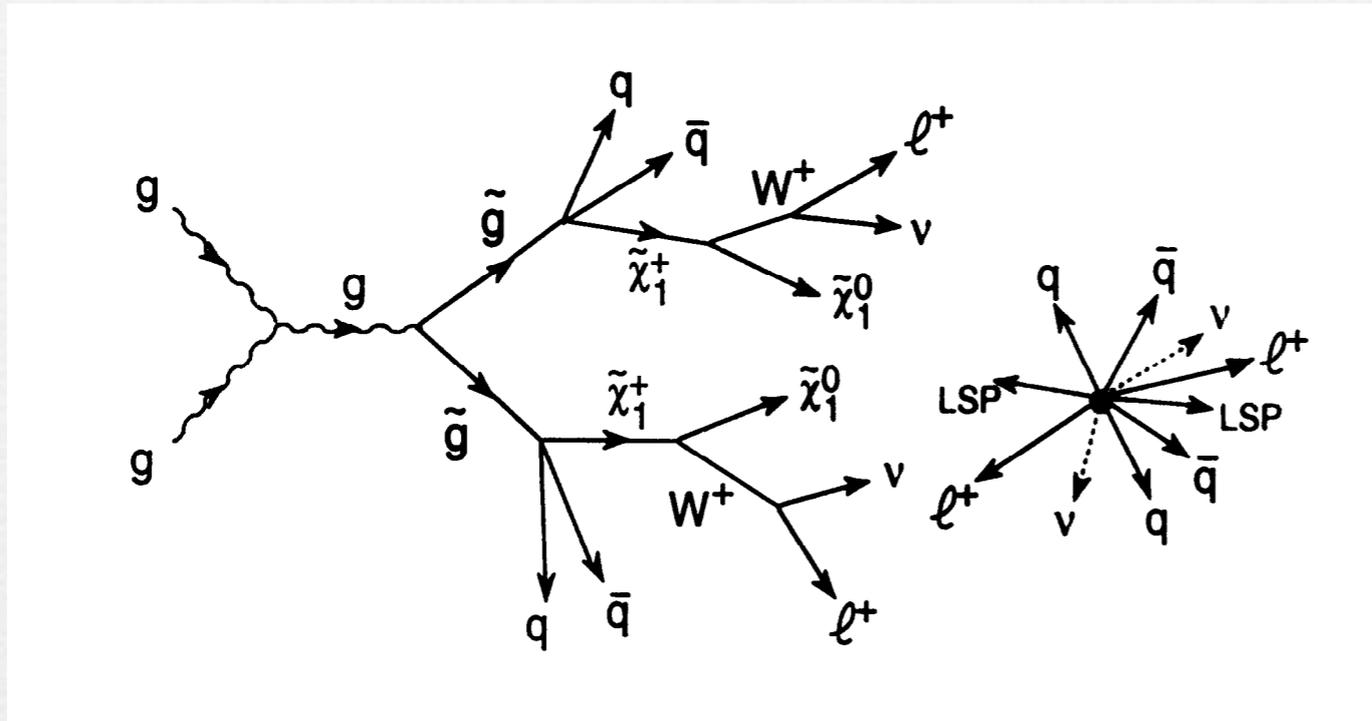
Elastic scattering:



$\sigma \sim O(10^{-9})$  pb, within sensitivity of future experiments

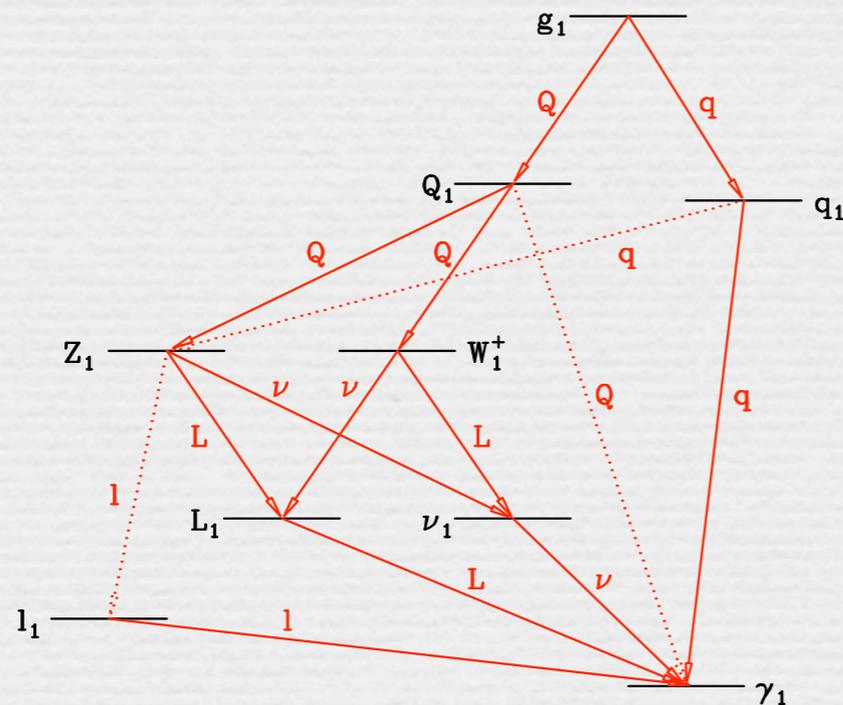


# Typical SUSY decay chain



Lots of jets  
Lots of leptons  
Lots of missing energy

easily mimicked by Kaluza-Klein decay chain:

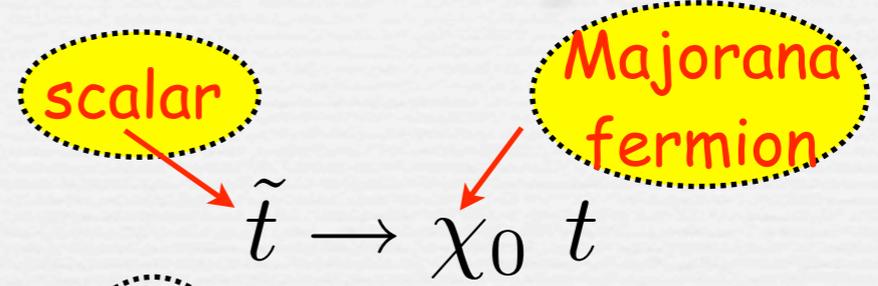


# Example of a common signature:

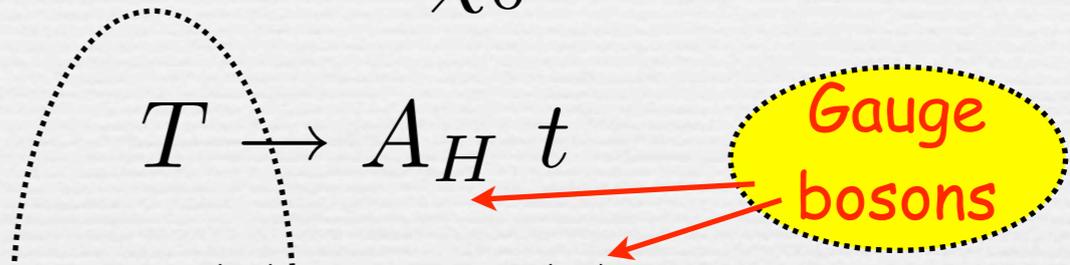
$$t \bar{t} + \text{large } \cancel{E}_T$$

from pair-production of top partners that decay into DM

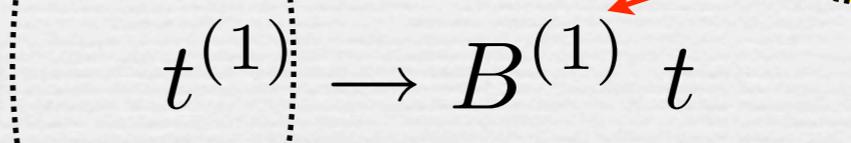
SUSY:



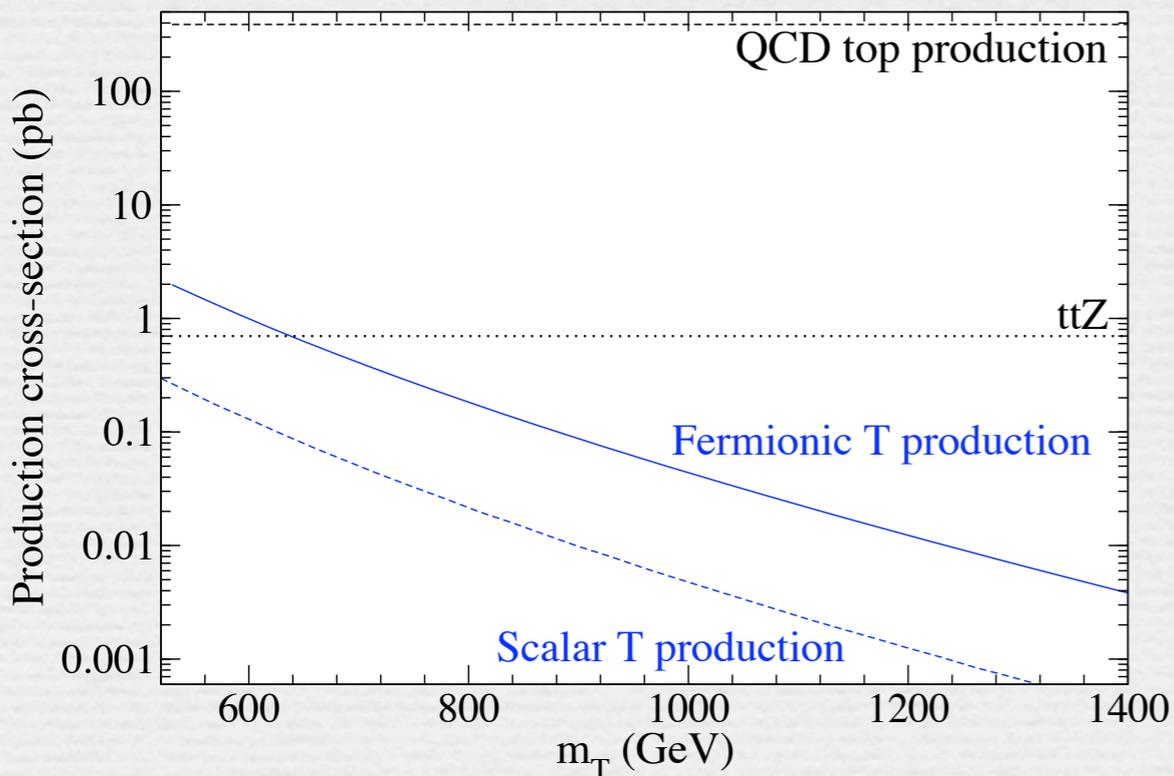
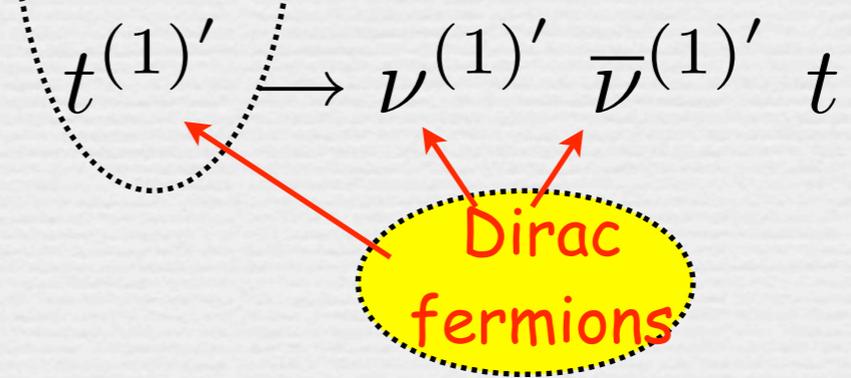
Little Higgs



Universal extra dimensions



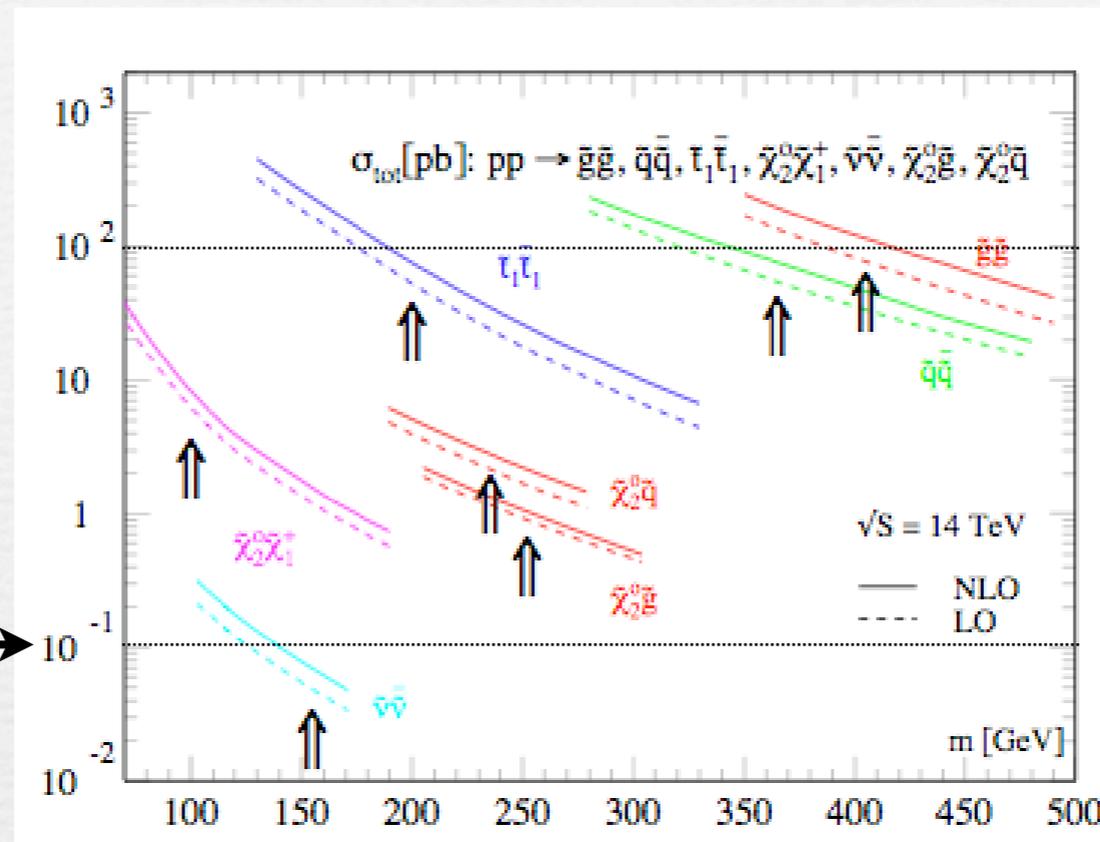
Randall-Sundrum GUTs



# Event rate

100 evts in 1 pb<sup>-1</sup> →

100 evts in 1 fb<sup>-1</sup> →



$$L \sim 10^{33} \text{ cm}^{-2} \text{ s}^{-1} \sim 10 \text{ fb}^{-1} \text{ year}^{-1}$$

$$\sigma \sim O(10) \text{ pb} \implies \sim 10^5 \text{ wimps/year}$$

Detecting large missing energy events will not be enough to prove that we have produced dark matter (with lifetime  $> H^{-1} \sim 10^{17} \text{ s}$ )

LHC: not sufficient to provide all answers

LHC sees missing energy events and measures mass for new particles

but what is the underlying theory?

Spins are difficult to measure (need for  $e^+ e^-$  Linear Collider)

Solving the Dark Matter problem requires

1) detecting dark matter in the galaxy (from its annihilation products)

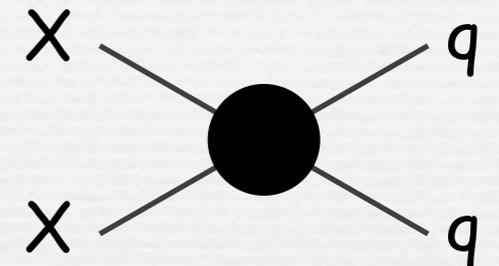
2) studying its properties in the laboratory

3) being able to make the connection between the two

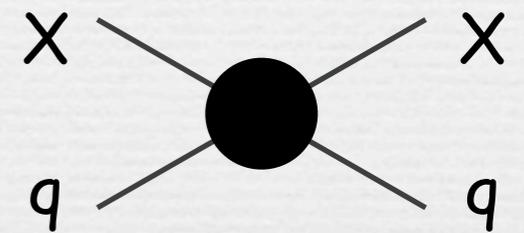
Need complementarity of particle astrophysics (direct/indirect experiments)  
to identify the nature of the Dark Matter particle

# 1 pb : the typical cross section

1 pb : typical annihilation cross section of wimps at freeze out for giving the correct abundance today

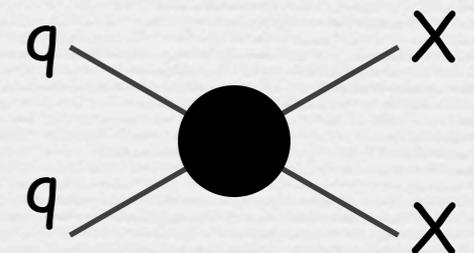


1 pb : typical scattering cross section of wimps with nuclei  
(-> relevant for direct detection experiments like CDMS)



$$[\sigma_n \sim (m_n^2/\mu^2)/A^2] \sigma_0 \sim 10^{-7} \text{ pb}]$$

1 pb : typical cross section for wimp production at LHC  
(from  $\sim 500 \text{ GeV}$  gluino pair production)



## WIMP direct detection

Because they interact so weakly, Wimps drifting through the Milky Way pass through the earth without much harm.

Just a few Wimps are expected to collide elastically upon terrestrial nuclei, partially transferring to them their kinetic energy.

Direct detection consists in observing the recoiled nuclei.

## Energy of recoiled nuclei

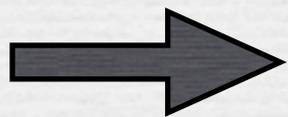
An incoming wimp with velocity  $v$  interacts upon a nucleus at rest to which a momentum  $q$  is transferred. The energy deposited in the detector by this collision is:

$$E_{recoil} = \frac{|\mathbf{q}|^2}{2M_{nucleus}}$$

$$|\mathbf{q}|^2 = 2\mu^2 v^2 (1 - \cos \theta)$$

momentum transfer      reduced mass      scattering angle in center of mass frame

typical velocity:  $v \sim 300 \text{ km.s}^{-1} \sim 10^{-3}c$



typical recoil energy:

$$E_{recoil} \sim M_{nucleus} v^2 \sim 1 - 100 \text{ keV}$$

# Event rate

$$\frac{dR}{dE_{recoil}} = \frac{\sigma_0 \rho}{2 M_{wimp} \mu^2} \overset{\text{nuclear form factor}}{F^2(|\mathbf{q}|)} \int_{v_{min}}^{v_{max}} \overset{\text{distribution of wimp velocities}}{\frac{f(v)}{v}} dv$$

dark matter density  
in galactic halo:

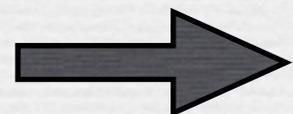
$$\rho \approx 0.3 \text{ GeVcm}^{-3}$$

$$\approx 3000 \text{ Wimps.m}^{-3} \text{ if } m \approx 100 \text{ GeV}$$

$v_{max} \sim 650 \text{ km/s}$  (galactic escape velocity)

$$v_{min} = \sqrt{E_{recoil} M_{nucleus} / 2\mu^2}$$

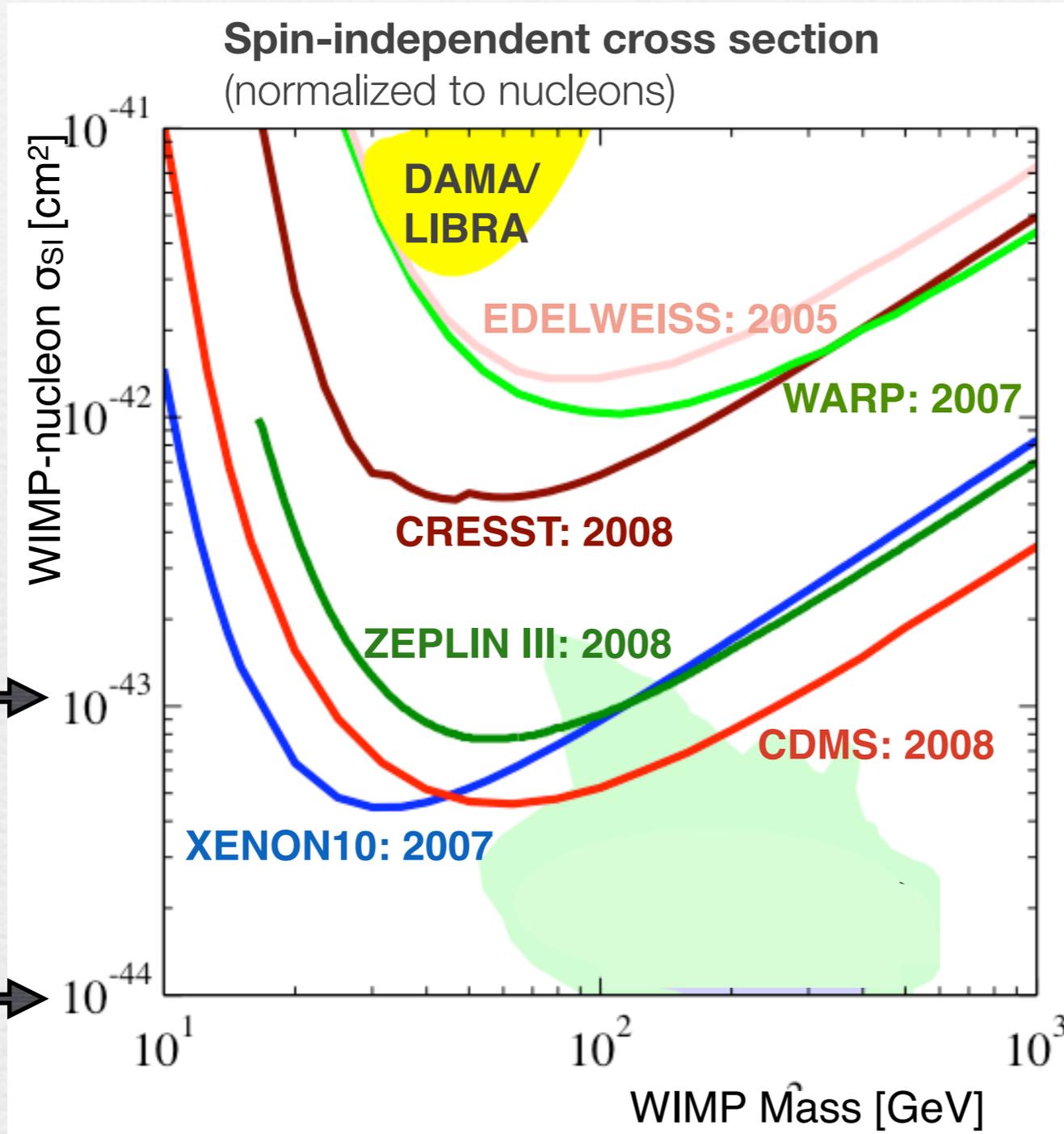
$\sigma_0$  : cross section at zero momentum transfer; contains model-dependent factors



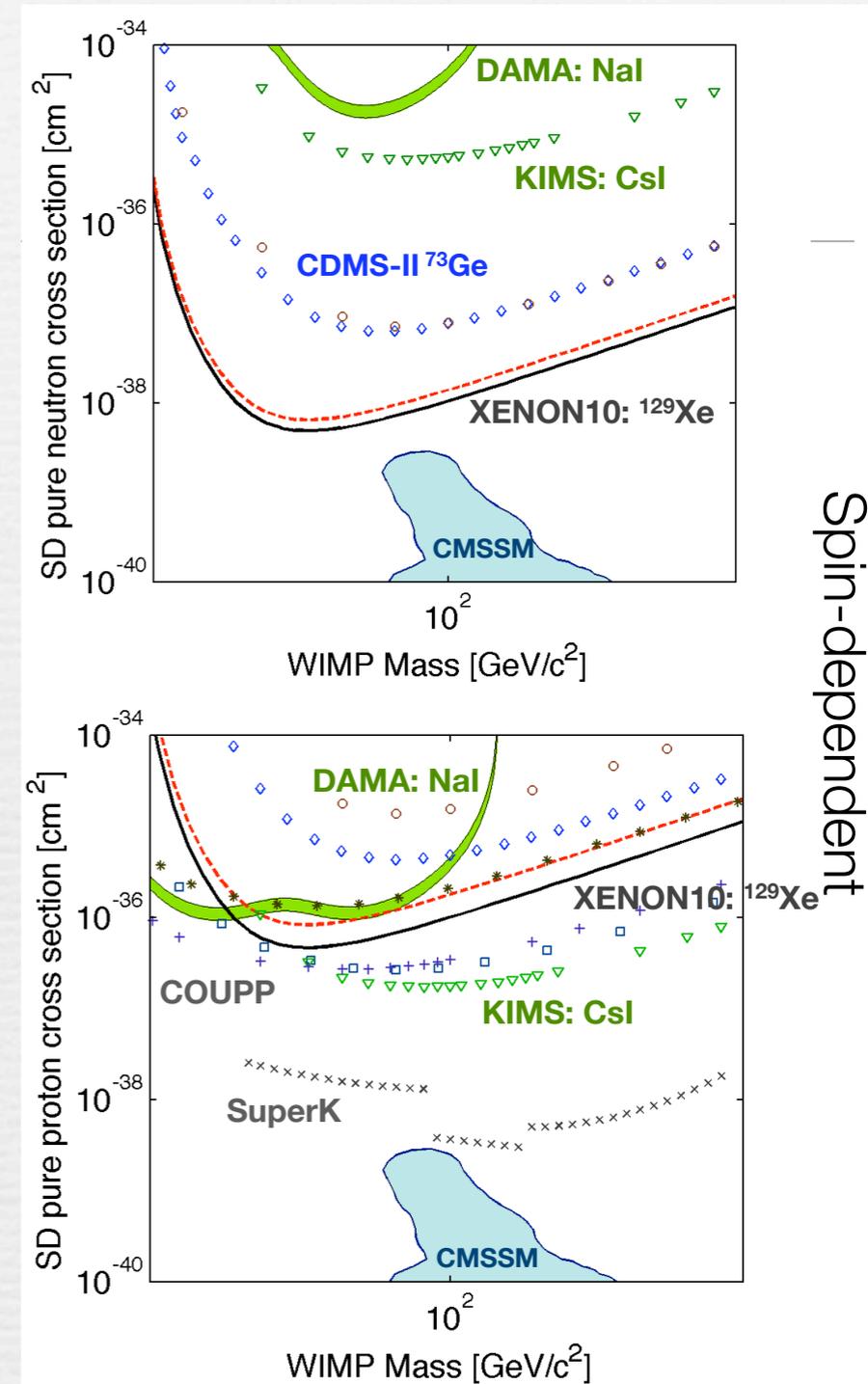
**< 1 event/100kg/day if wimp-nucleon cross section is  $10^{-7}$  pb**

$$(\sigma_n / \sigma_0 \sim (m_n^2 / \mu^2) / A^2)$$

# Experimental results

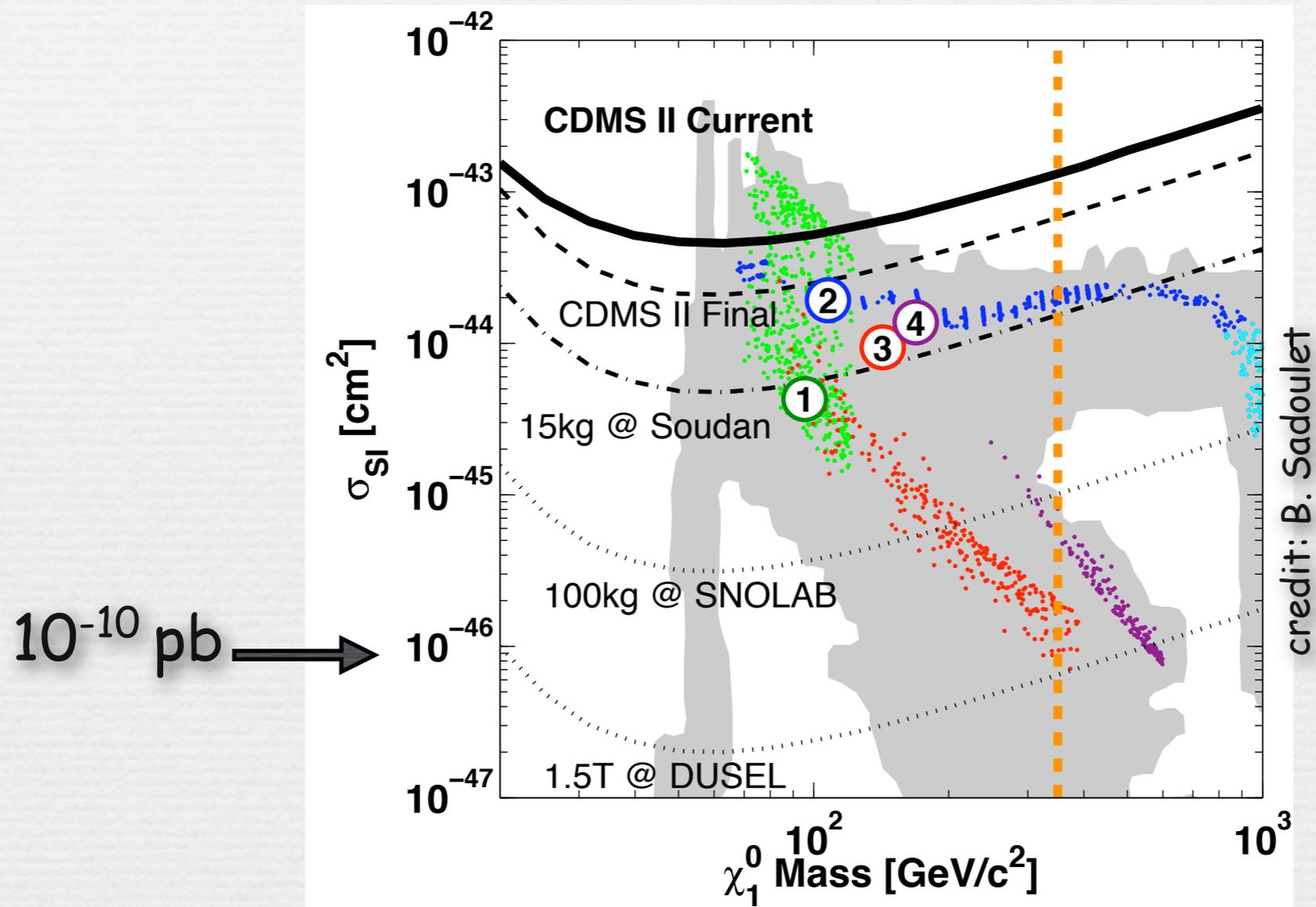


$\sigma_0^{SI} \sim A^2$ , benefits from coherent scattering



$\sigma_0^{SD} \sim J(J+1)$

# Future prospects



## WIMP indirect detection

number of annihilation events between two wimps from the local halo

$$N \sim n^2 \sigma v \cdot V \cdot T$$

$$n \approx 3 \cdot 10^{-3} \text{ cm}^{-3} \quad \text{if } m \approx 100 \text{ GeV}$$

$$\sigma v \sim 1 \text{ pb} \cdot 10^{-3} \sim 10^{-12} \text{ GeV}$$

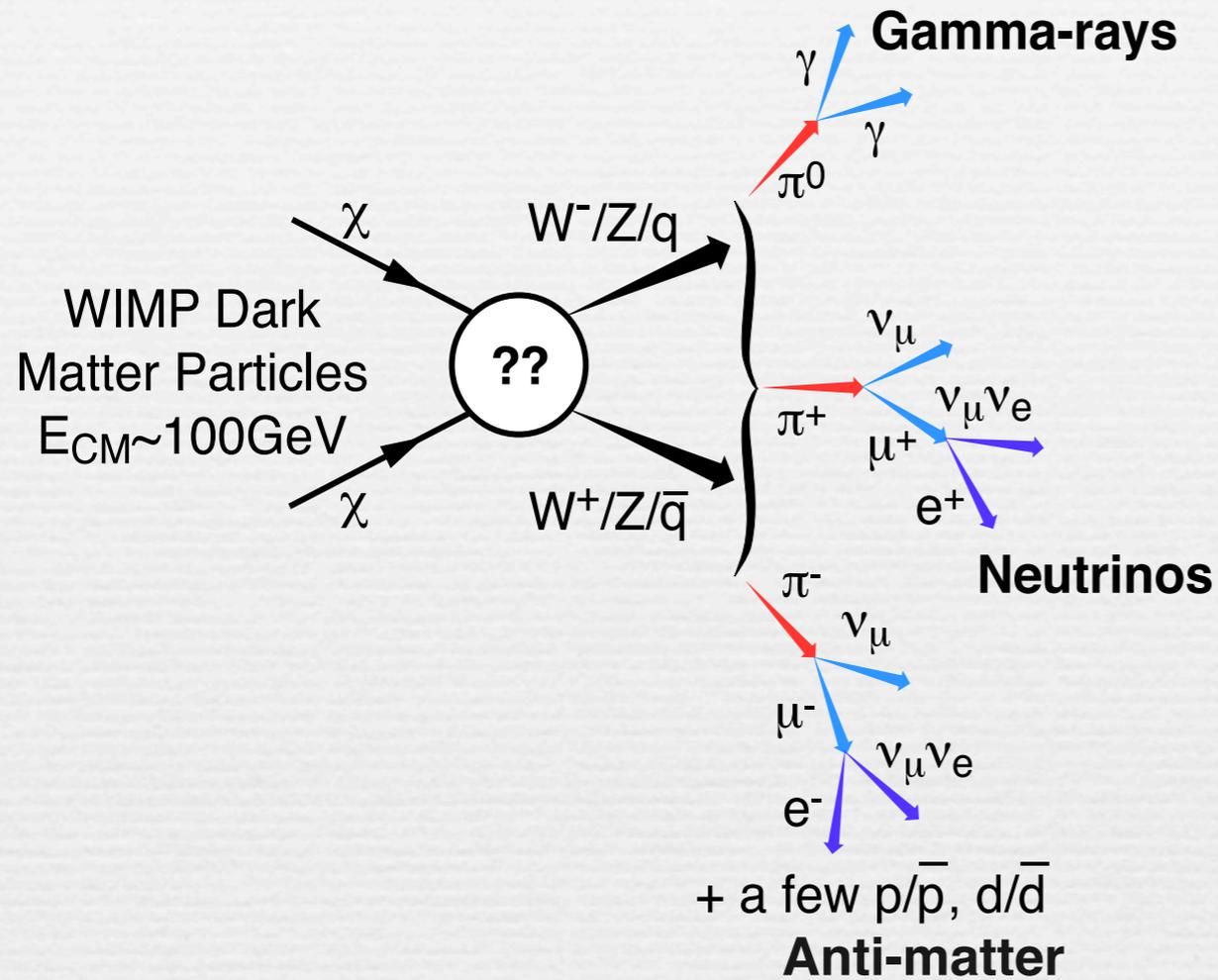
$$\rightarrow N / \text{year} \sim 10^{14} \text{ cm}^{-3} (\text{GeV.cm})^{-3} \cdot V$$

$$(1 \text{ s} \sim 10^{24} \text{ GeV}^{-1} \text{ and } \text{GeV.cm} \sim 10^{14})$$

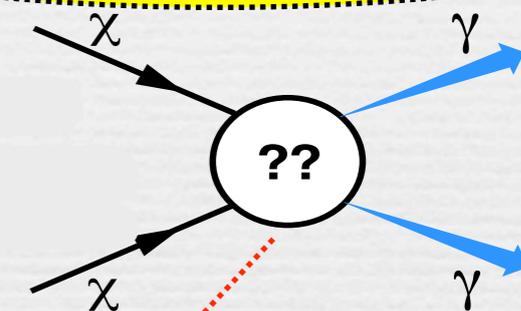
$$\rightarrow N / \text{year/km}^3 \sim 10^{-13}$$

--> look at regions where  $n$  is enhanced  
and probe large regions of the sky

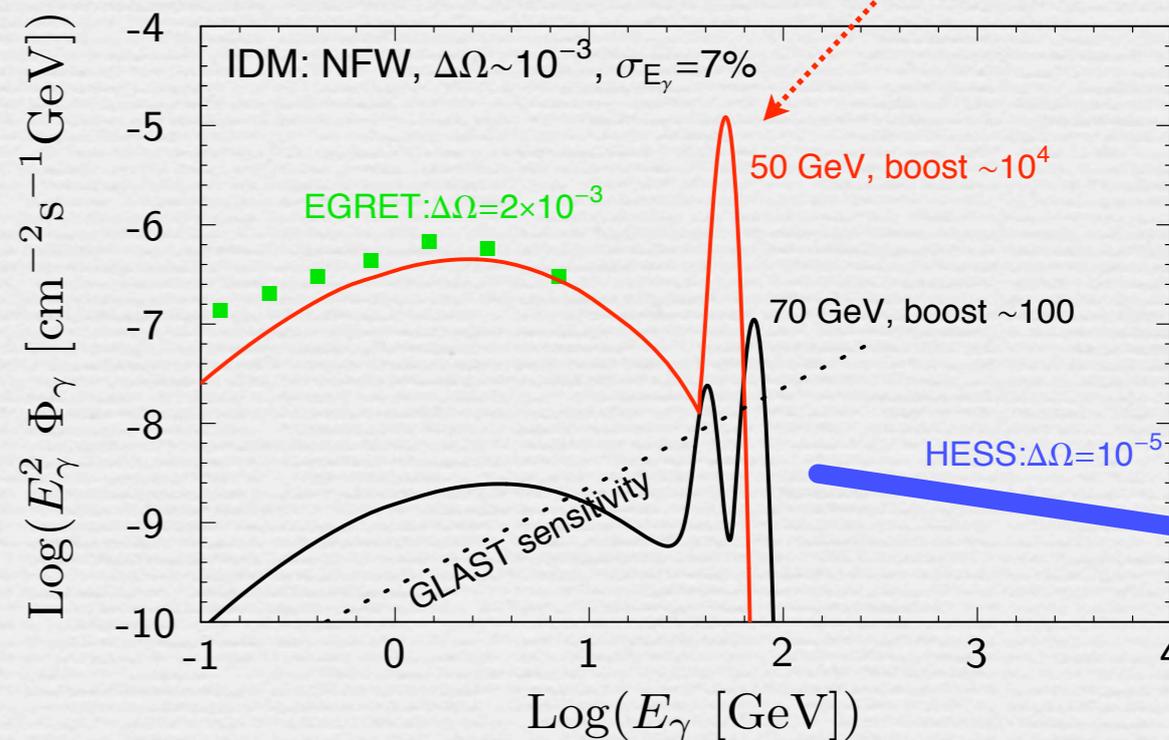
# WIMP indirect detection

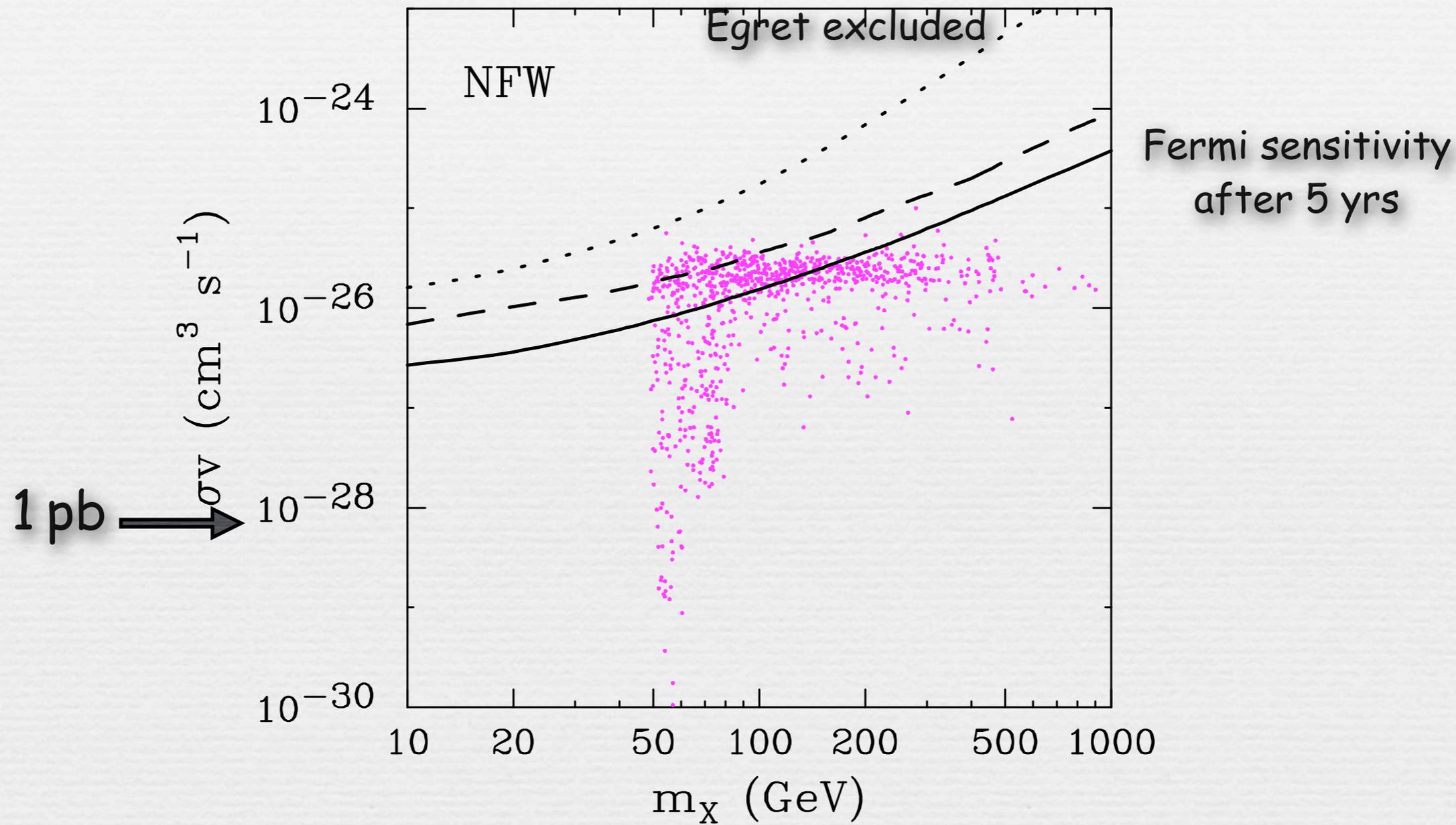


**smoking gun: gamma-ray line from direct anni into  $\gamma\gamma$  or  $\gamma Z$**



**gamma-ray spectra (Inert doublet model)**





# Huge experimental effort towards the identification of Dark Matter

Indirect

Direct

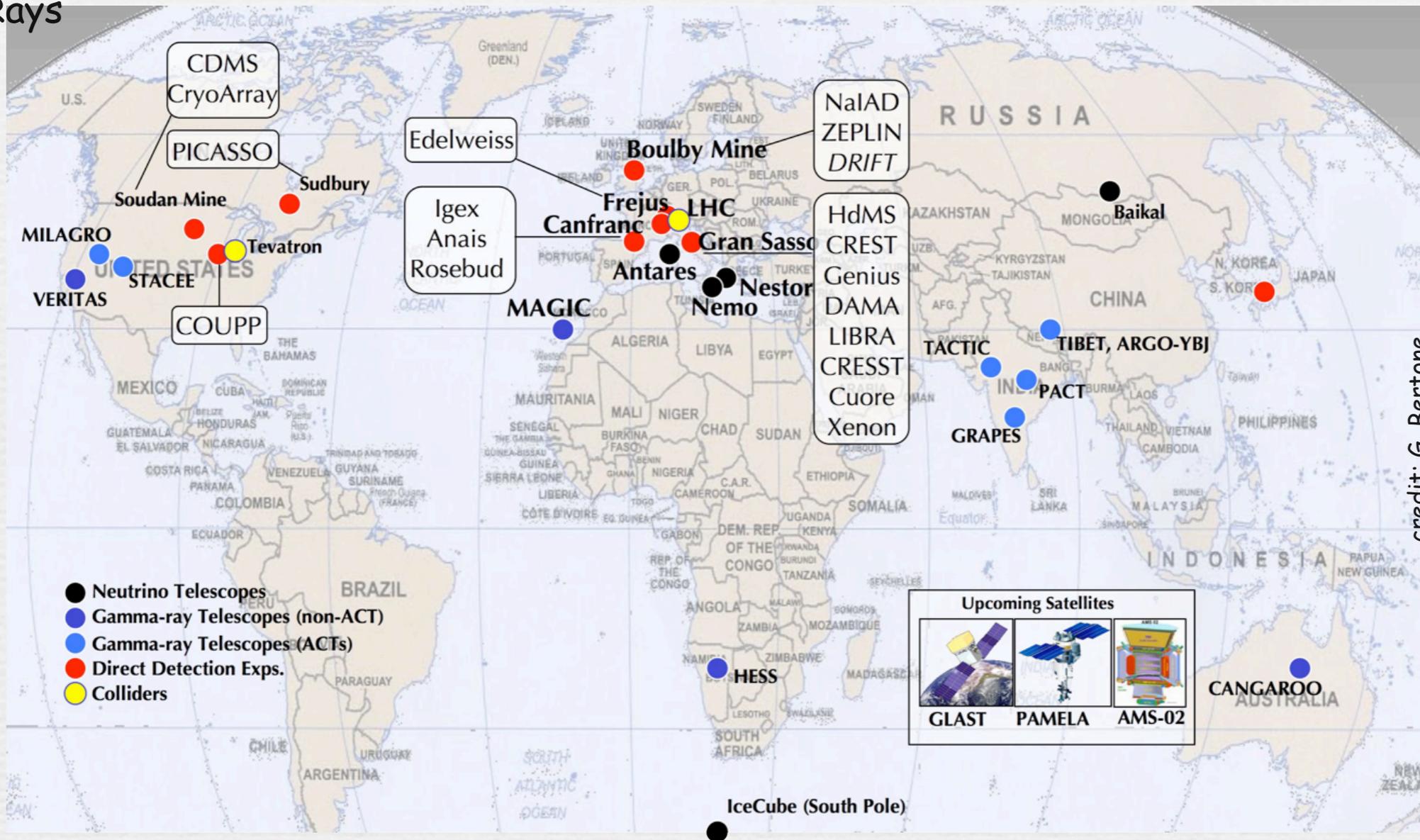
Collider experiments

Antimatter  
Neutrinos  
Gamma Rays

Signature of  
Annihilation

Elastic Scattering  
signature

Missing Energy  
signature

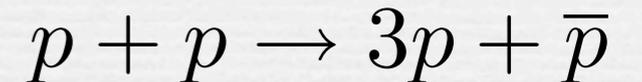


credit: G. Bertone

# Matter Anti-matter asymmetry: Observational evidence

**At the scale of the solar system:** no concentration of antimatter otherwise its interaction with the solar wind would produce important source of  $\gamma$ 's visible radiation

**At the galactic scale:** There is antimatter in the form of antiprotons in cosmic rays with ratio  $n_{\bar{p}}/n_p \sim 10^{-4}$  which can be explained with processes such as



**At the scale of galaxy clusters:** we have not detected radiation coming from annihilation of matter and antimatter due to  $p + \bar{p} \rightarrow \pi^0 \dots \rightarrow \gamma\gamma$  .

The asymmetry between matter and antimatter is characterized in terms of the baryon to photon ratio

$$\eta \equiv \frac{n_B - n_{\bar{B}}}{n_\gamma}$$

The number of photons is not constant over the universe evolution. At early times, it is better to compare the baryon density to the entropy density since the  $n_B/s$  ratio takes a constant value as long as B is conserved and no entropy production takes place. Today, the conversion factor is

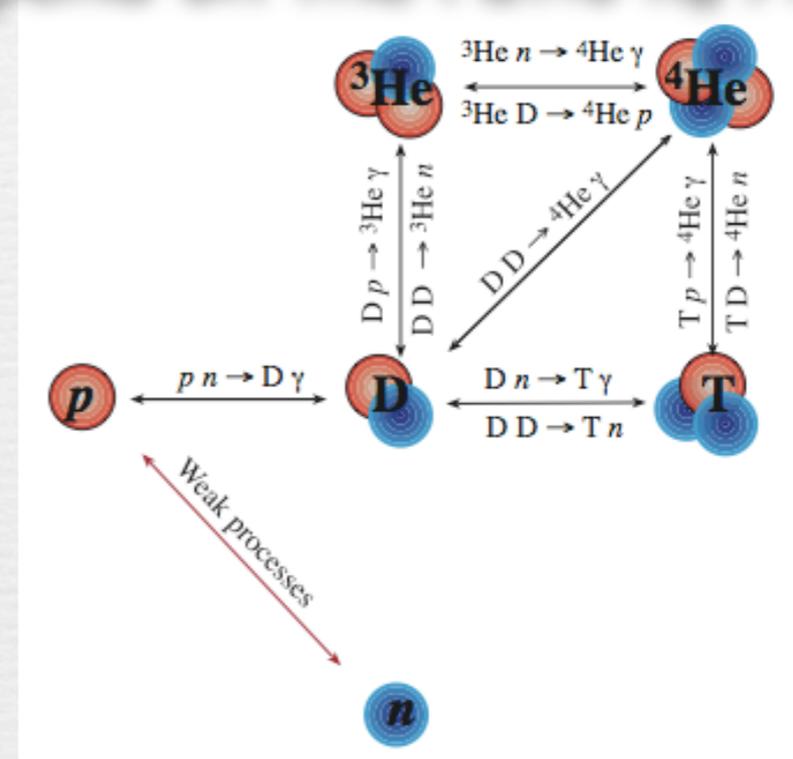
$$\frac{n_B - n_{\bar{B}}}{s} = \frac{\eta}{7.04}$$

# How do we measure $\eta$ ?

Counting baryons is difficult because only some fraction of them formed stars and luminous objects. However, there are two indirect probes:

## 1) Big Bang Nucleosynthesis predictions depend on the ratio $n_B / n_\gamma$

Many more photons than baryons delays BBN by enhancing the reaction  $D \gamma \rightarrow pn$



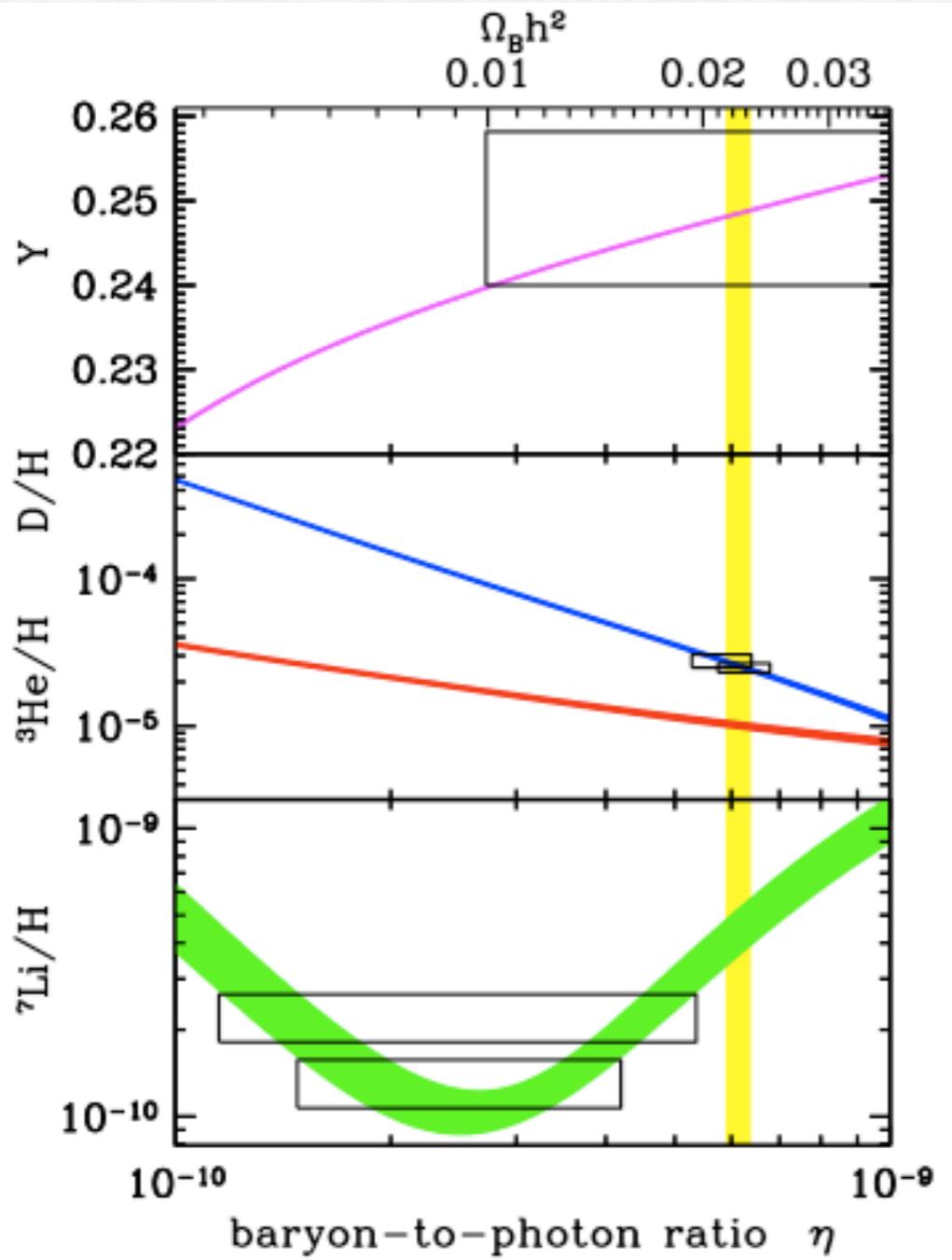
## 2) Measurements of CMB anisotropies

probe acoustic oscillations of the baryon/photon fluid

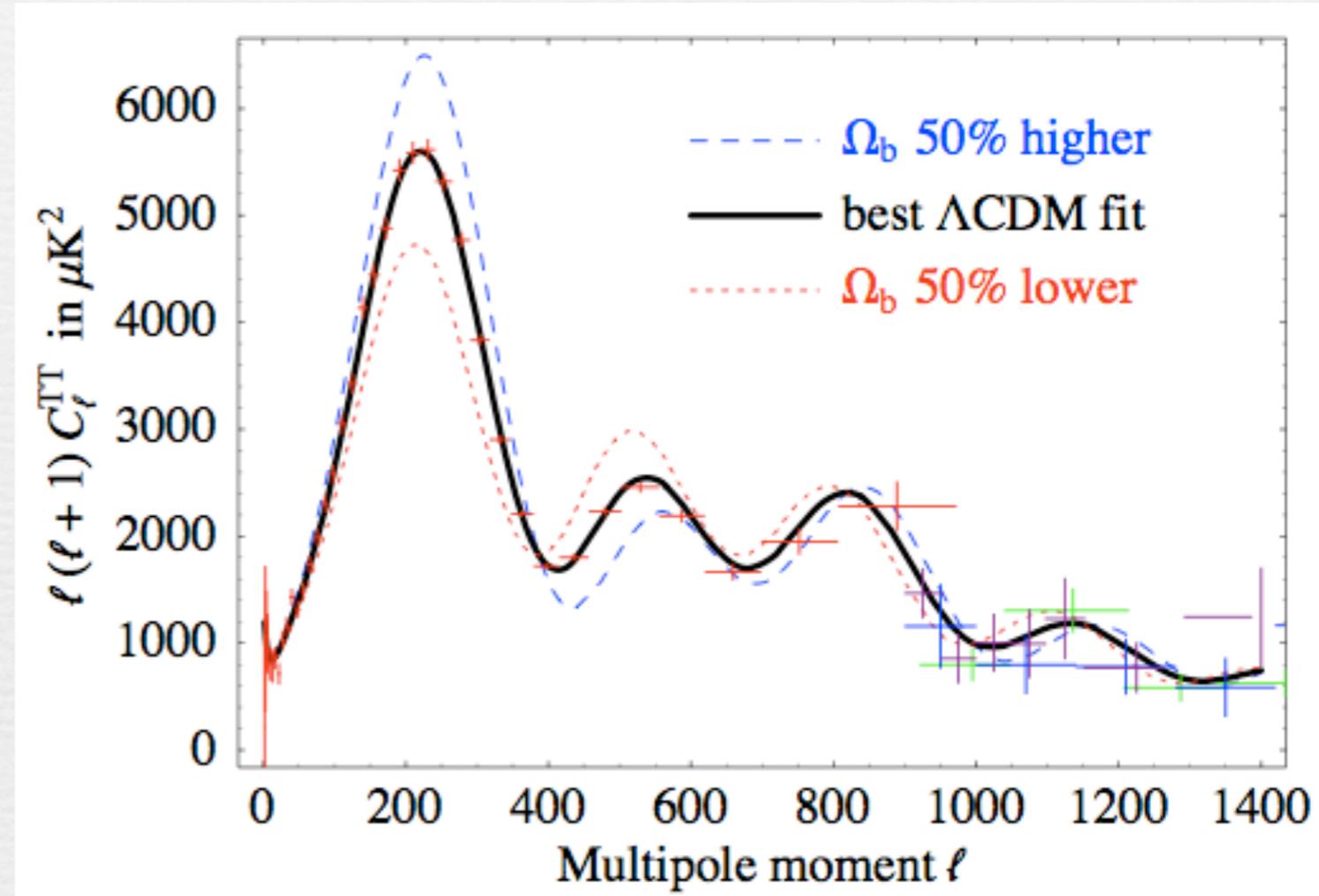
The amount of anisotropies depend on  $n_B / n_\gamma$

# Primordial abundances versus $\eta$

# Dependence of the CMB Doppler peaks on $\eta$



(CMB temperature fluctuations)



→  $\eta = 10^{-10} \times \begin{cases} 6.28 \pm 0.35 \\ 5.92 \pm 0.56 \end{cases}$

→  $\eta = 10^{-10} \times (6.14 \pm 0.25)$   
 →  $\Omega_b h^2 = 0.0223^{+0.0007}_{-0.0009}$

baryons: only a few percents of the total energy density of the universe

The great annihilation

10 000 000 001  
Matter

10 000 000 000  
Anti-matter



1  
(us)

How much baryons would there be in a symmetric universe?

nucleon and anti-nucleon densities are maintained by annihilation processes



which become ineffective when

$$\Gamma \sim n_N / m_\pi^2 \sim H$$

leading to a freeze-out temperature

$$T_F \sim 20 \text{ MeV}$$

$$\frac{n_N}{s} \approx 7 \times 10^{-20}$$

## Sakharov's conditions for baryogenesis (1967)

1)  $B$  violation

2)  $C$  and  $CP$  violation

3) Loss of thermal equilibrium

$$\Gamma(\Delta B > 0) > \Gamma(\Delta B < 0)$$

Why can't we achieve baryogenesis in the SM?

$B$  is violated

$C$  and  $CP$  are violated

but which out-of-equilibrium condition?

no heavy particle which could decay out-of-equilibrium

no strong first-order phase transition

Electroweak phase transition is a smooth cross over

Also,  $CP$  violation is too small (suppressed by the small quark masses, remember there is no  $CP$  violation if quark masses vanish)

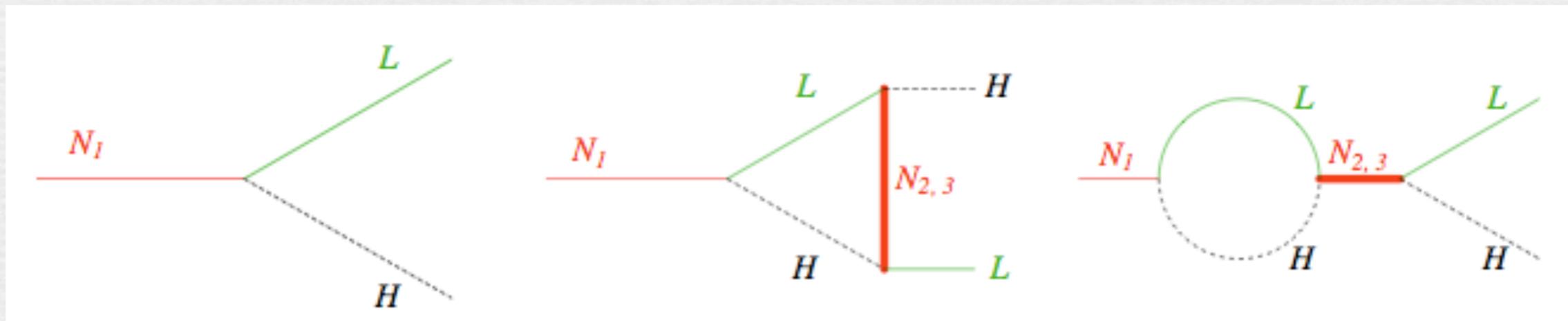
# Leptogenesis

Fukugita, Yanagida

nicely connected to the explanation of neutrino masses

Majorana neutrino masses violate  $L$  and presumably  $CP$

1) Generate  $L$  from the direct  $CP$  violation in RH neutrino decay



2)  $L$  gets converted to  $B$  by the electroweak anomaly

Out of equilibrium condition:  $H > \Gamma \sim \lambda^2 M_1 / (8\pi)$

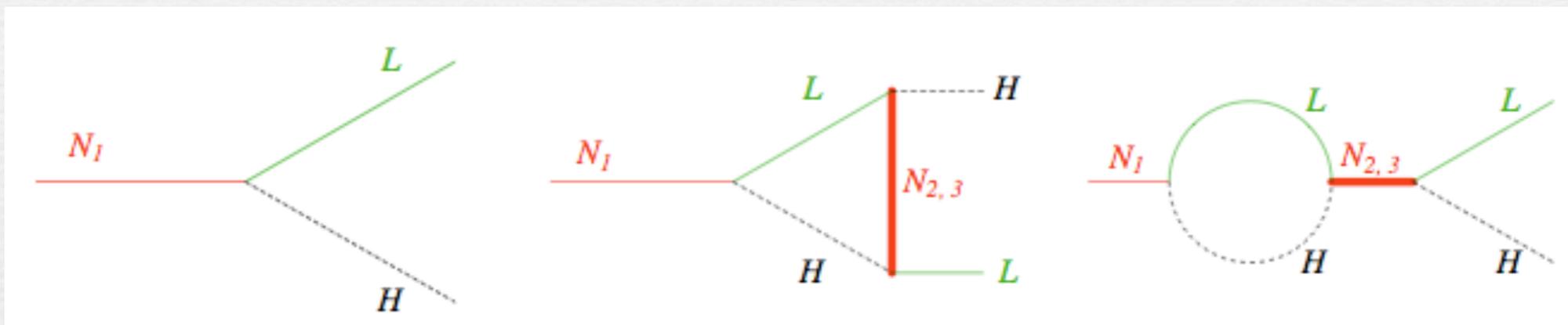
at  $T \sim M_1$ , this leads to  $\lambda v^2 / M_1 < (8\pi) v^2 / M_{Pl} \sim \text{meV}$

see-saw formula for  $m_\nu$

# The basic physics

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \bar{N}_1 i \not{\partial} N_1 + \lambda_1 N_1 H L + \frac{M_1}{2} N_1^2 + \\ + \bar{N}_{2,3} i \not{\partial} N_{2,3} + \lambda_{2,3} N_{2,3} H L + \frac{M_{2,3}}{2} N_{2,3}^2 + \text{h.c.}$$

One can redefine fields in such a way that the ineliminable CP-violating phase is in  $\lambda_{2,3}$



$$\epsilon_1 \equiv \frac{\Gamma(N_1 \rightarrow LH) - \Gamma(N_1 \rightarrow \overline{LH})}{\Gamma(N_1 \rightarrow LH) + \Gamma(N_1 \rightarrow \overline{LH})} \sim \frac{1}{4\pi} \frac{M_1}{M_{2,3}} \text{Im} \lambda_{2,3}^2$$

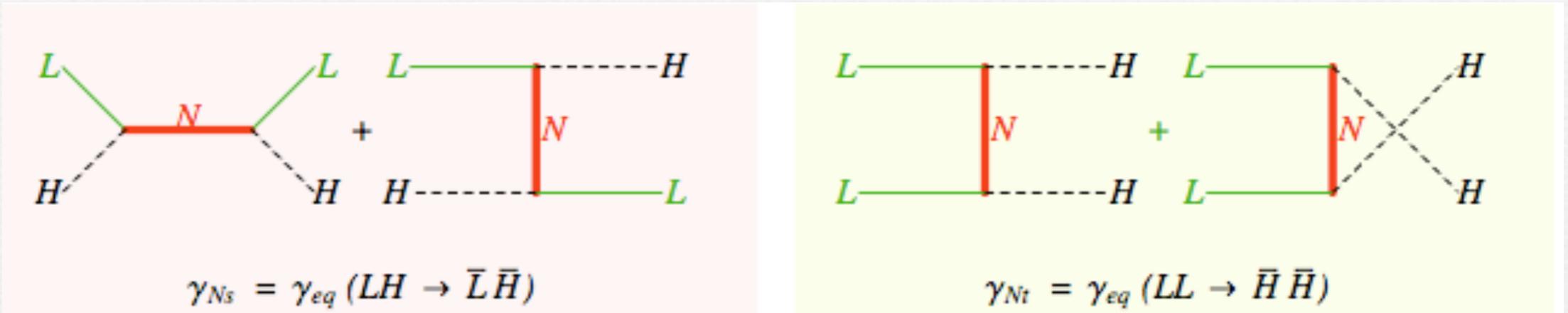
and

$$\frac{n_B}{n_\gamma} \approx \frac{\epsilon_1 \eta}{g_{\text{SM}}}$$

← efficiency

depends on how much decays are out-of-equilibrium and on washout of L by scatterings

Wash-out  $LH \leftrightarrow \overline{LH}$  and  $LL \leftrightarrow \overline{HH}$   $\Delta L=2$  scatterings



relevant only if  $M_1 > 10^{14}$  GeV

# Baryon asymmetry and the Fermi scale

1) nucleation and expansion of bubbles of broken phase

2) CP violation at phase interface responsible for mechanism of charge separation

3) In symmetric phase,  $\langle \Phi \rangle = 0$ , very active sphalerons convert chiral asymmetry into baryon asymmetry

broken phase  
 $\langle \Phi \rangle \neq 0$   
Baryon number is frozen

Chirality Flux  
in front of the wall

Electroweak baryogenesis mechanism relies on a first-order phase transition

What is the nature of the electroweak phase transition?

*EW baryogenesis is natural...*

$$n_B = \int_{-\infty}^{+\infty} \frac{dn_B}{dt} \frac{dz}{v_z} \quad \left. \vphantom{\int_{-\infty}^{+\infty}} \right\} n_B \propto \frac{\Gamma_{sph}}{T^3 v_z} \int_{-\infty}^0 n_L dz$$
$$\frac{dn_B}{dt} \sim n_B \frac{\Gamma_{sph}}{T^3}$$

$$\Gamma_{sph} \sim 25 \alpha_w^5 T^4 \sim \alpha_w^4 T^4 \quad \longrightarrow \quad \frac{n_B}{s} \sim \frac{\alpha_w^4}{g_*} \epsilon_{CP} \sim 10^{-10}$$


$$\epsilon_{CP} \gtrsim 10^{-2}$$

If CP violating effects are large at weak energies, we obtain the right amount of baryon asymmetry

# Rate of B violation in the EW broken phase

$$\Gamma = 2.8 \times 10^5 \left(\frac{\alpha_W}{4\pi}\right)^4 \kappa C^{-7} T^4 \left(\frac{E_{sph}}{T}\right)^7 e^{-E_{sph}/T}$$

Arnold-McLerran'87  
Khlebnikov-Shaposhnikov'88  
Carson-McLerran'90  
Carson-Li-McLerran-Wang'90

Out-of-equilibrium condition:

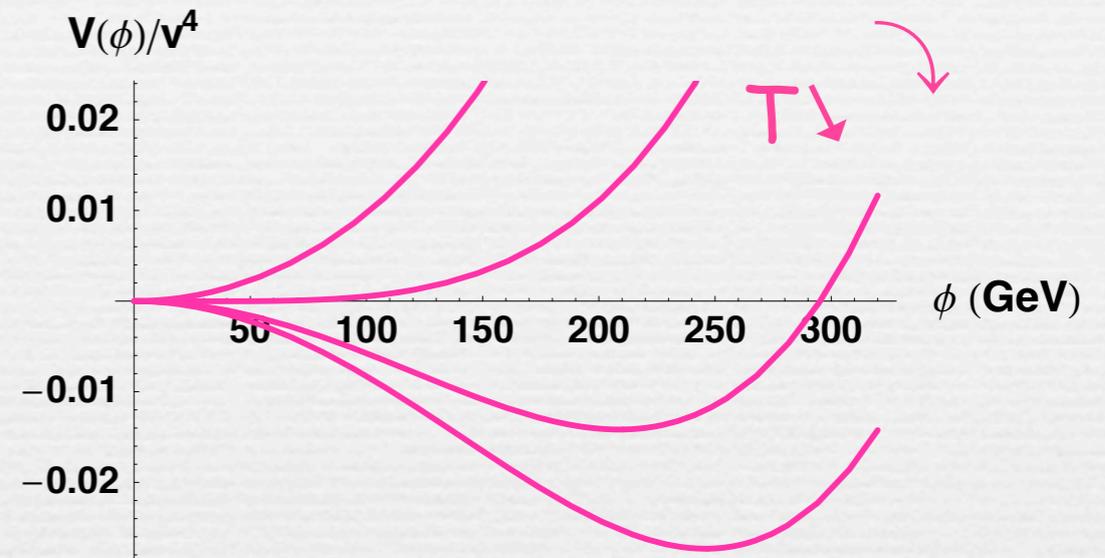
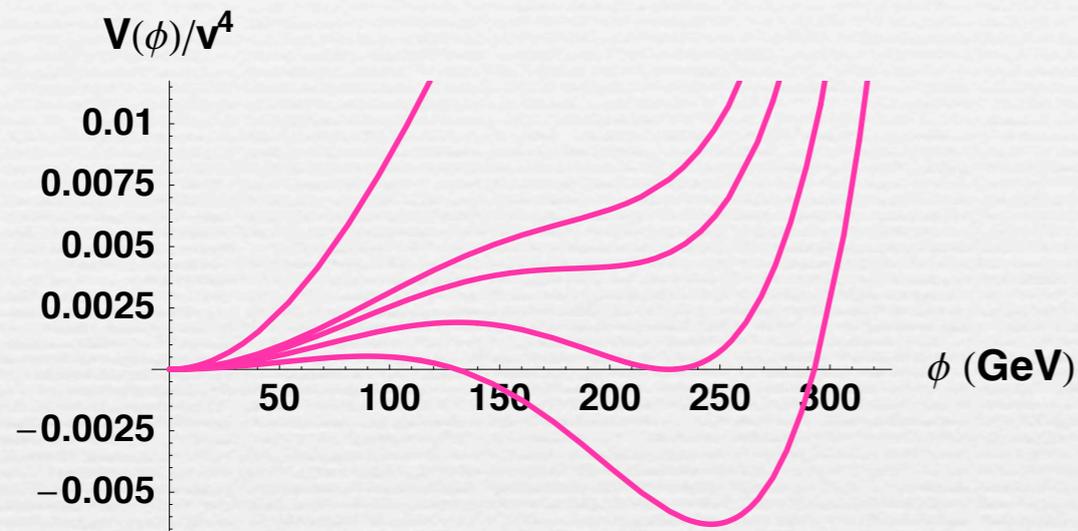
$$\frac{\Gamma}{T^3} < H \sim \frac{\sqrt{\rho}}{m_{Pl}} \implies \left. \frac{\langle \phi \rangle}{T} \right|_{T_c} > 1 = \text{'sphaleron bound'}$$

# Work out the nature of the electroweak phase transition

first-order

or

second-order?



indispensable for reliable computations of the baryon asymmetry

LHC will provide insight as it will shed light on the Higgs sector

Question intensively studied within the Minimal Supersymmetric Standard Model (MSSM). However, not so beyond the MSSM (gauge-higgs unification in extra dimensions, composite Higgs, Little Higgs, Higgsless...)

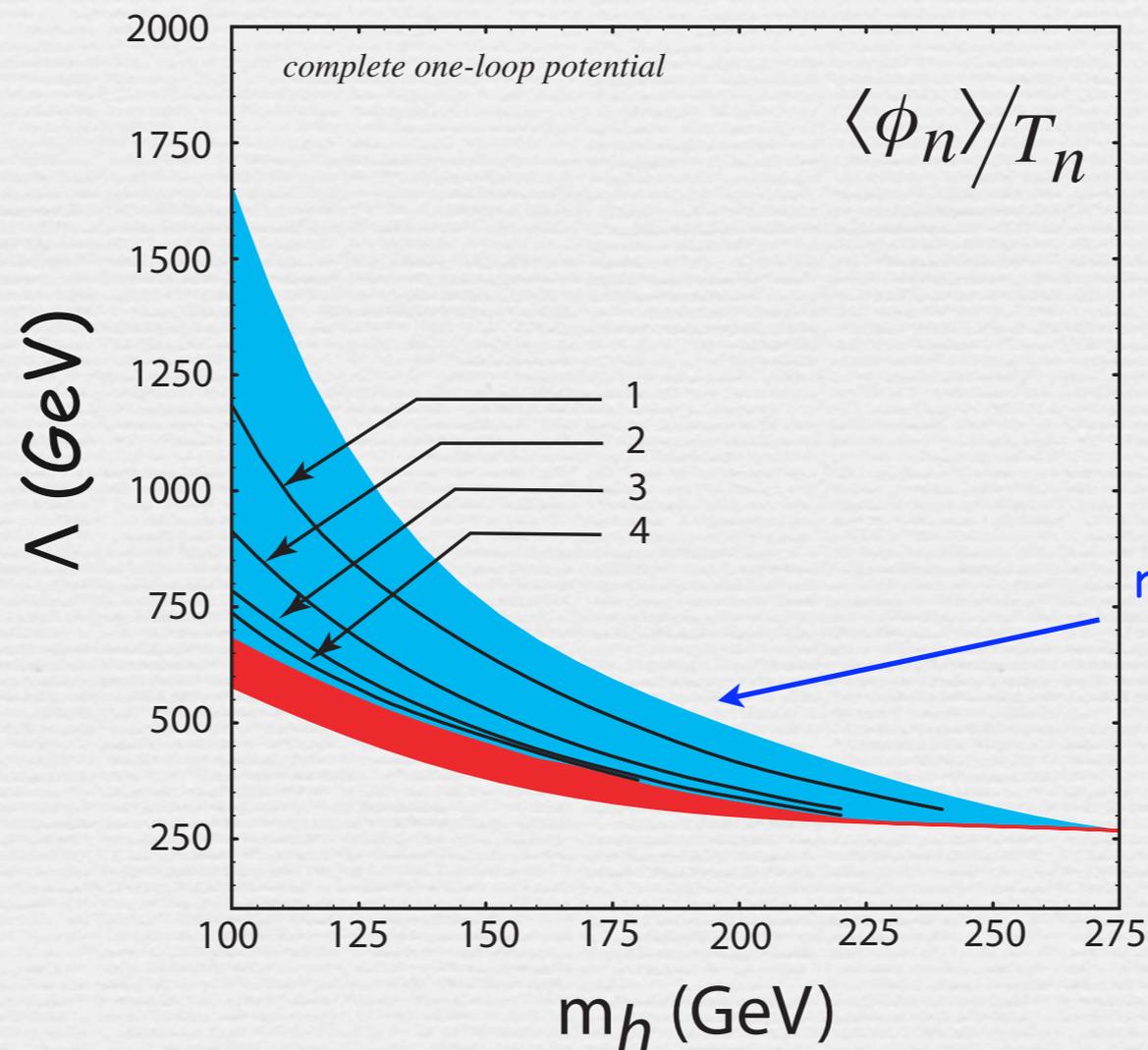
# Effective field theory approach

add a non-renormalizable  $\Phi^6$  term to the SM Higgs potential and allow a negative quartic coupling

$$V(\Phi) = \mu_h^2 |\Phi|^2 - \lambda |\Phi|^4 + \frac{|\Phi|^6}{\Lambda^2}$$

“strength” of the transition does not rely on the one-loop thermally generated negative self cubic Higgs coupling

strong enough  
for EW baryogenesis  
if  $\Lambda \lesssim 1.3 \text{ TeV}$

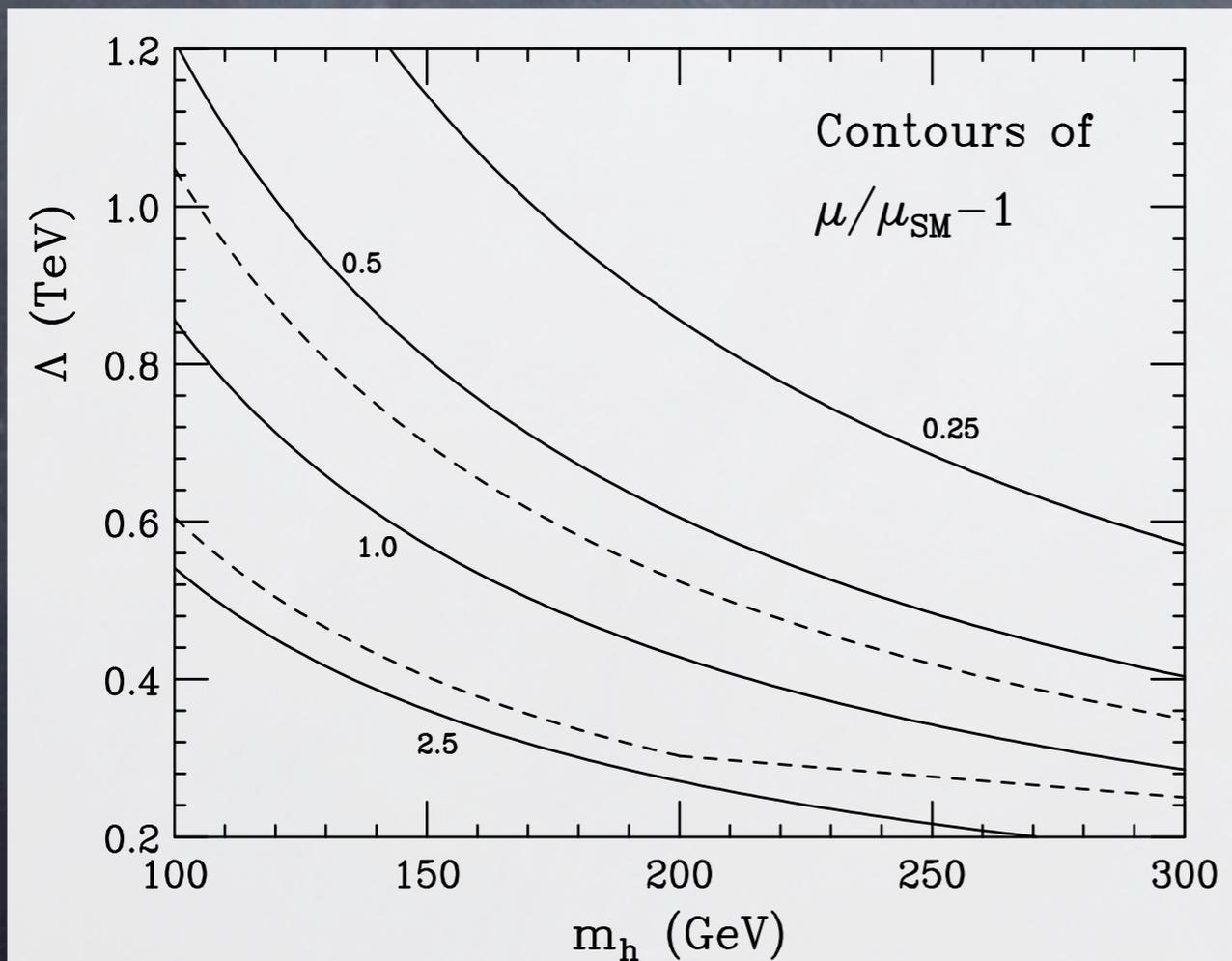


*This scenario predicts large deviations to the Higgs self-couplings*

$$\mathcal{L} = \frac{m_H^2}{2} H^2 + \frac{\mu}{3!} H^3 + \frac{\eta}{4!} H^4 + \dots \quad \text{where}$$

$$\mu = 3 \frac{m_H^2}{v_0} + 6 \frac{v_0^3}{\Lambda^2}$$

$$\eta = 3 \frac{m_H^2}{v_0^2} + 36 \frac{v_0^2}{\Lambda^2}$$

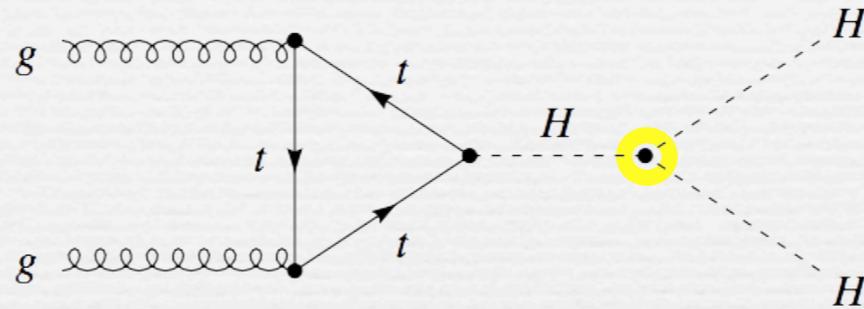


The dotted lines delimit the region for a strong 1st order phase transition

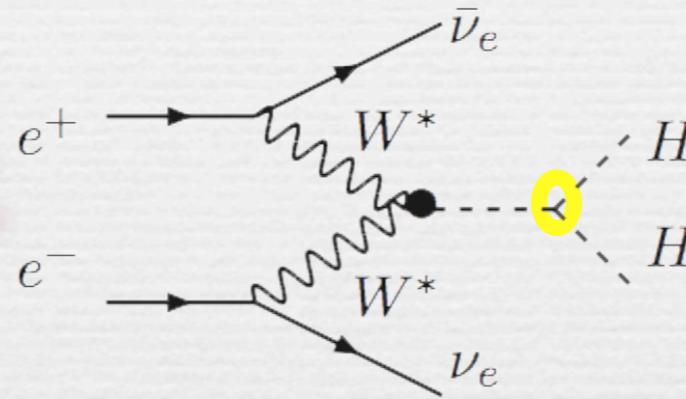
*deviations between a factor 0.7 and 2*

# Experimental tests of the Higgs self-coupling

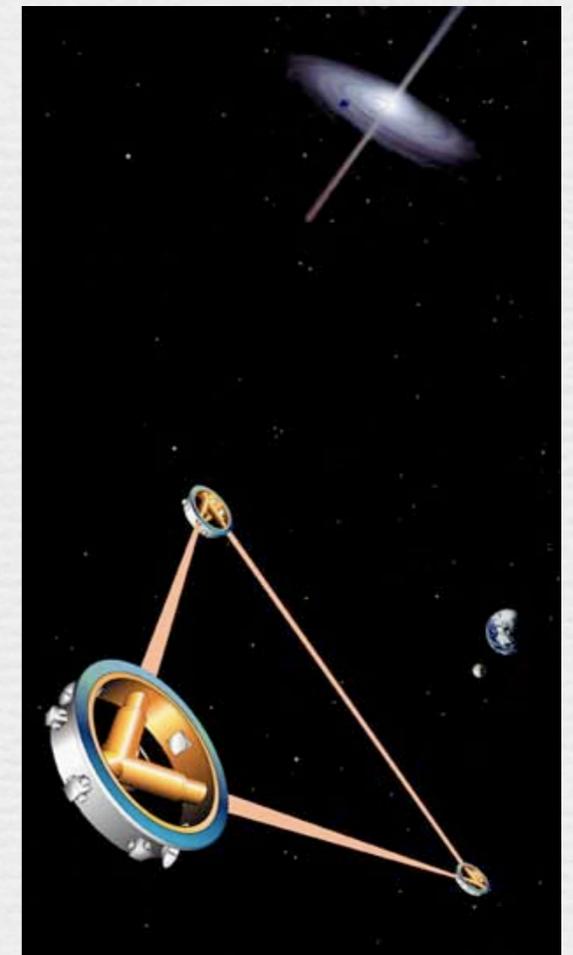
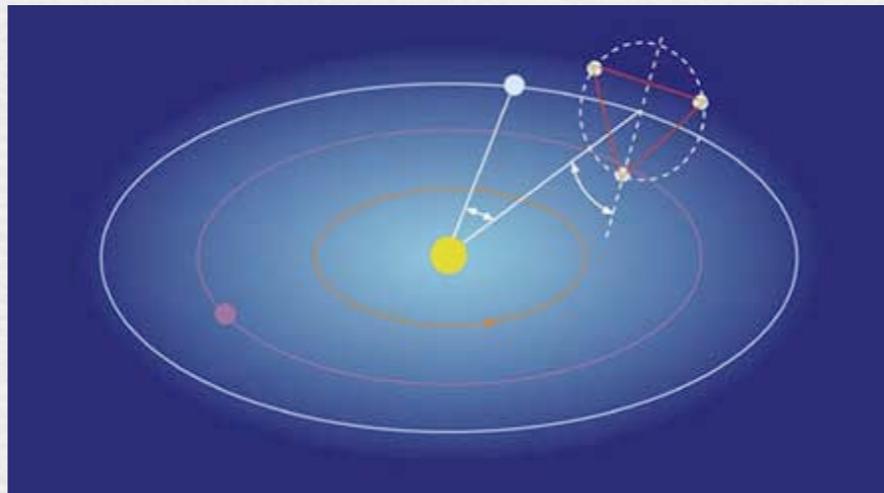
at a Hadron Collider



at an  $e^+ e^-$  Linear Collider

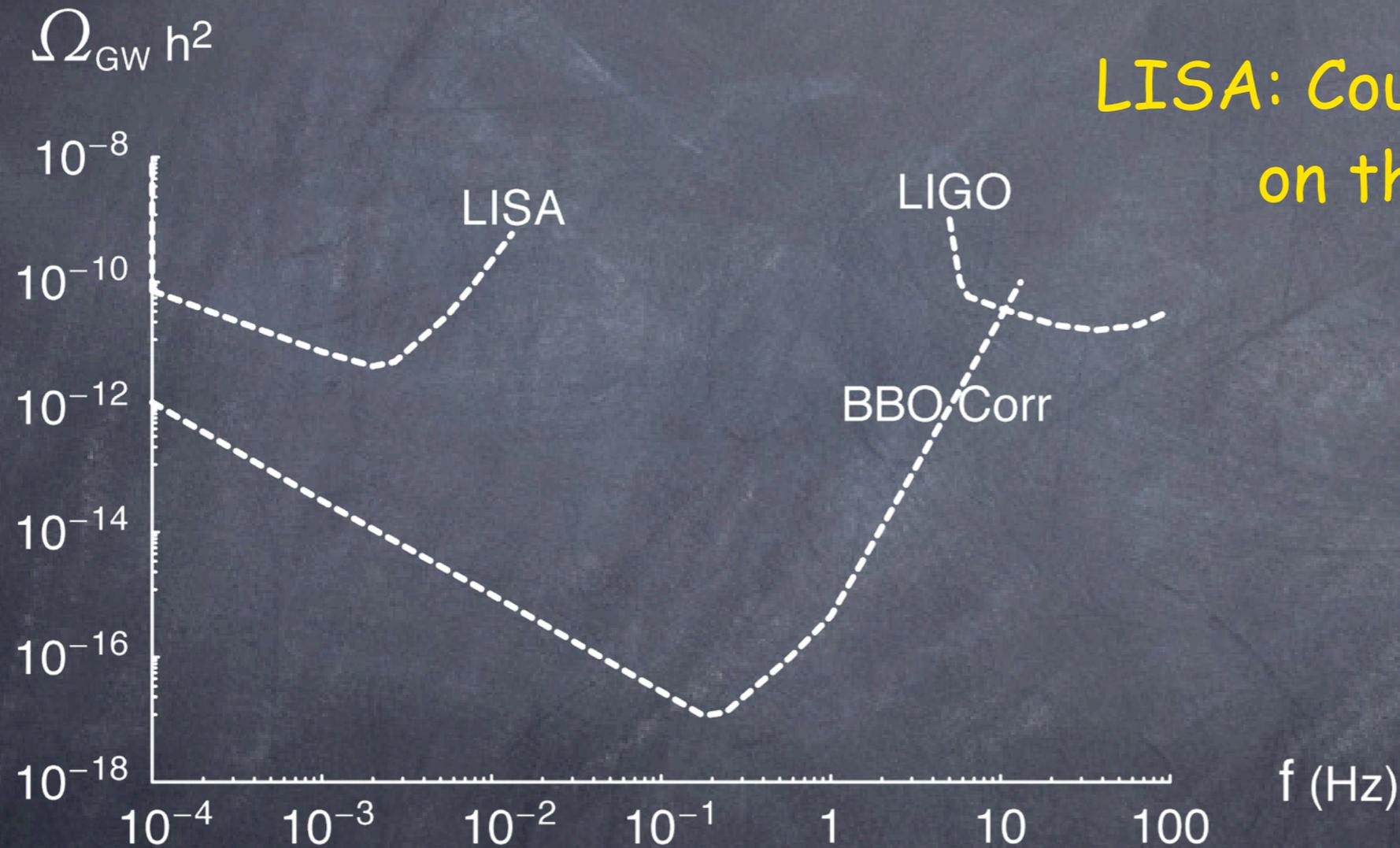


... or at the gravitational wave detector LISA



# Something exciting about the milliHertz frequency

$$f = f_* \frac{a_*}{a_0} = f_* \left( \frac{g_{s0}}{g_{s*}} \right)^{1/3} \frac{T_0}{T_*} \approx 6 \times 10^{-3} \text{mHz} \left( \frac{g_*}{100} \right)^{1/6} \frac{T_*}{100 \text{ GeV}} \frac{f_*}{H_*}$$



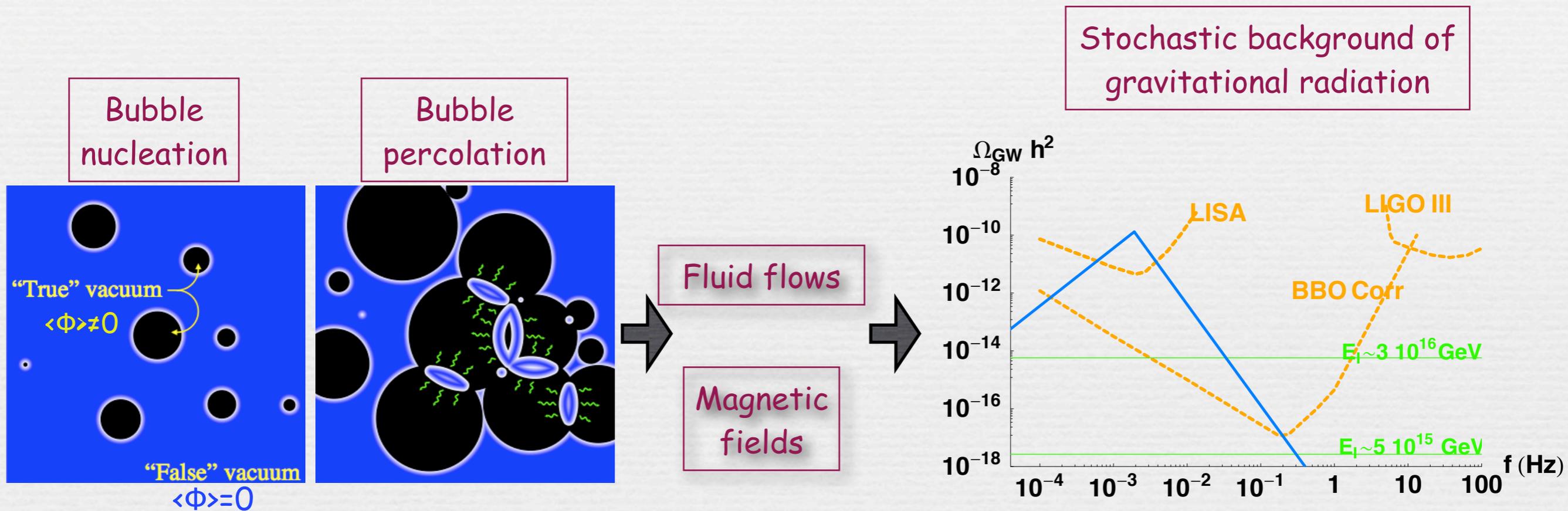
LISA: Could be a new window  
on the Weak Scale

LISA band:

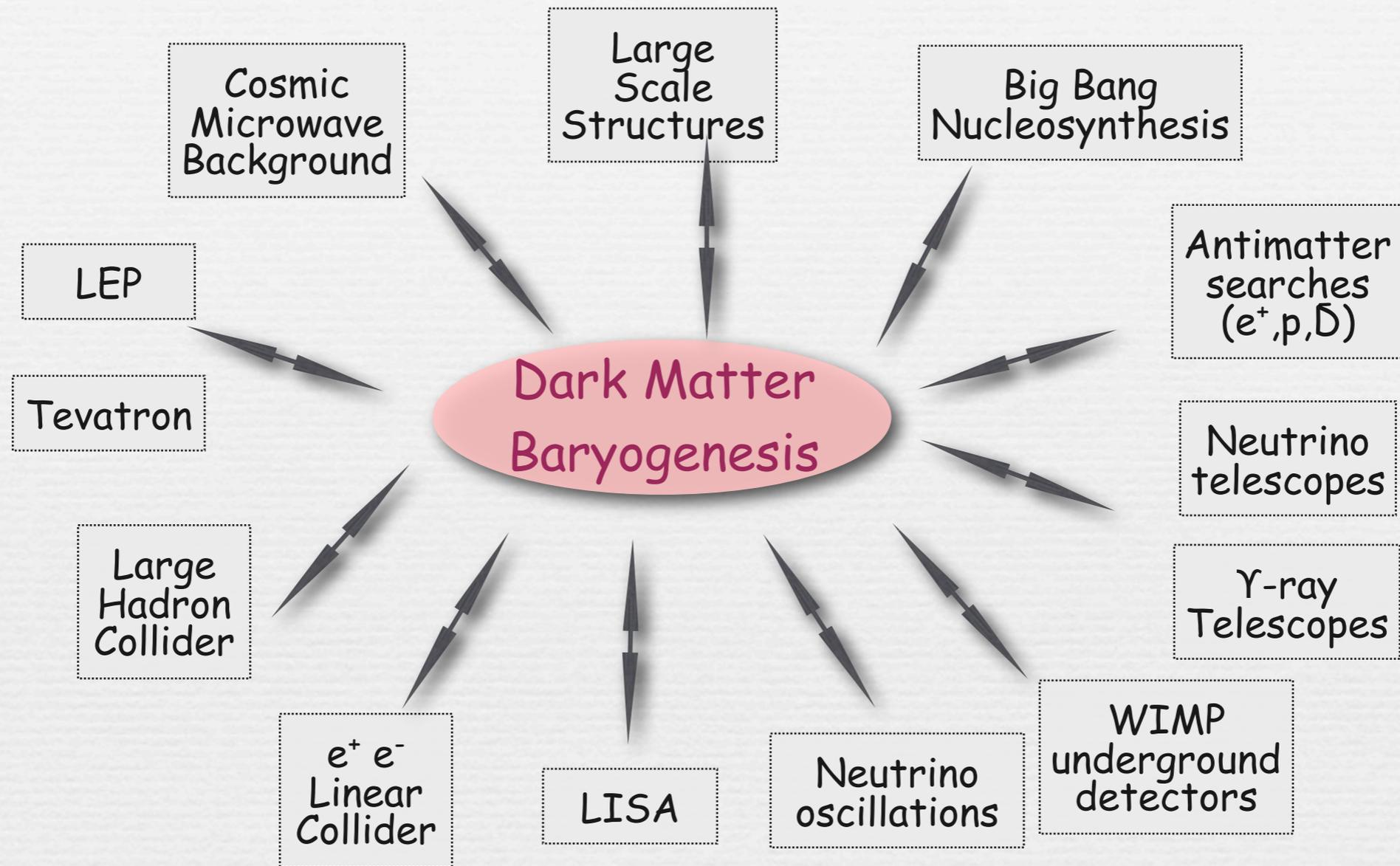
$10^{-4} - 10^{-2}$  Hz

complementary to collider informations

# Gravitational Wave spectrum of the electroweak phase transition



# Cosmic connections of electroweak symmetry breaking: A multi-form and integrated approach



An opportunity to enjoy interdisciplinarity

## To conclude

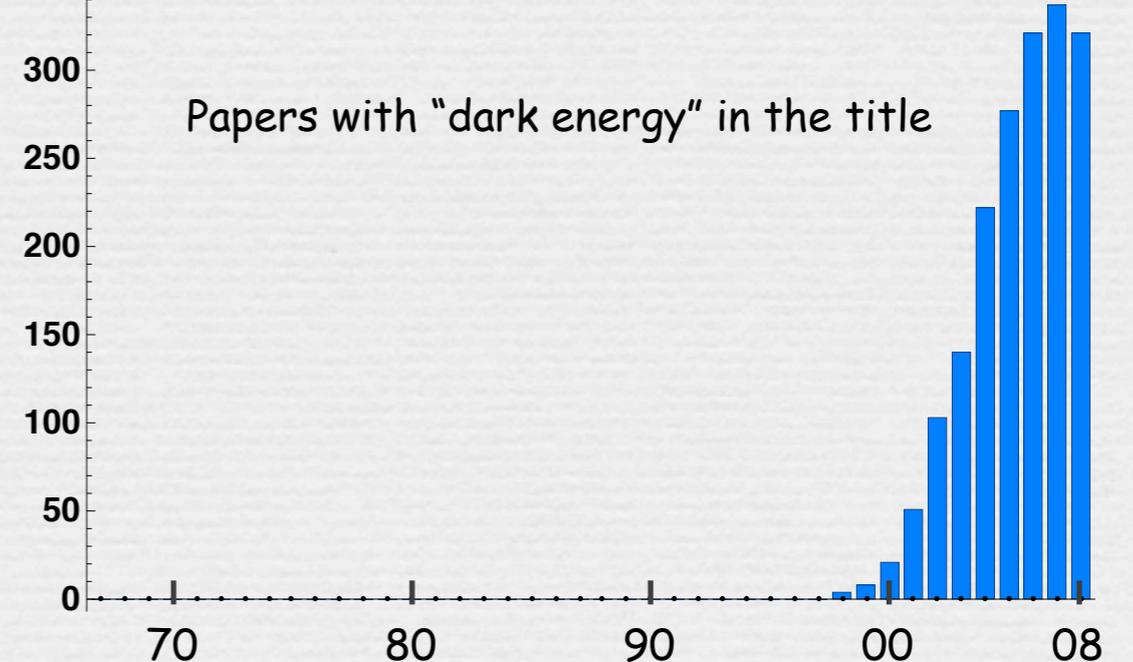
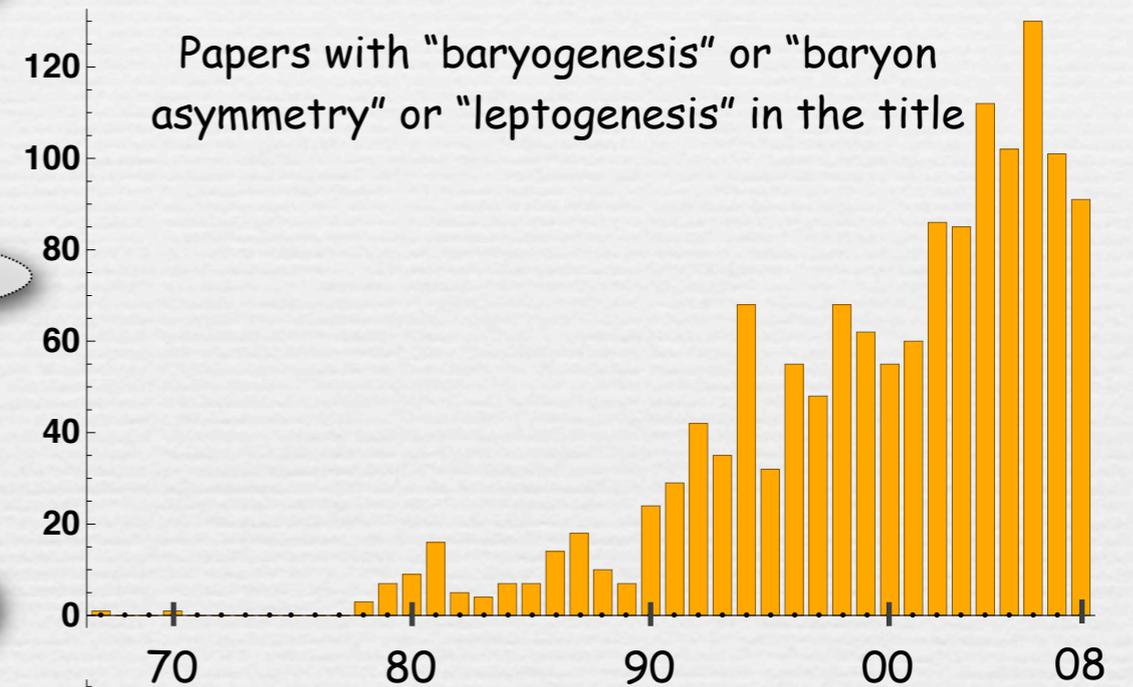
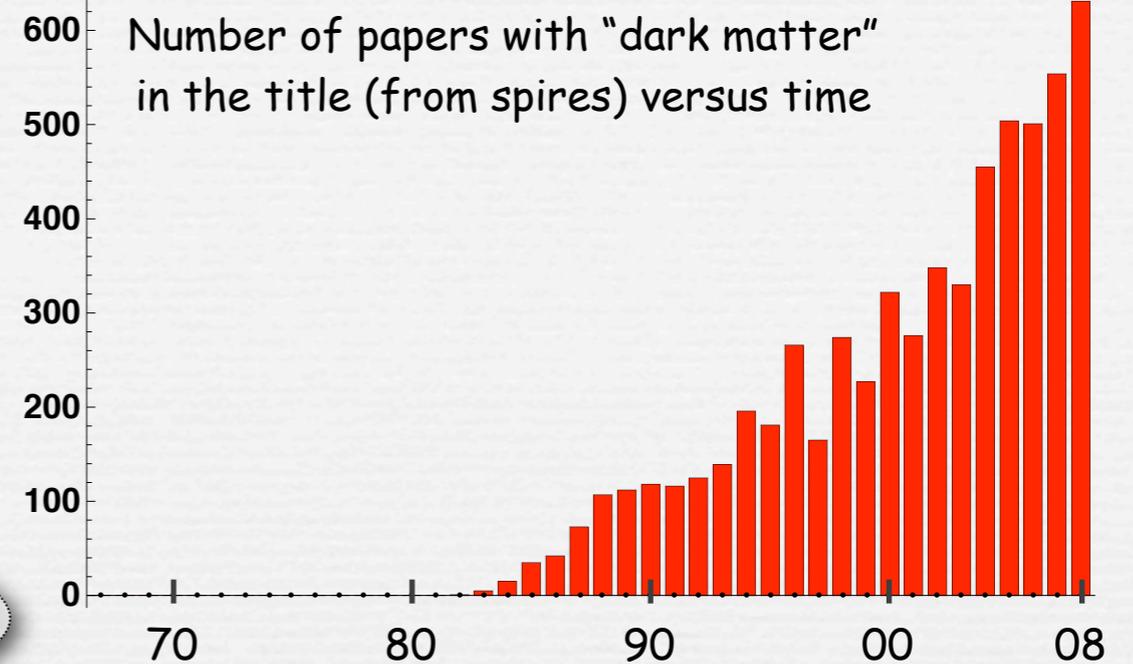
A blooming field

Abundance of experimental activity  
related to dark matter searches

still much activity in model building

many viable alternatives to LSPs  
LKPs, LZPs, LTPs, IDM ...

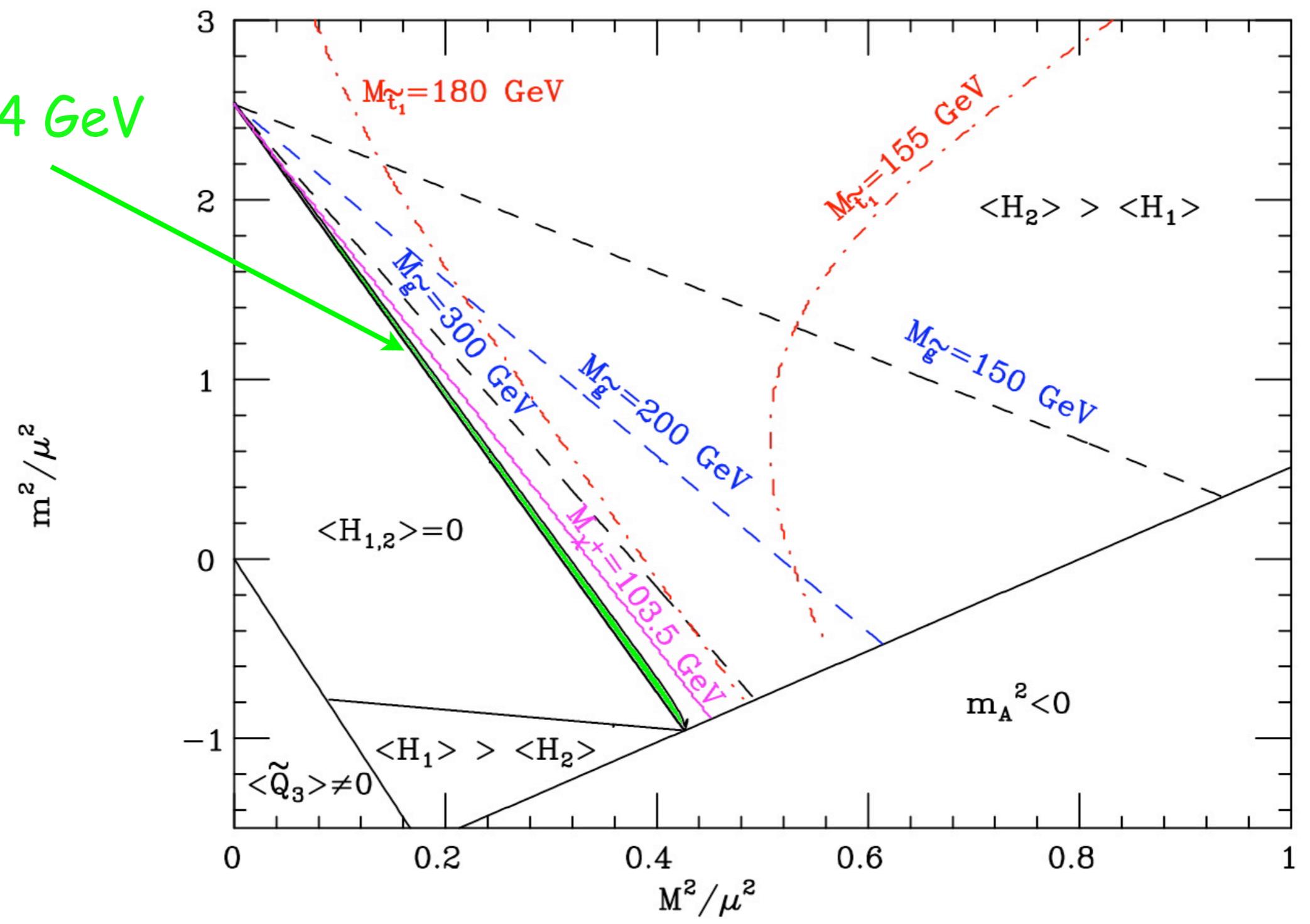
with a large variety of signatures



# Annexes

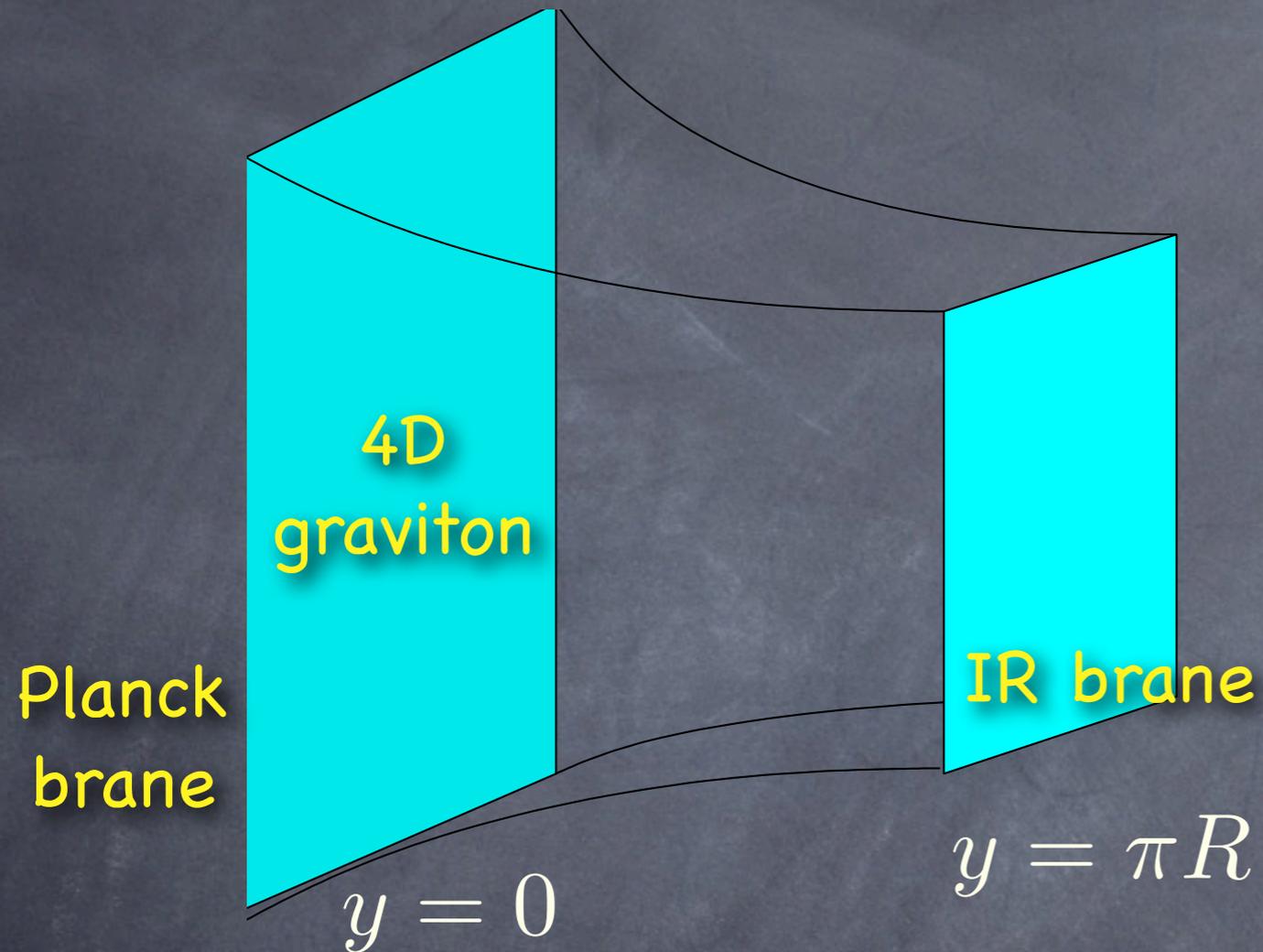
# State of mSUGRA

$m_h > 114 \text{ GeV}$



# Space-time is a slice of AdS<sub>5</sub>

[Randall, Sundrum '99]



$$ds^2 = e^{-2ky} \eta_{\mu\nu} dx^\mu dx^\nu - dy^2$$

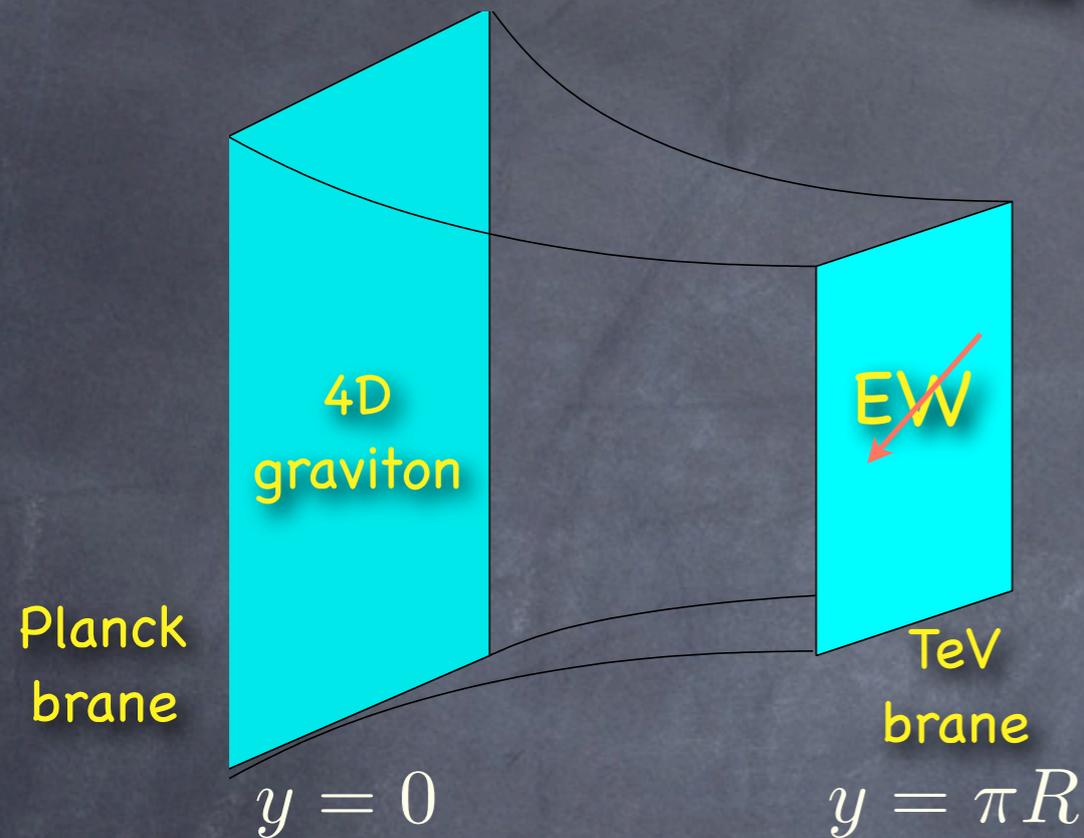
$$M_{Pl}^2 \sim \frac{M_5^3}{k}$$

The effective 4D energy scale varies with position along 5th dimension

RS1 (has two branes) versus RS2 (only Planck brane)

# Solution to the Planck/Weak scale hierarchy

The Higgs (or any alternative EW breaking) is localized at  $y=\pi R$ , on the TeV (IR) brane



After canonical normalization of the Higgs:

$$v_{\text{eff}} = v_0 e^{-k\pi R}$$

parameter in the 5D lagrangian

$$k\pi R \sim \log\left(\frac{M_{Pl}}{\text{TeV}}\right)$$

Exponential hierarchy from  $O(10)$  hierarchy in the 5D theory

One Fundamental scale :  $M_5 \sim M_{Pl} \sim k \sim \Lambda_5/k \sim r^{-1}$

Radius stabilisation using bulk scalar (Goldberger-Wise mechanism)

$$kr = \frac{4}{\pi} \frac{k^2}{m^2} \ln \left[ \frac{v_h}{v_v} \right] \sim 10$$

Warped hierarchies are radiatively stable as cutoff scales get warped down near the IR brane