



# **experiments with (conventional long baseline) neutrino beams**



# Overview

- vacuum neutrino oscillations – (very) short introduction
- conventional neutrino beams
- two experiments
  - MINOS
  - OPERA
- outlook and conclusion



# vacuum neutrino oscillations

(very) short introduction



# neutrinos

we know: there are (at least) three different neutrino flavors “associated” with the corresponding charged lepton flavor

$$\nu_e \leftrightarrow e^-$$

$$\nu_\mu \leftrightarrow \mu^-$$

$$\nu_\tau \leftrightarrow \tau^-$$

„associated“ means: look at the leptonic  $W^+$  decay

$$W^+ \rightarrow l_\alpha^+ + \nu_\alpha \quad (\alpha = e, \mu, \tau)$$

define:  $\nu_\alpha$  is that neutrino, that is emitted together with the positive charged lepton  $l_\alpha^+$



# neutrinos

most general case: the (neutrino) flavor eigenstates  $\nu_\alpha$  are not mass eigenstates  $\nu_i$

$$|\nu_\alpha\rangle = \sum_i U_{\alpha i} |\nu_i\rangle$$

$\nu$  of flavor  $\alpha$                                        $\nu$  of definite mass  $\nu_i$

leptonic mixing matrix  
(simple case: identity matrix)

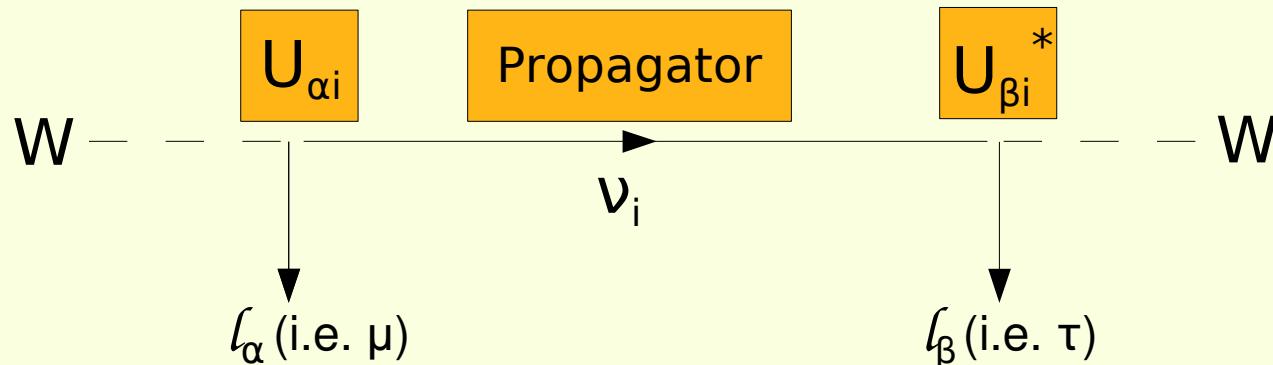
extending the standardmodel to include neutrino mass and leptonic mixing (lepton flavor violation!):

- number of different  $\nu_i$  is the same as the number of different  $l_\alpha$  ( $=3$ )
- leptonic mixing matrix  $U$  is  $3\times 3$  and unitary:  $UU^\dagger = U^\dagger U = 1$   
(what if you assume a  $3\times 3$  matrix and measure that it is not unitary...?)

# neutrino oscillations

- look at  $W^+$  decay again: a given charged lepton  $\ell_\alpha^+$  can be accompanied by any  $\nu_i$  (but not by any  $\nu_\alpha$ !)

$$Amp(W^+ \rightarrow \ell_\alpha^+ + \nu_i) = U_{\alpha i}$$



- to get the propagator, look at  $\nu_i$ -rest frame with the proper time  $T_i$ , Schrödinger equation:

$$i \frac{\partial}{\partial t} |\nu_i(T_i)\rangle = m_i |\nu_i(T_i)\rangle \rightarrow |\nu_i(T_i)\rangle = e^{-im_i T_i} |\nu_i(0)\rangle$$



# neutrino oscillations

by Lorentz invariance, propagator in lab-frame:

$$e^{-im_i T_i} \approx e^{-im_i^2 \frac{L}{2E_i}}$$

L: distance from generation of  $\nu_\alpha$  to the detection of  $\nu_\beta$   
E: energy of the neutrino  $\nu_i$

giving the transition amplitude:

$$Amp(\nu_\alpha \rightarrow \nu_\beta) = \sum_i U_{\alpha i} e^{-im_i^2 \frac{L}{2E_i}} U_{\beta i}^*$$

and the transition probability:

$$P(\nu_\alpha \rightarrow \nu_\beta) = |Amp|^2 = \delta_{\alpha\beta} - 4 \sum_{i>j} \Re(U_{\alpha i} U_{\alpha j}^* U_{\beta i}^* U_{\beta j} \sin^2(\Delta m_{ij}^2 \frac{L}{4E})) + 2 \sum_{i>j} \Im(U_{\alpha i} U_{\alpha j}^* U_{\beta i}^* U_{\beta j} \sin(\Delta m_{ij}^2 \frac{L}{2E}))$$

with  $\Delta m_{ij}^2 = m_i^2 - m_j^2$



# neutrino oscillations

... but that's look not very nice (for an experimentalist)!

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} \end{pmatrix} \cdot \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

The most common parametrisation of the leptonic mixing matrix is the one of Pontecorvo, Maki, Nakagawa and Sakata:

- Use 3 Euler-angulars  $\Theta_{12}$ ,  $\Theta_{13}$ ,  $\Theta_{23}$  and a CP-violation phase  $\delta$  (very similar to the quark mixing matrix).
- Furthermore, neutrinos are the only leftover particles of the SM that can be Majorana particles, that would add two more complex phases  $\alpha_1$  and  $\alpha_2$ ...



# neutrino oscillations

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} \end{pmatrix} \cdot \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

„atmospheric“

„cross-mixing“

„solar“

Majorana phases  $\alpha$

in  $\nu$ -oscillation the mixing matrix only appears as  $UU^*$  combination, that phase is hidden...

$$U = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \cdot \begin{pmatrix} c_{13} & 0 & s_{13} e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13} e^{-i\delta} & 0 & c_{13} \end{pmatrix} \cdot \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} e^{i\alpha_1/2} & 0 & 0 \\ 0 & e^{i\alpha_2/2} & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

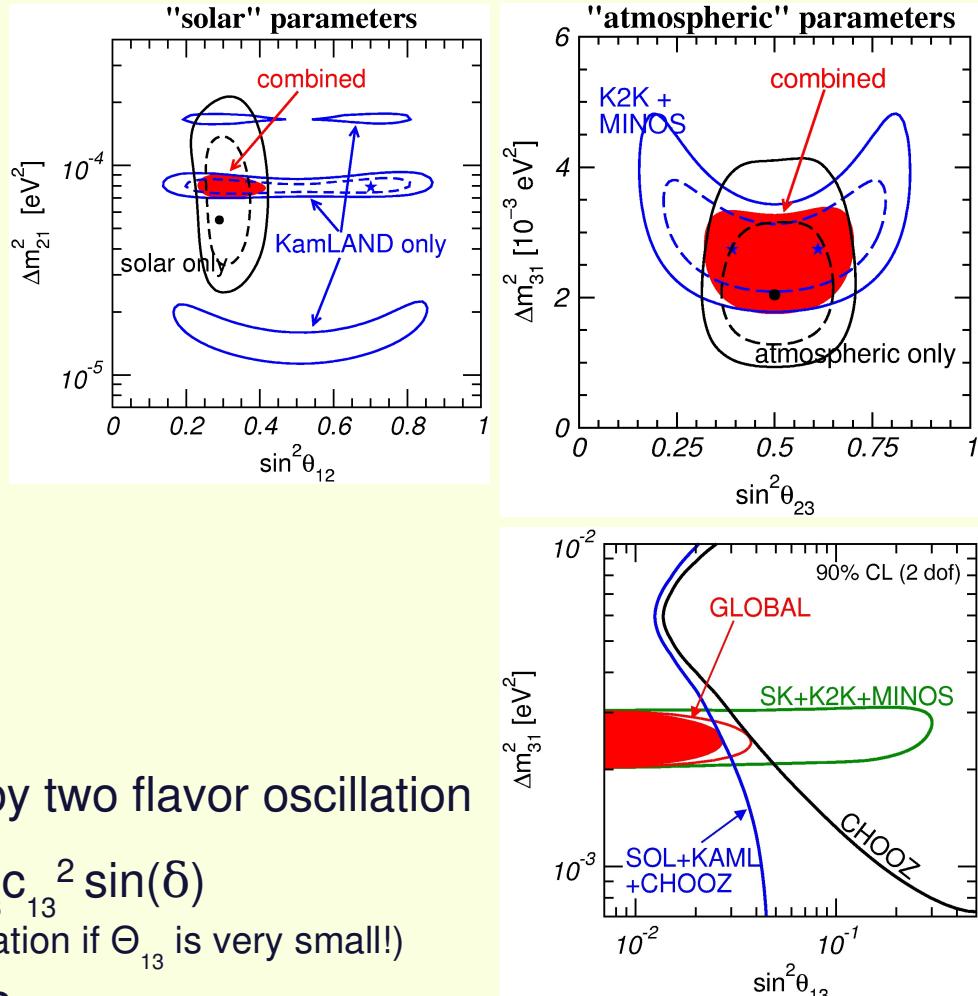
CP-violating phase  $\delta$

only observable if ALL mixing angles nonzero – the choice to put it next to  $\Theta_{13}$  is arbitrary, but...

with  $s_{ij} = \sin \Theta_{ij}$   
and  $c_{ij} = \cos \Theta_{ij}$

# neutrino oscillations

	<b>world best fit</b>	<b>1<math>\sigma</math>-error</b>
$\Delta m_{12}^2$	$7.9 \pm 0.3 (10^{-5} \text{ eV}^2)$	4%
$\Delta m_{23}^2$	$2.5_{-0.25}^{+0.2} (10^{-3} \text{ eV}^2)$	10%
$\sin^2 \Theta_{12}$	$0.3_{-0.03}^{+0.02}$	9%
$\sin^2 \Theta_{23}$	$0.5_{-0.03}^{+0.08}$	16%
$\sin^2 \Theta_{13}$	$\leq 0.025 (2\sigma)$	-



- $\Delta m_{13} \approx \Delta m_{23} \gg \Delta m_{12}$ : approximation by two flavor oscillation
- CP comes into the game:  $s_{12} c_{12} s_{23} c_{23} s_{13} c_{13}^2 \sin(\delta)$   
(note the crucial role of  $\Theta_{13}$  – it could hide CP violation if  $\Theta_{13}$  is very small!)
- is  $\Theta_{23}$  maximal ( $45^\circ$ ), smaller or larger?

we can simplify the equations in a first order approximation (several % error)

with  $\Delta m_{23} \gg \Delta m_{12}$  and  $\Theta_{13}$  very small.

with L in km, E in GeV

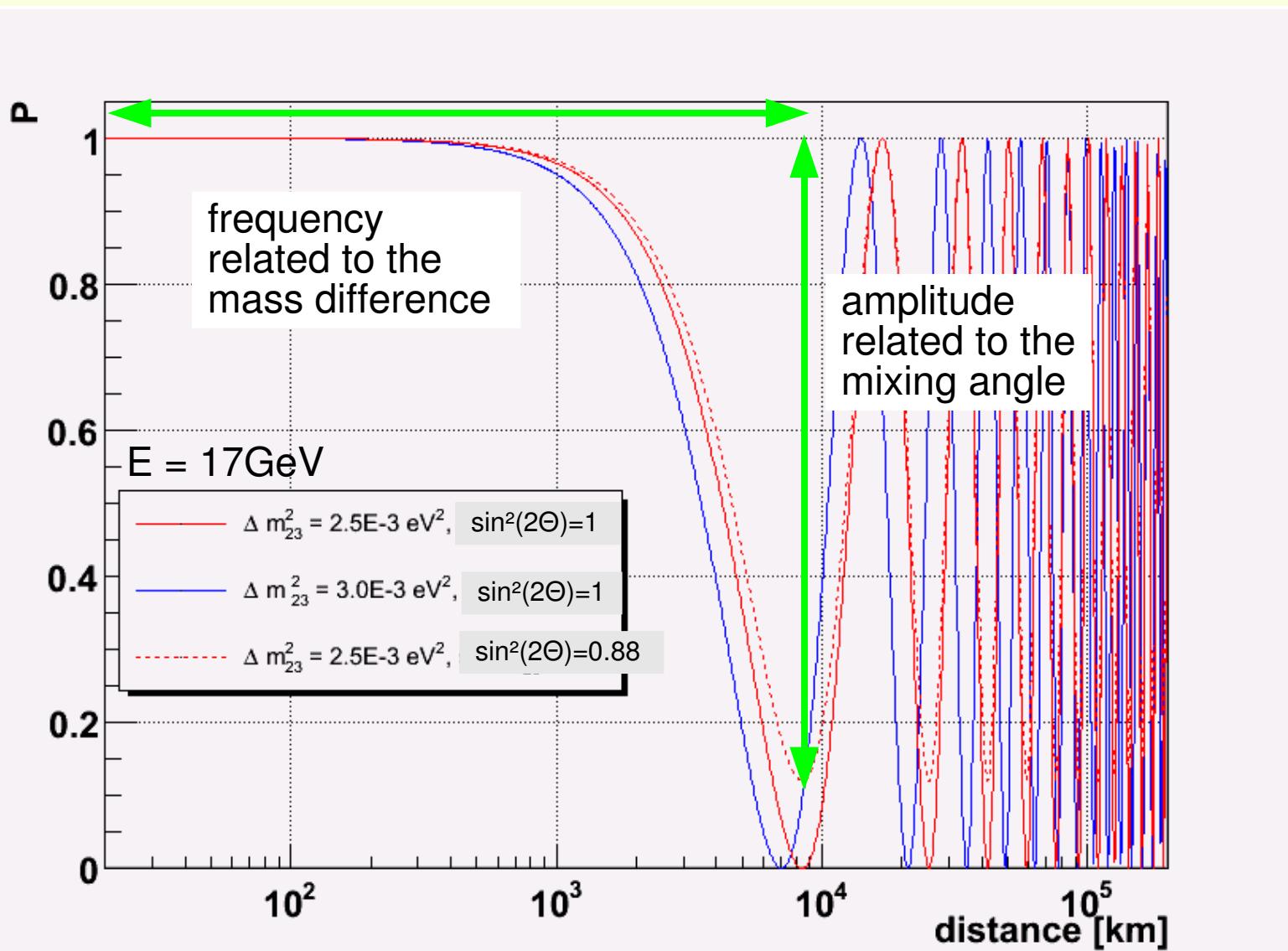
$$P(\nu_\mu \rightarrow \nu_\mu) \approx 1 - \sin^2(2\theta_{23}) \sin^2\left(\frac{1.27(\Delta m_{23}^2)L}{E_\nu}\right)$$

one can control experimentally L and E

one wants to measure:  $\sin^2(2\Theta)$  and  $\Delta m^2$

this is the same result you get from 2-flavor oscillation:

$$\begin{pmatrix} v_\mu \\ v_\tau \end{pmatrix} = \begin{pmatrix} \cos \theta_{23} & \sin \theta_{23} \\ -\sin \theta_{23} & \cos \theta_{23} \end{pmatrix} \cdot \begin{pmatrix} v_2 \\ v_3 \end{pmatrix}$$





# Typical strategy in a few words...

## How to measure a „survival probability“?

a good L/E value to look for  $\nu_{\mu}$ -disappearance:

$$L/E \approx 250 \text{ km/GeV}$$

typical neutrino-nucleus cross-section for GeV neutrinos:

$$\sigma \approx 10^{-38} \text{ cm}^2$$

number of nucleons per kiloton target material:

$$N \approx 10^{32} \text{ nucleons/kton}$$

expected event rate in a detector:

$$\text{rate} = \Phi \times \sigma \times N_{\text{target}}$$

1event/(kton  $\times 10^6 \nu$ ) - at a distance of several hundred km!



# Typical strategy in a few words...

We need a neutrino source that provide:

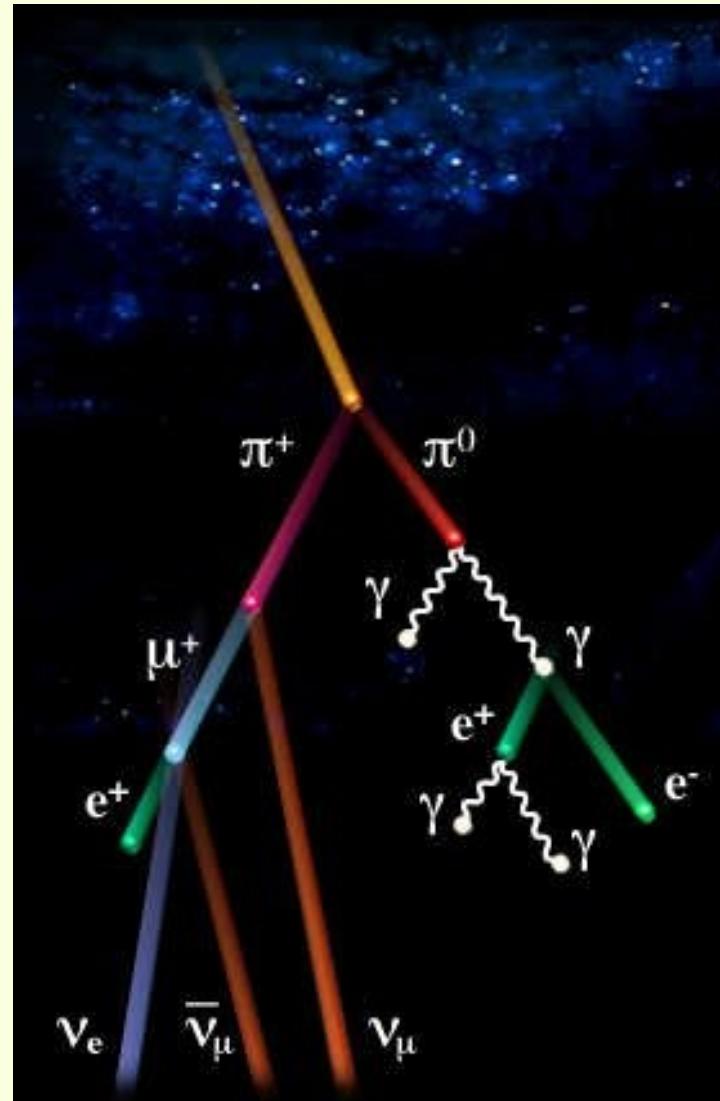
- high flux at large distances
- known neutrino energy spectrum and high energy if you want to see tau-appearance
- distinct distance from source to the detector
- known neutrino flavor in the beam
- pure neutrino beam, low wrong-flavor contamination
- reduced background due to clear timing of neutrino arrival

**We need artificial neutrino beams!**



# conventional neutrino beams

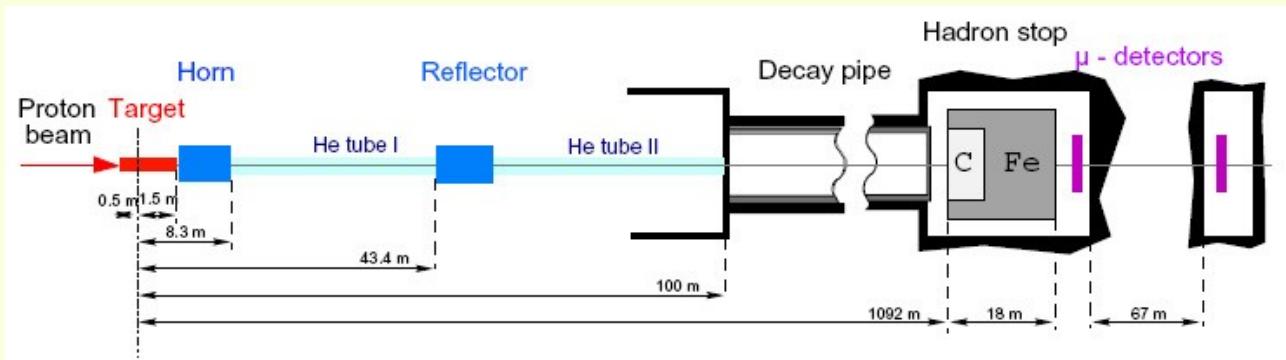
on the way to  $\Theta_{23}$



inspired by  
atmospheric  
neutrino  
generation ...

# conventional neutrino beams

- “conventional“ means:  
*„high energy protons hit a nuclear target and produce a secondary beam (of pions and kaons), whose decays yield a neutrino beam“*
- “beam” means:  
*“one wants to make use of focused forward-boosted secondaries that yields to forward boosted neutrinos“*





# conventional neutrino beams

- tau-neutrino beam from  $D_s \rightarrow \nu_\tau + \tau$  (DONUT)
- electron neutrinos from  $K_L \rightarrow \nu_e + e^- + \pi^+$  (proposed)
- most promising: a (anti-)muon neutrino beam via:





we need protons:  
**the proton source**



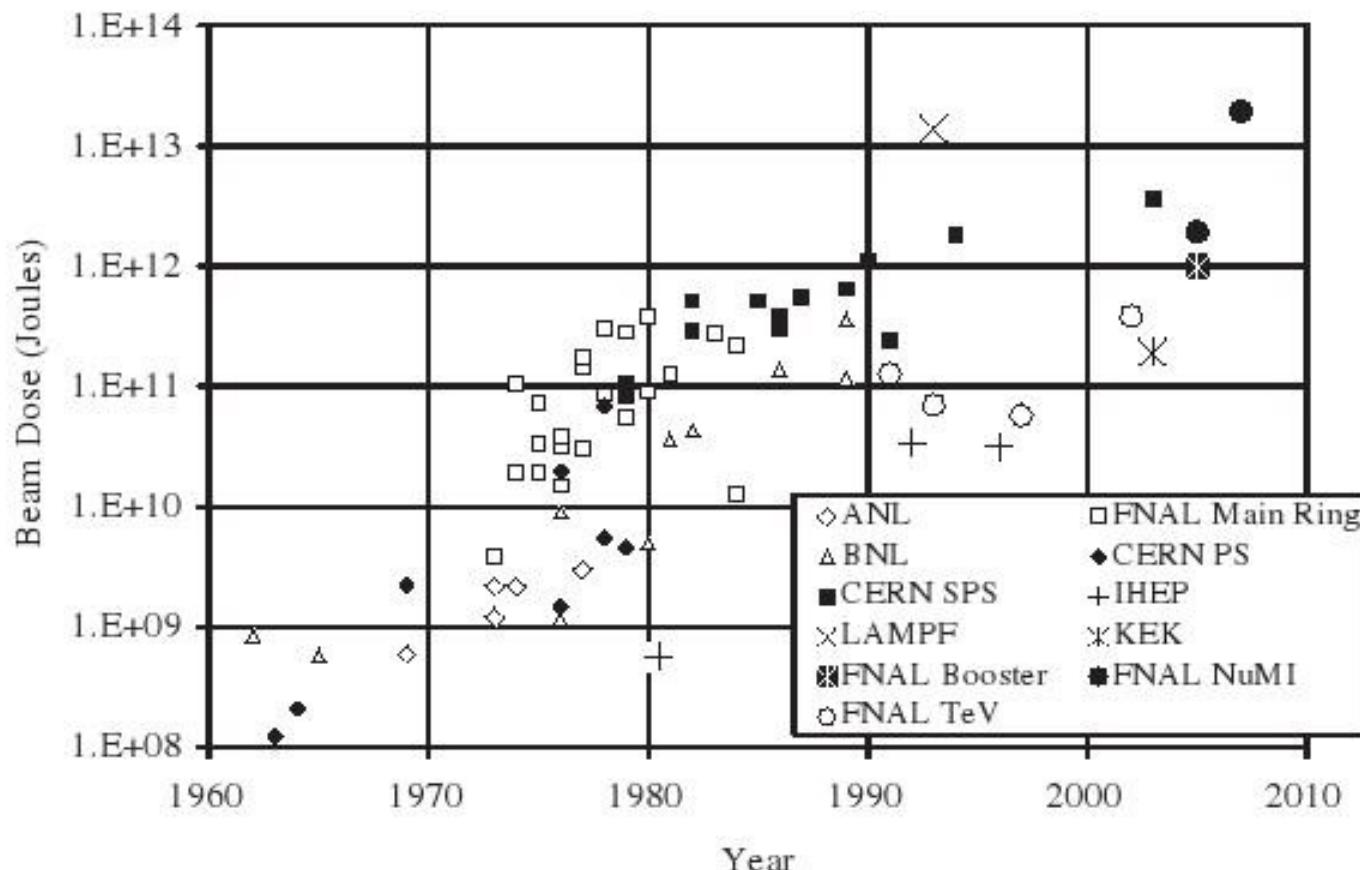
# conventional neutrino beams

## - the proton source -

- keep in mind two rules of thumb:
  - Rule 1)  $E_\nu = f(E_{\pi/K}) = f(E_p)$ 
    - in words: neutrino energy depends on proton energy (but not only!)
  - Rule 2)  $\Phi_\nu = f(\Phi_{\pi/K}) = f(P_p)$ 
    - in words: neutrino flux depends on proton power (pot times  $E_p$ )

proton source	experiments	$E_{\text{proton}}$	pot/yr.	Power	$E_\nu$
SPS	OPERA	400 GeV	$0.45 \cdot 10^{20}$	0.12 MW	25 GeV
FNAL Main Injector	MINOS, NuVA	120 GeV	$2.5 \cdot 10^{20}$	0.25 MW	3-17 GeV
J-PARC	T2K	40-50 GeV	$11 \cdot 10^{20}$	0.75 MW	0.8 GeV

# conventional neutrino beams - integrated proton power -



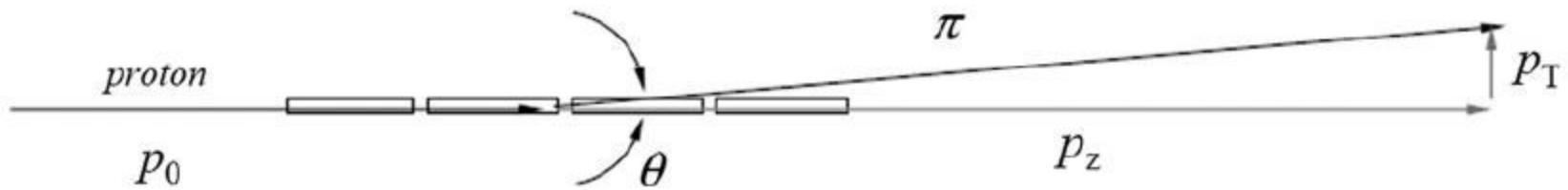
from: S. Kopp, Phys. Rep. 439, p. 101-159, 2007



we need nucleons:  
**the target**

# conventional neutrino beams

## - the target -



- target length
  - the longer the more proton interactions
  - but trade-off: the longer the more secondary scatterings
- target material
  - high melting point (instantaneous power about 100 GW!!!)
  - high shock resistance
- target structure
  - „needle-like“ to reduce pathlength for secondaries
  - for high energy neutrinos: evacuated regions between targets to „let the pions out“
  - for high power beams: segmented to avoid shockwaves



# conventional neutrino beams

## - the target -

- low Z materials reduce upheating (graphite)
- fill gaps of segmented targets with sealed gas/vacuum to reduce shockwave propagation
- no direct contact with cooling material like water or gas to avoid radioactive waste
- full remote access in case of broken target (barrel-like design)
- guideline:  $\emptyset \approx 3 \cdot \sigma_P$ ,  $\sigma_P^{\text{SPS}} \approx 1\text{mm}$ , large  $\sigma_P$  prevents upheating

neutrino beamline	experiments	material	$\emptyset [\text{mm}]$	length [cm]
<b>CNGS (SPS)</b>	OPERA	graphite	4-5	200
<b>NuMI (Fermilab)</b>	MINOS, NOvA	graphite	6.4	90
<b>J-PARC (KEK)</b>	T2K	graphite	12-15	90
<b>BoosterNeutrino</b>	MiniBooNe	Be	10	60



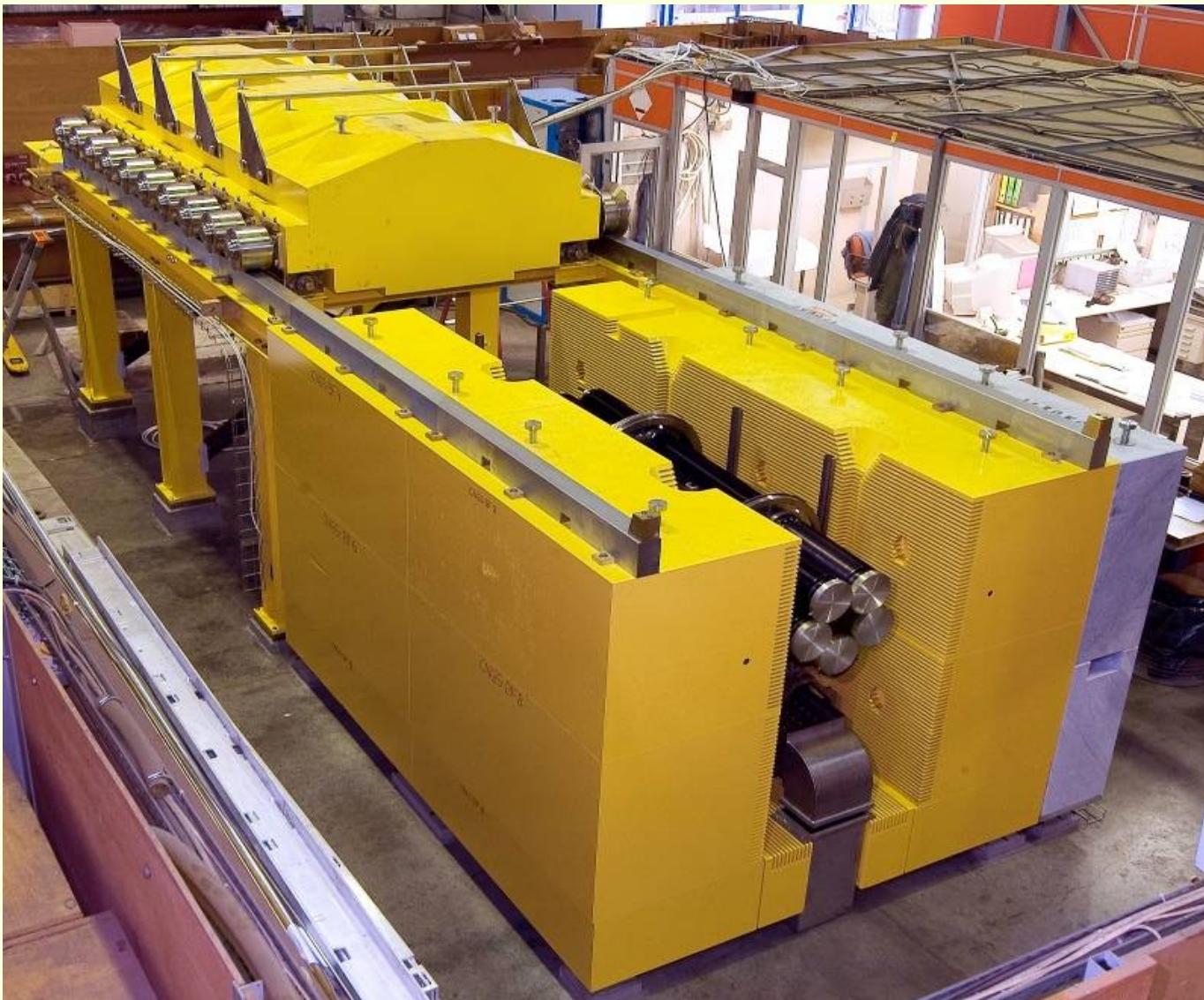
# conventional neutrino beams - the CNGS target -

- 13x10cm graphite rod, 9cm helium filled gaps
- air cooled

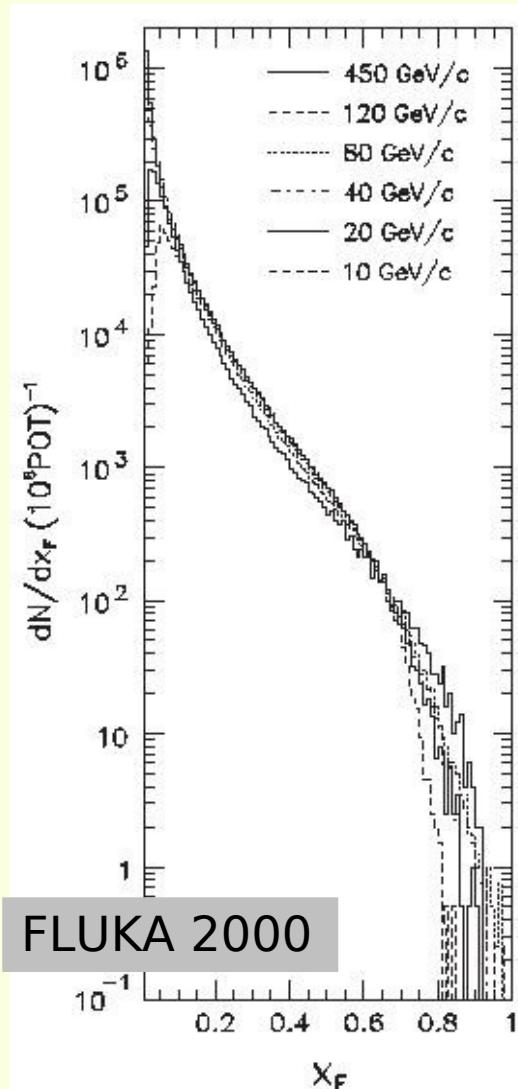




# conventional neutrino beams - the CNGS target -

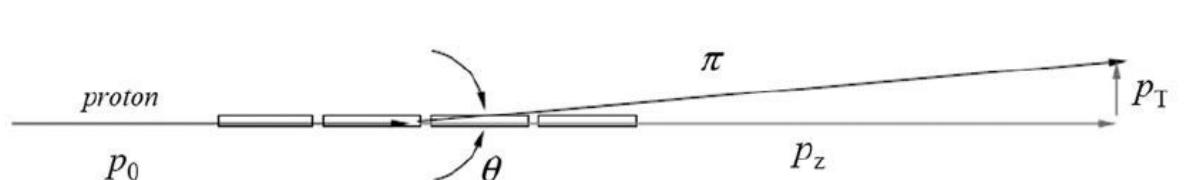


# conventional neutrino beams



- define:  $x_F := p_z/p_0$
- $dN/dx_F$  (almost) independent of proton momentum

Pion momentum  $p_z$  scales with incident proton momentum!



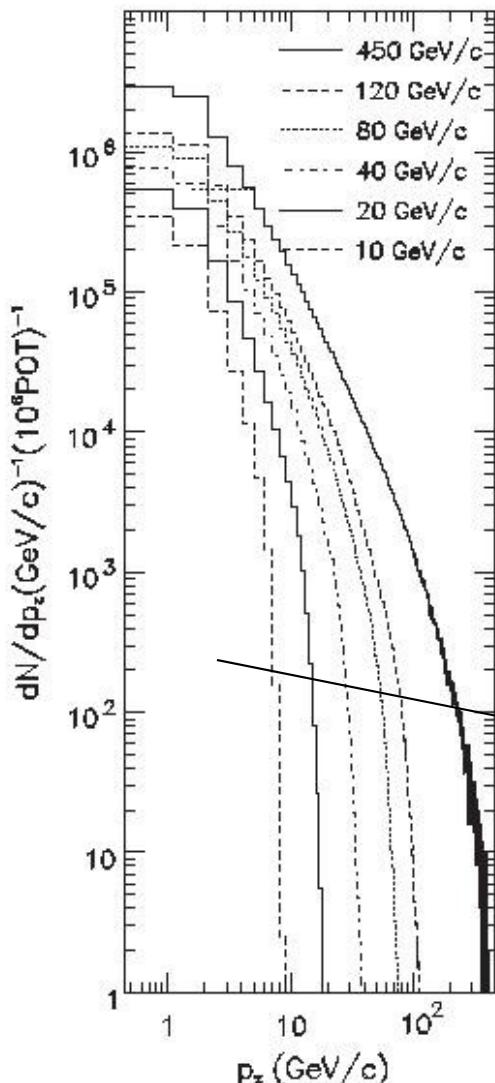
graphite-target, 94cm long,  
6.4x15mm<sup>2</sup> transverse

from: S. Kopp, Phys. Rep. 439, p. 101-159, 2007

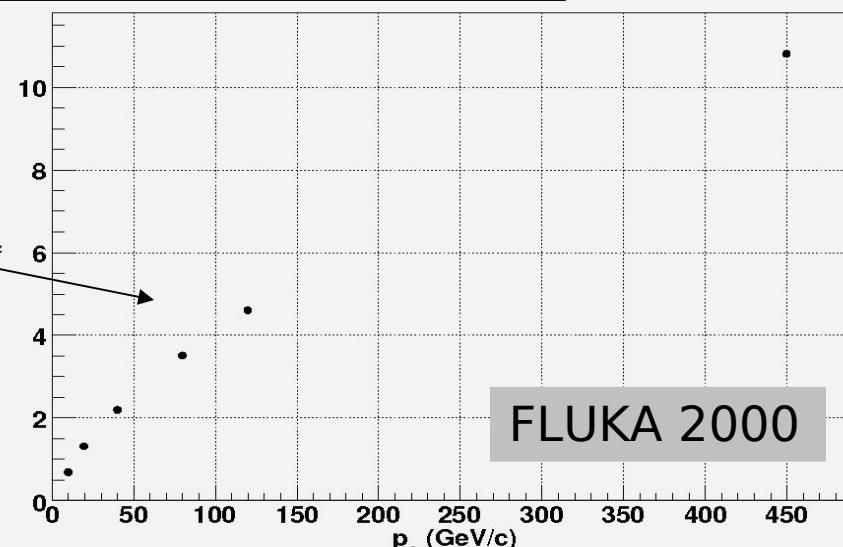
# conventional neutrino beams

- integrals are the mean number of pions
- number of pions per „pot“ grow with proton energy

$$n_\pi/\text{pot} \sim (p_0)^{0.7}$$



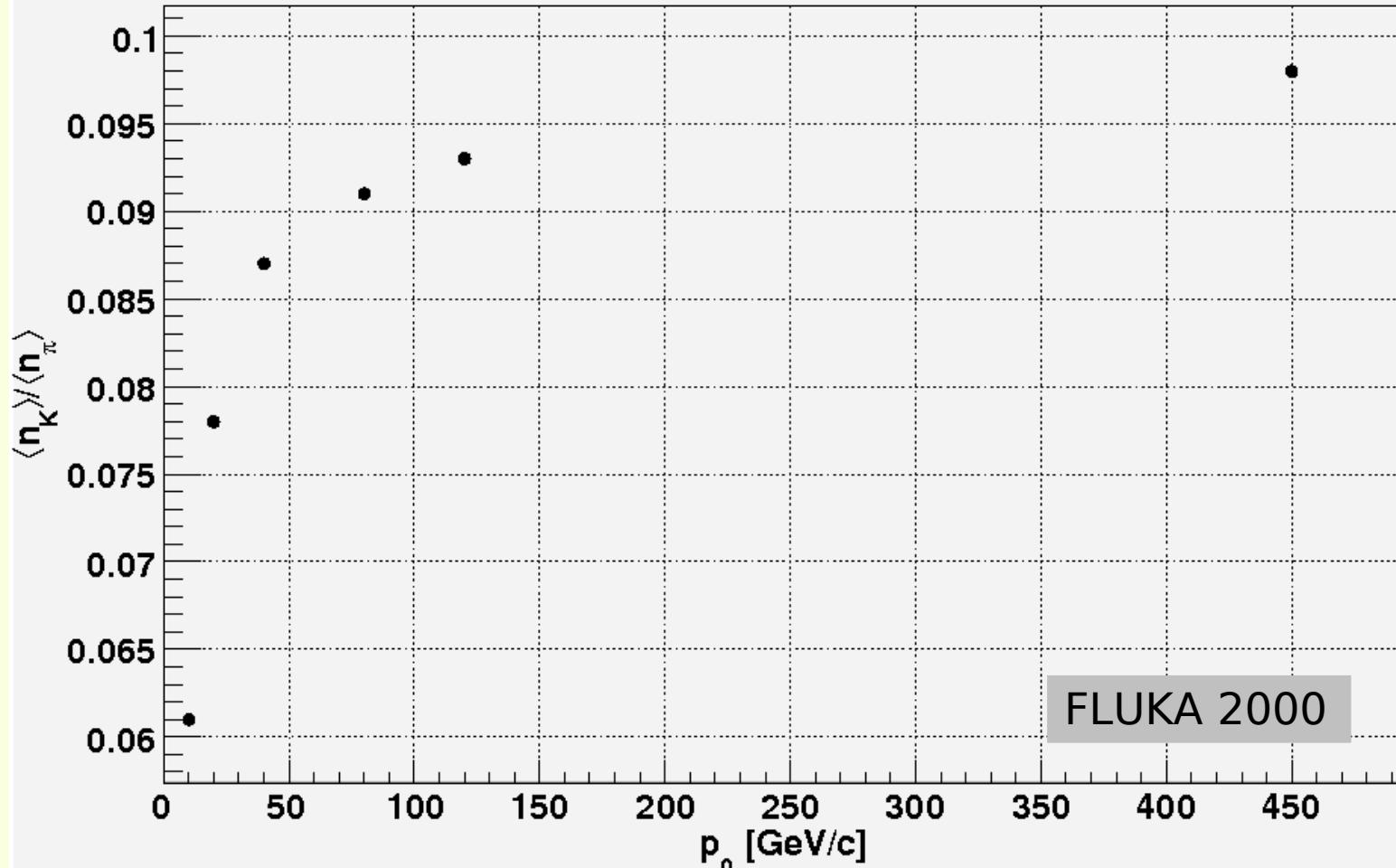
Mean number  $\langle n_\pi \rangle$  per proton on target



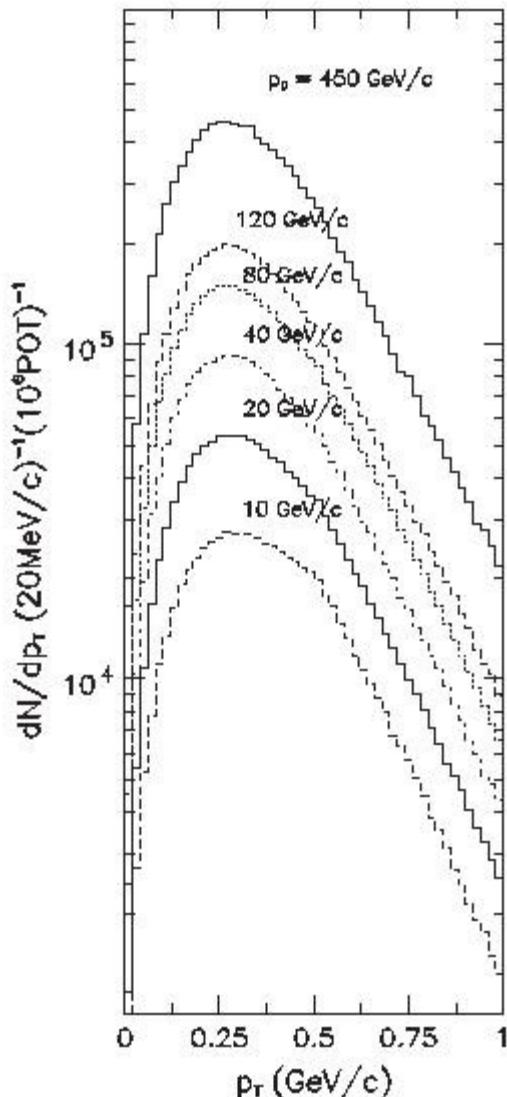
graphite-target, 94cm long,  
6.4x15mm<sup>2</sup> transverse

from: S. Kopp, Phys. Rep. 439, p. 101-159, 2007

# conventional neutrino beams

**K/ $\pi$  yield**

# conventional neutrino beams



- important to understand beam divergence: transverse momentum  $p_T$  of secondaries
- process dominated by fermi motion of partons inside the nucleus of the target:  
 $\sim 2\pi hc/1\text{fm} \approx 200\text{MeV}$
- peak transverse momentum  $\approx 280\text{MeV}$
- $\Theta_\pi \approx p_T/p_\pi \approx 280\text{MeV}/E_\pi = 280\text{MeV}/(\gamma m_\pi)$   
 $\approx 2/\gamma$

from: S. Kopp, Phys. Rep. 439, p. 101-159, 2007



# conventional neutrino beams

## - pion decay -



- pion (kaon) decay is a 2-body-decay:  $\pi \rightarrow \mu + \nu_\mu$
- pion and kaon are spin zero particles, angular distribution is isotropic in CM frame, in the lab frame ( $m_\nu = 0$ ,  $\beta \approx 1$ ):

$$E_\nu \approx ((1-m_\mu^2/M^2)E)/(1+\gamma^2\tan^2\Theta_\nu)$$

$$\Theta_\nu^{\max} \approx 1/\gamma \quad (\text{compare with } \Theta_\pi \approx 2/\gamma)$$

$$\Phi_\nu \sim (2\gamma/(1+\gamma^2\Theta_\nu^2))^2$$

- these squares in the flux formula makes neutrino beams complicated: You have to focus the pions and kaons or loose a factor  $(1+(1+2)^2)^2/(1+1)^2 = 25$ , that are 96% of your neutrinos, in comparison to a perfectly focused beam!

(of course this model is simplified)

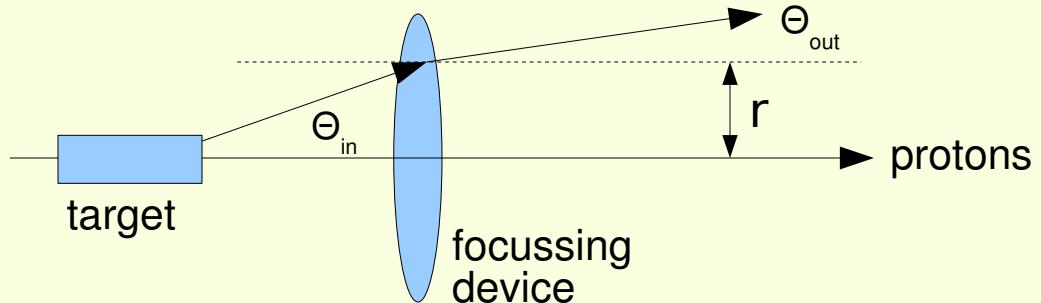
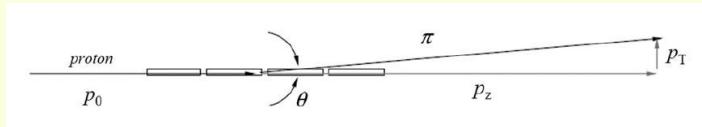


we need a beam:

# focussing the secondaries



# conventional neutrino beams - focussing -



- perfect focussed mean:  $\Theta_{\text{out}} = 0$ 
  - $\Theta_{\text{in}} \approx p_T/p_\pi$ : particle with a large distance to the incident proton beam need large focussing  $F$ :  $F \sim r$
  - magnetic line source in beam direction? Yes, but  $B \sim 1/r$
  - here comes the trick: use a „magnetic line source“, but let particles with large distance  $r$  travel a longer distance  $x$  in the magnetic field!

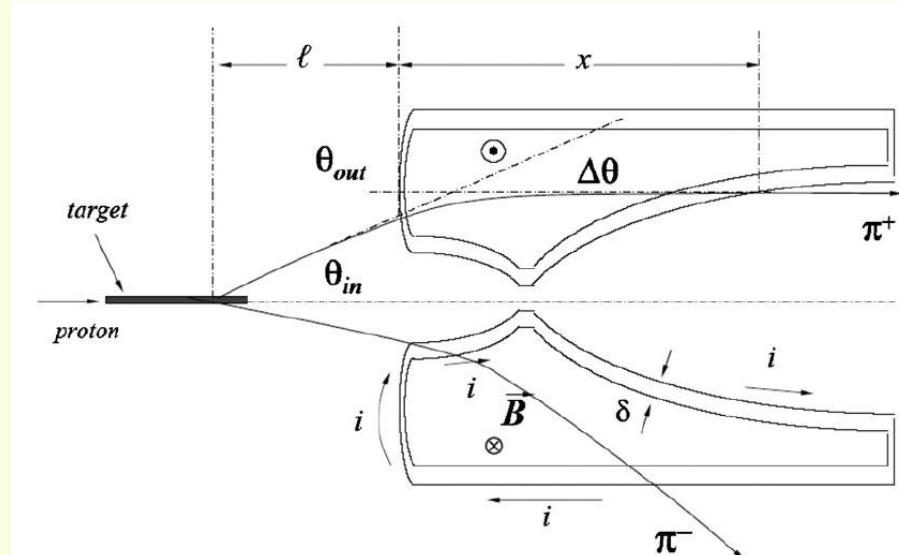
$$F \sim r \sim B(r) \cdot x(r)$$

# conventional neutrino beams - focussing -

the solution:  
**parabolical horn**  
with inner conductor  
shape  $z = ar^2$

(this one shown here is in fact a  
double-horn)

$$\Delta\Theta = \frac{Bx}{p} = \frac{\mu_0 I x}{2\pi r p} = \frac{\mu_0 I a r}{2\pi p}$$



from: S. Kopp, Phys. Rep. 439, p. 101-159, 2007

- with  $\Delta\Theta = \Theta_{out} - \Theta_{in}$  perfect focussing means:  $\Theta_{out} = 0$  or  $\Delta\Theta = r/L$   
a parabolic horn focuses a particular momentum for all angles:

$$f = L = 2\pi p / (\mu_0 I a) = \text{const}^*(p/I) \quad f: \text{focal lenght}$$

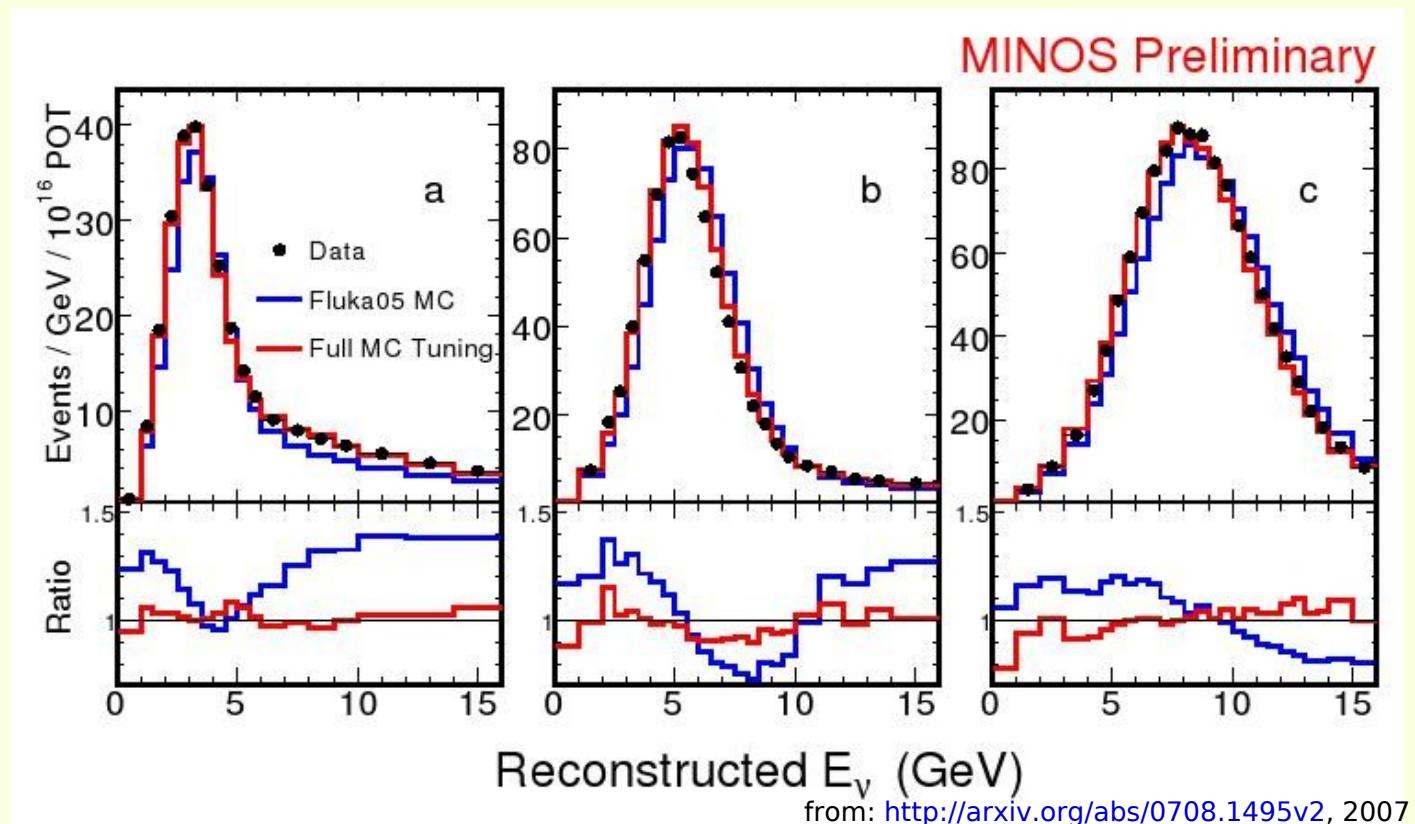
- to give a pion a  $p_T$ -“kick” of about 280MeV, a typical horn needs the incredible current of  $I \approx 150.000\text{A}$  (pulsed)

# conventional neutrino beams

## - focussing -

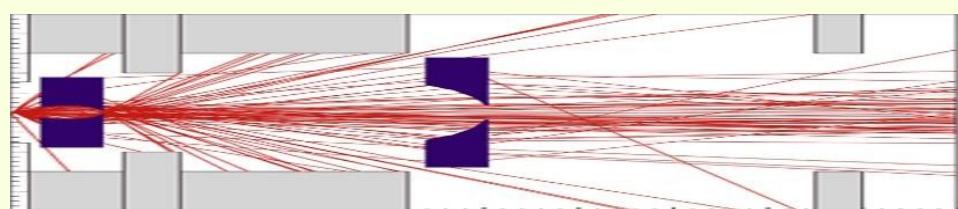
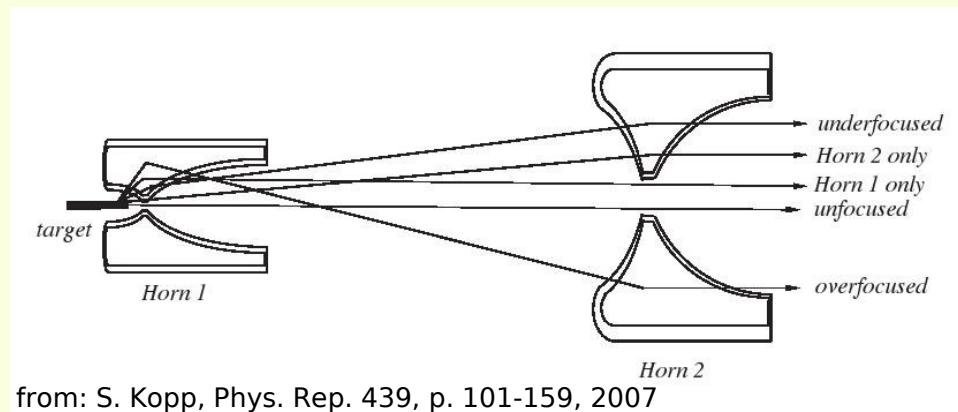


- one can use horn focal lenght  $f \sim p$  to vary the mean beam energy by adjusting the distance between target and horn, horn further downstream focusses higher momentum particles.

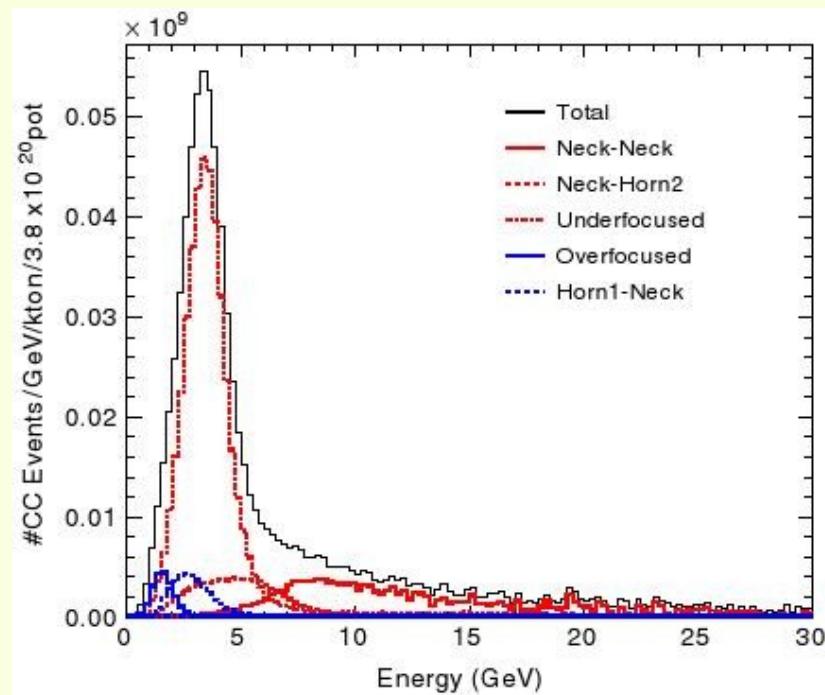


# conventional neutrino beams - focussing -

- but the target is not a point source and not all particles have the mean momentum, so many particles will end up under- or overfocused... additional horn(s) needed!

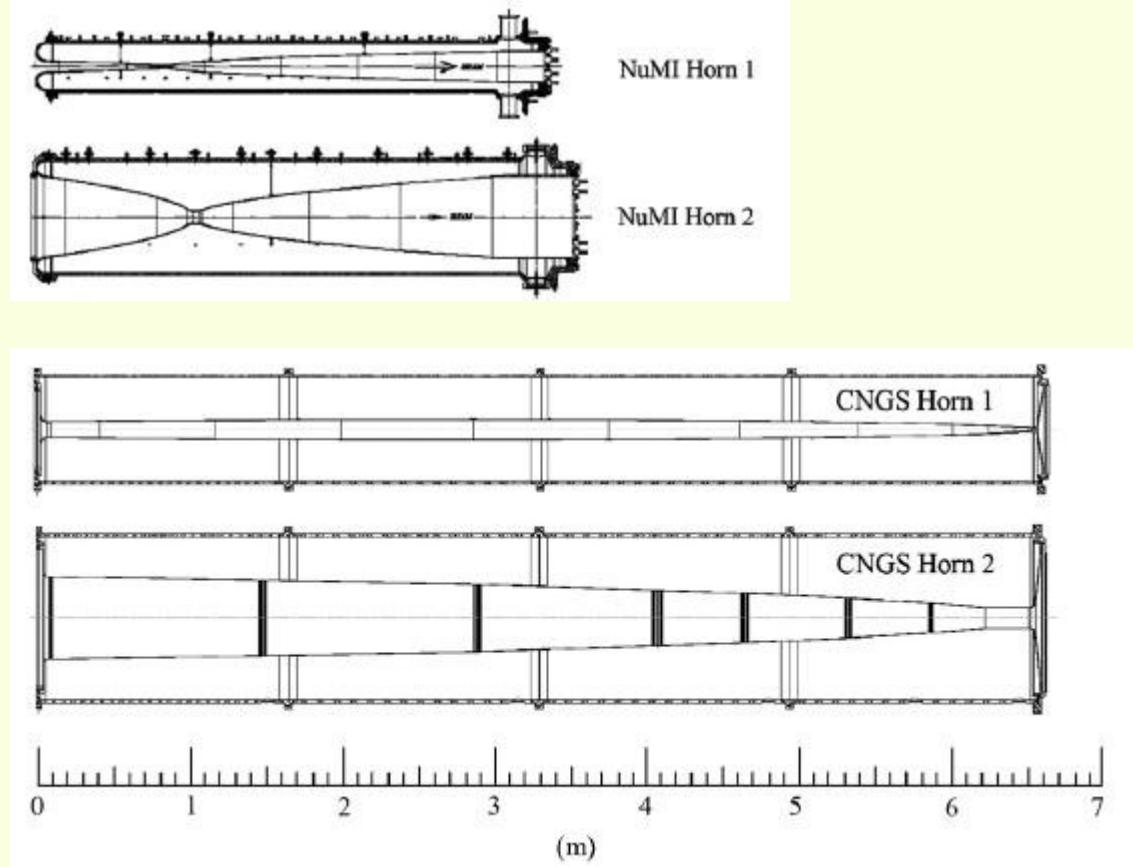


CNGS Beam, FLUKA 2000 simulation (from: CNGS workshop)





# conventional neutrino beams - focussing -



NuMI Horn 1



# conventional neutrino beams - focussing -



CNGS Horn 1



we need neutrinos from the secondaries:  
**decay pipe**



# conventional neutrino beams

## - decay region -

- after having the pions and kaons focussed, they decay into charged leptons and neutrinos
- reduce multi-scattering in decay pipe (vacuum, He)
- the longer the decay region, the more pions will decay (good!) but the more of the decay-daughter, mostly muons, will decay too – into electrons and electron neutrinos (bad!)
- $y_\pi$ : pion lifetimes in decay pipe

$$y_\pi = \frac{L m_\pi c^2}{E_\pi c \tau_\pi}$$

neutrino beamline	experiments	pipe (m)	$\emptyset$ [m]	$y_\pi$	filled
<b>CNGS (SPS)</b>	OPERA	1000	2.45	0.36	vacuum**
<b>NuMI (Fermilab)</b>	MINOS, NOvA	675	2	0.78*	He (NEW!)
<b>J-PARC (KEK)</b>	T2K	130	up to 5.4	0.43	He
<b>BoosterNeutrino</b>	MiniBooNe	50	1.8	0.36	air

\* for NuMI medium energy configuration (10GeV)  
 \*\* 1mbar abs., 3mm Ti-window



# conventional neutrino beams - decay region -



CNGS decay pipe



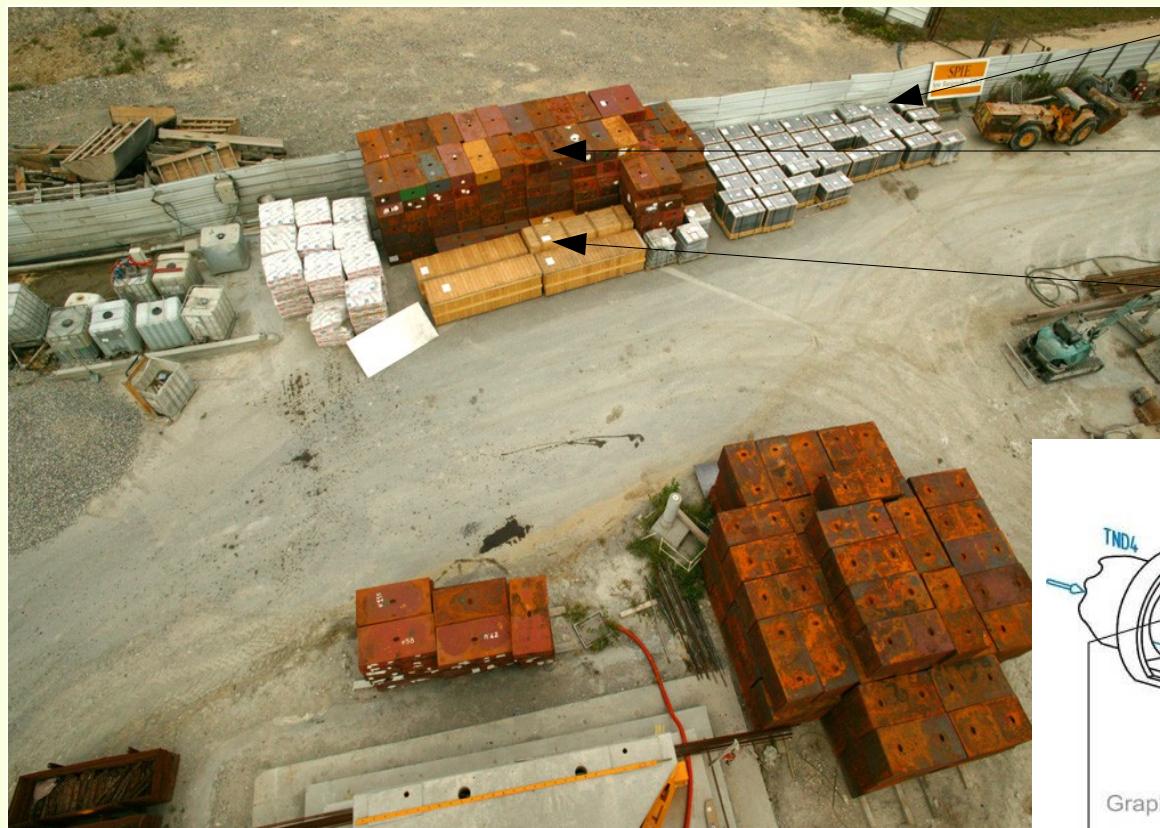


but not all pions will decay:  
**hadron stop**

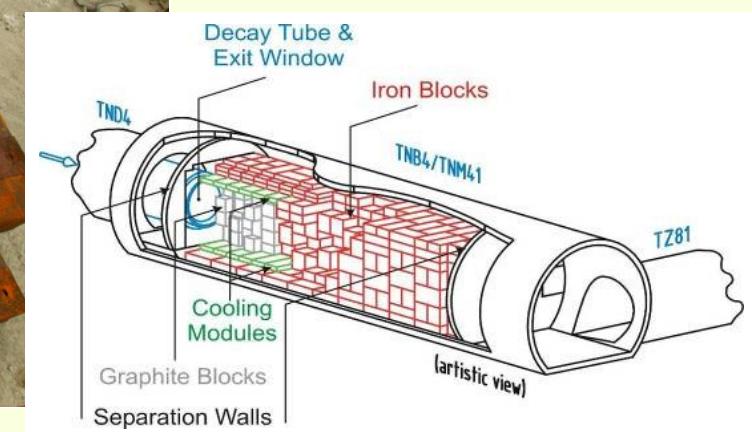
# conventional neutrino beams

## - hadron stop -

- many protons remain without interaction – you have to absorb them (and the undecayed secondary hadrons) before it comes to beam monitoring...



CNGS target material





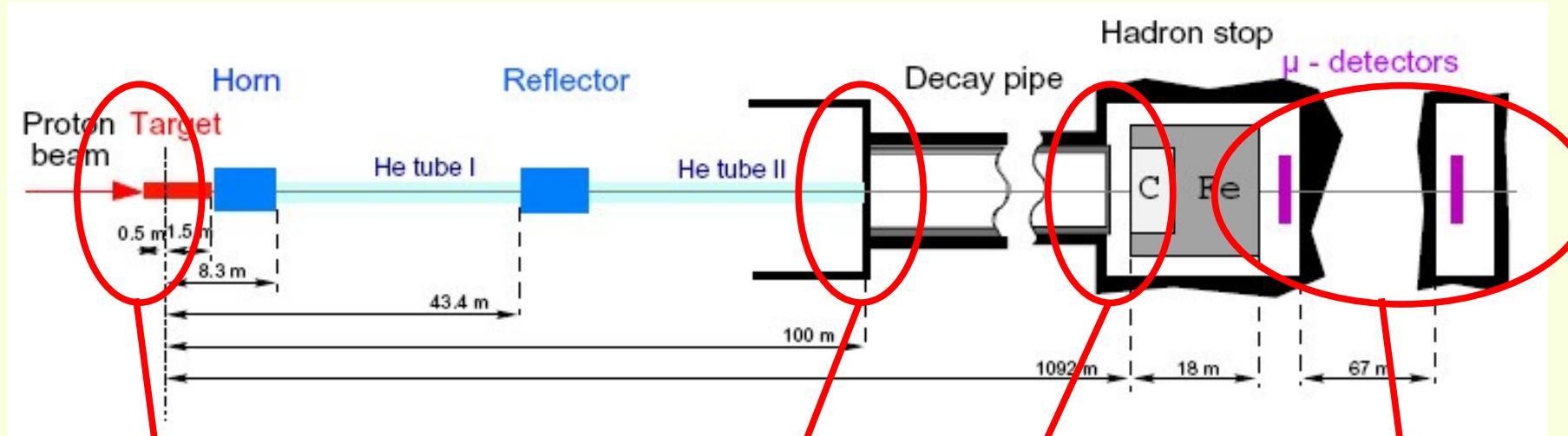
# conventional neutrino beams

see what we got:  
**beam monitoring**

# conventional neutrino beams

## - beam monitoring -

- remember you dump  $O(100\text{GeV})$  proton bunches on solid targets to produce pion beams... monitoring needed!



**proton monitoring**  
- intensity per pulse  
- spot position  
- spot size  
- angle

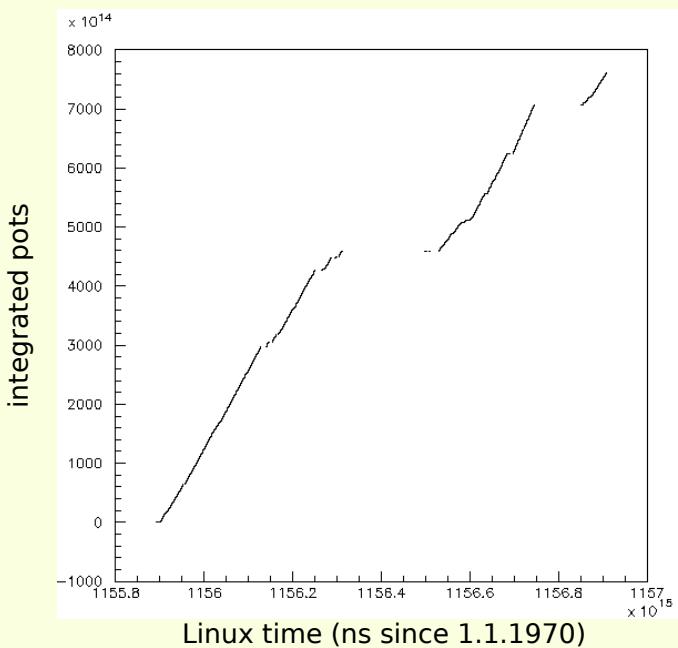
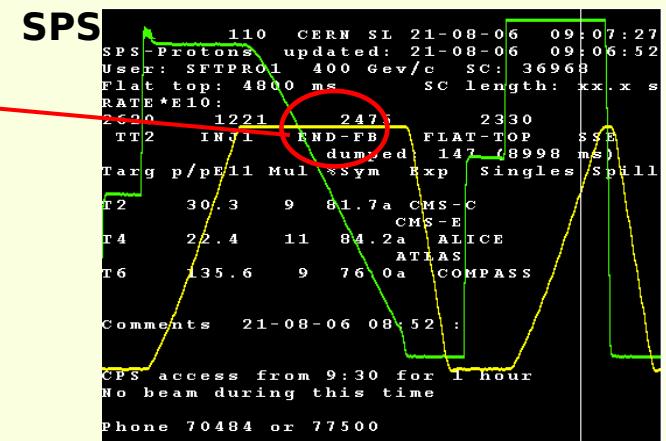
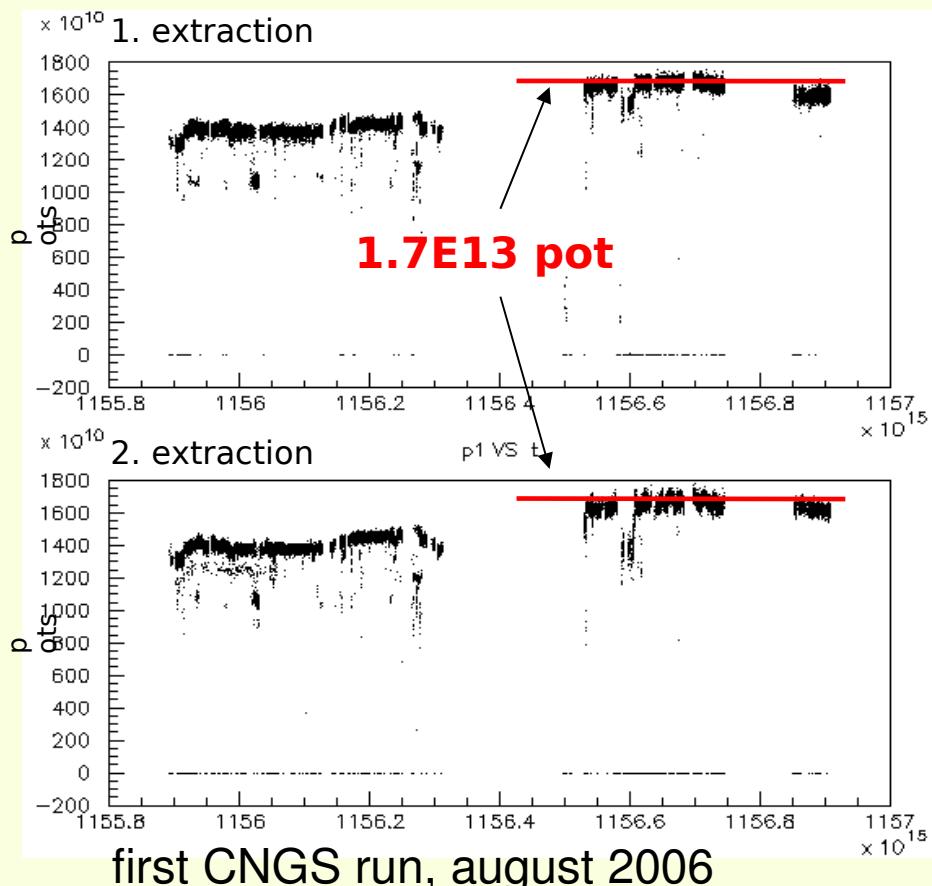
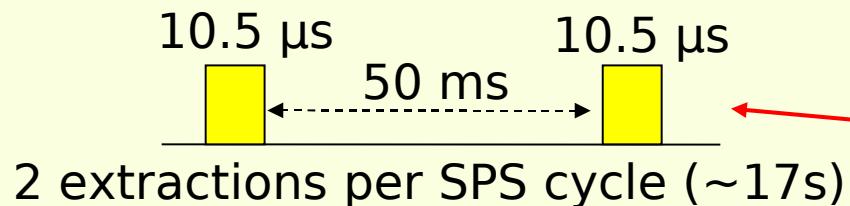
**secondaries monitoring**  
- beam misalignment  
- proton conversion ratio  
- K/π ratio

**hadron monitoring**  
- proton alignment  
- target monitoring

**muon monitoring**  
- flux measurement  
(muon flux related to neutrino flux)



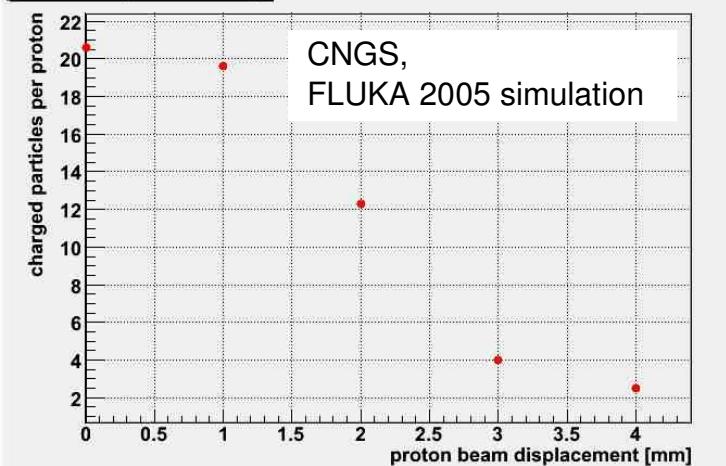
# conventional neutrino beams - proton monitoring -





# conventional neutrino beams - secondary monitoring -

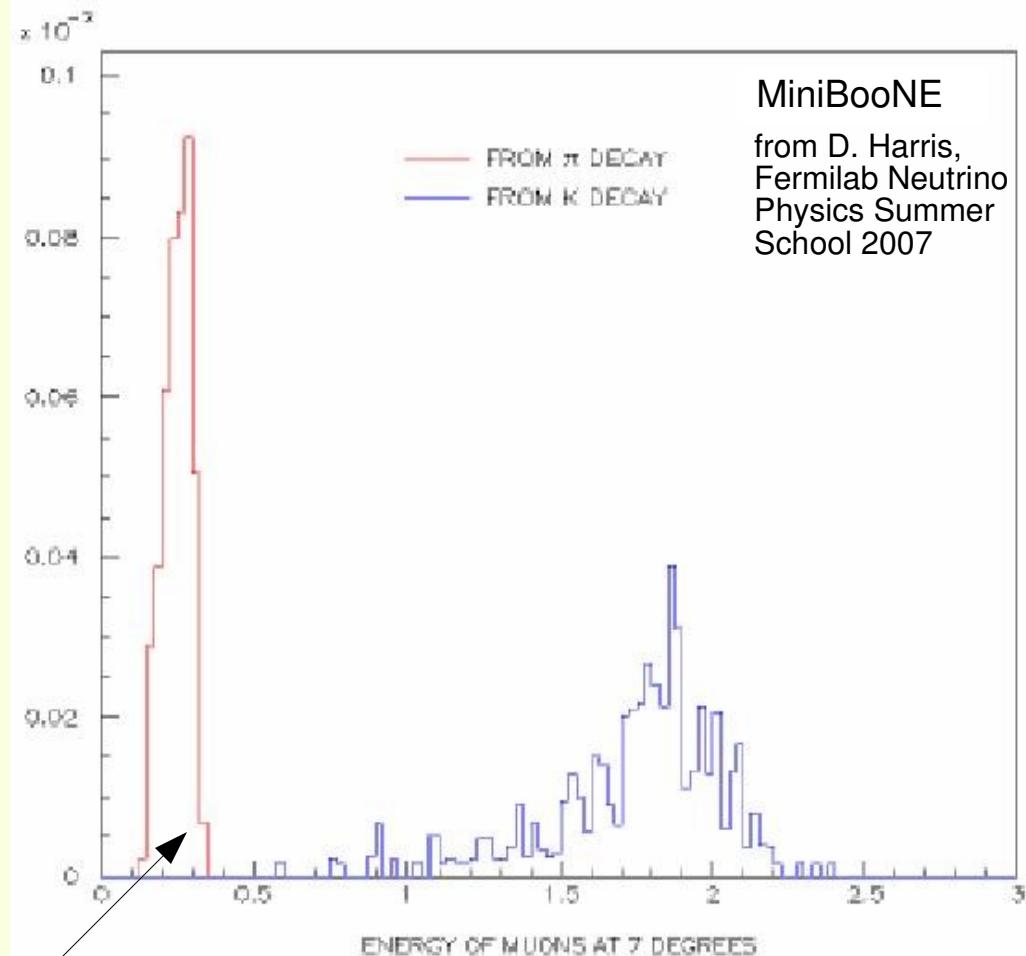
## secondary monitoring



data from A. Geschwendtner, CERN, 2006

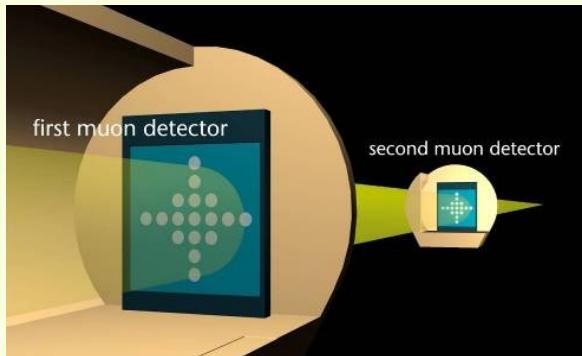
MiniBooNe-spectrometer 7° off-axis in beamlne:

- most pions have too high energy to produce a 7° muon
- very low energy pions decay upstream early



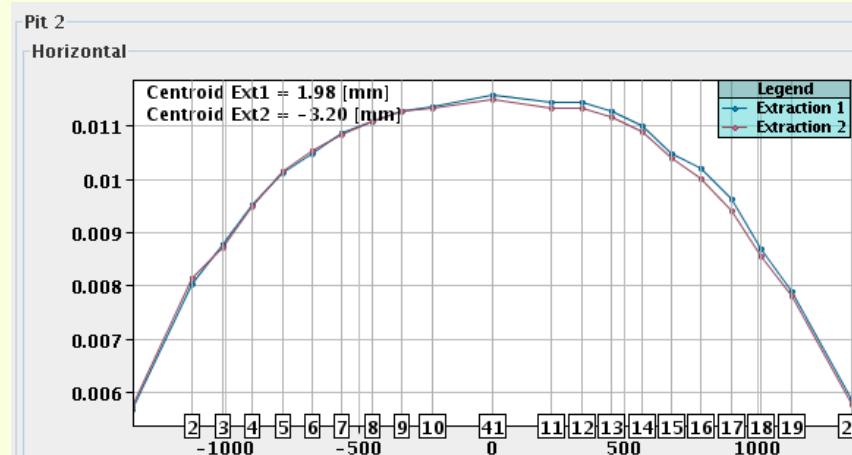
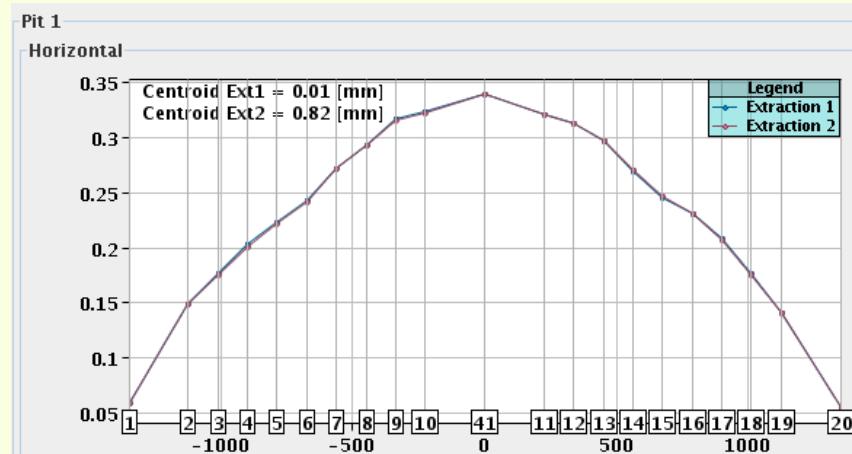
MiniBooNE  
from D. Harris,  
Fermilab Neutrino  
Physics Summer  
School 2007

# conventional neutrino beams - muon monitoring -



CNGS crosshair muon monitor

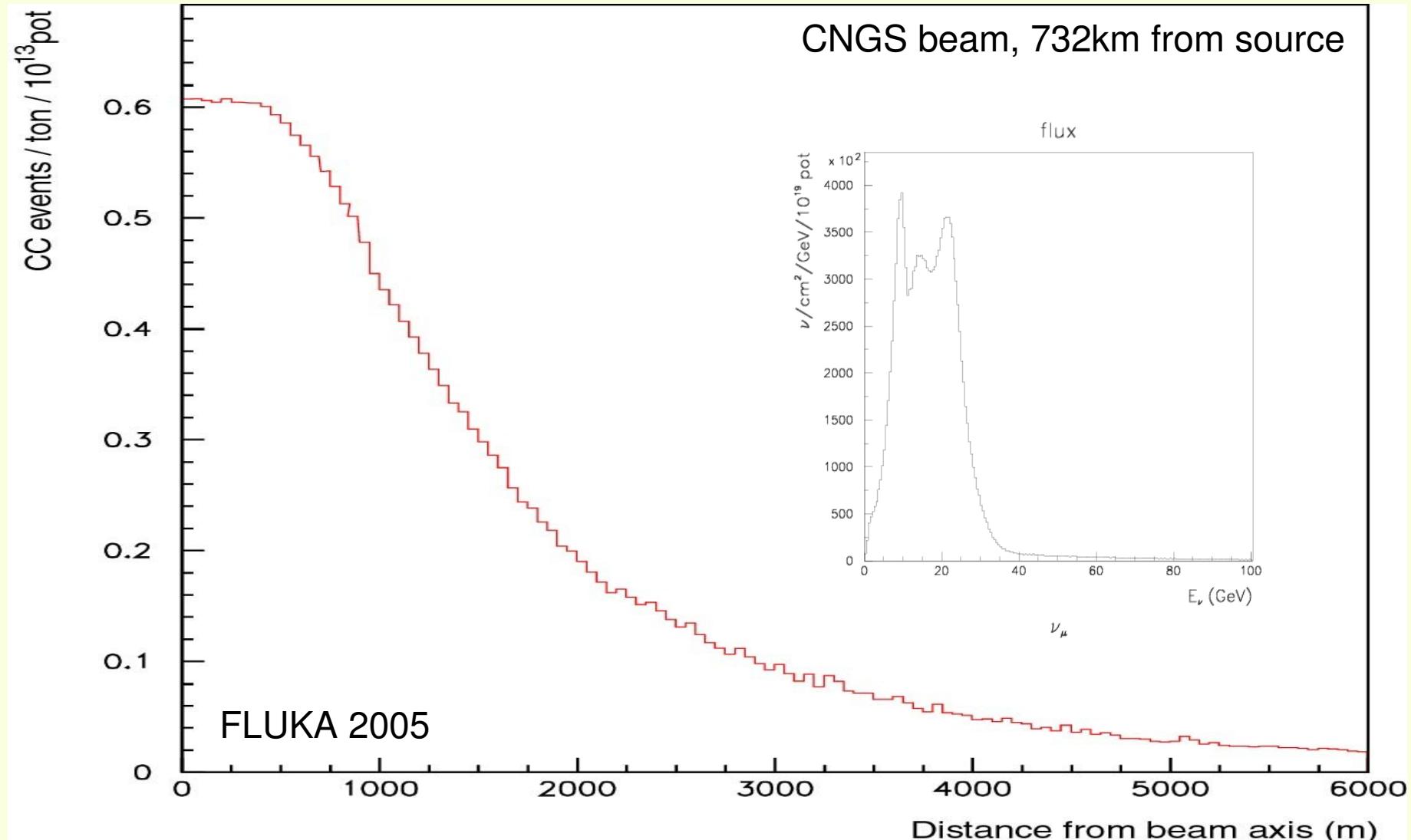
- measure muon intensity  $(10^7 \frac{1}{cm^2 10.5 \mu s})$



data from  
2007 CNGS  
physics run  
(ended oct.  
26th. 2007)



# conventional neutrino beams - beamspread -

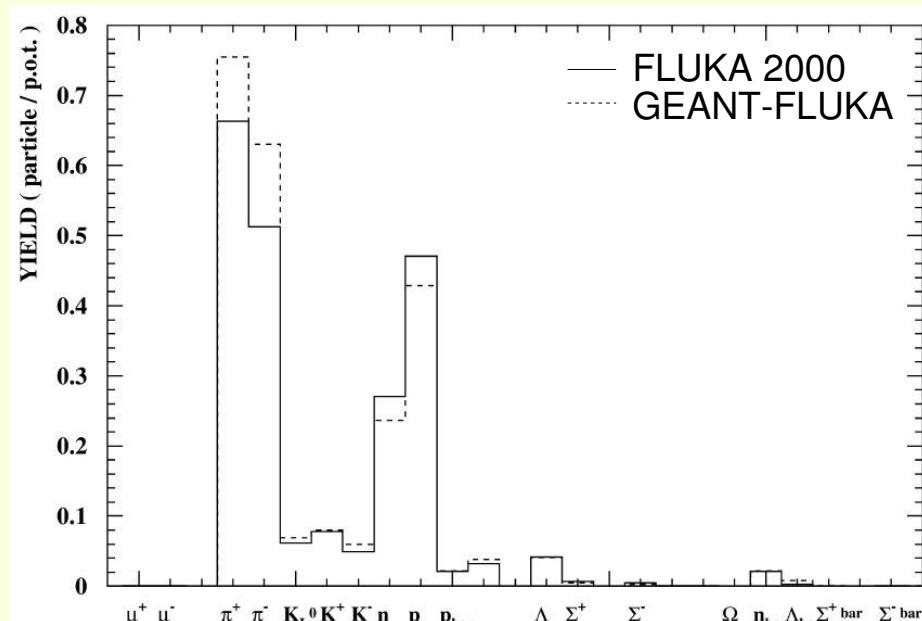




we only want pure muon-neutrinos:  
**beam contamination**

# conventional neutrino beams - contamination -

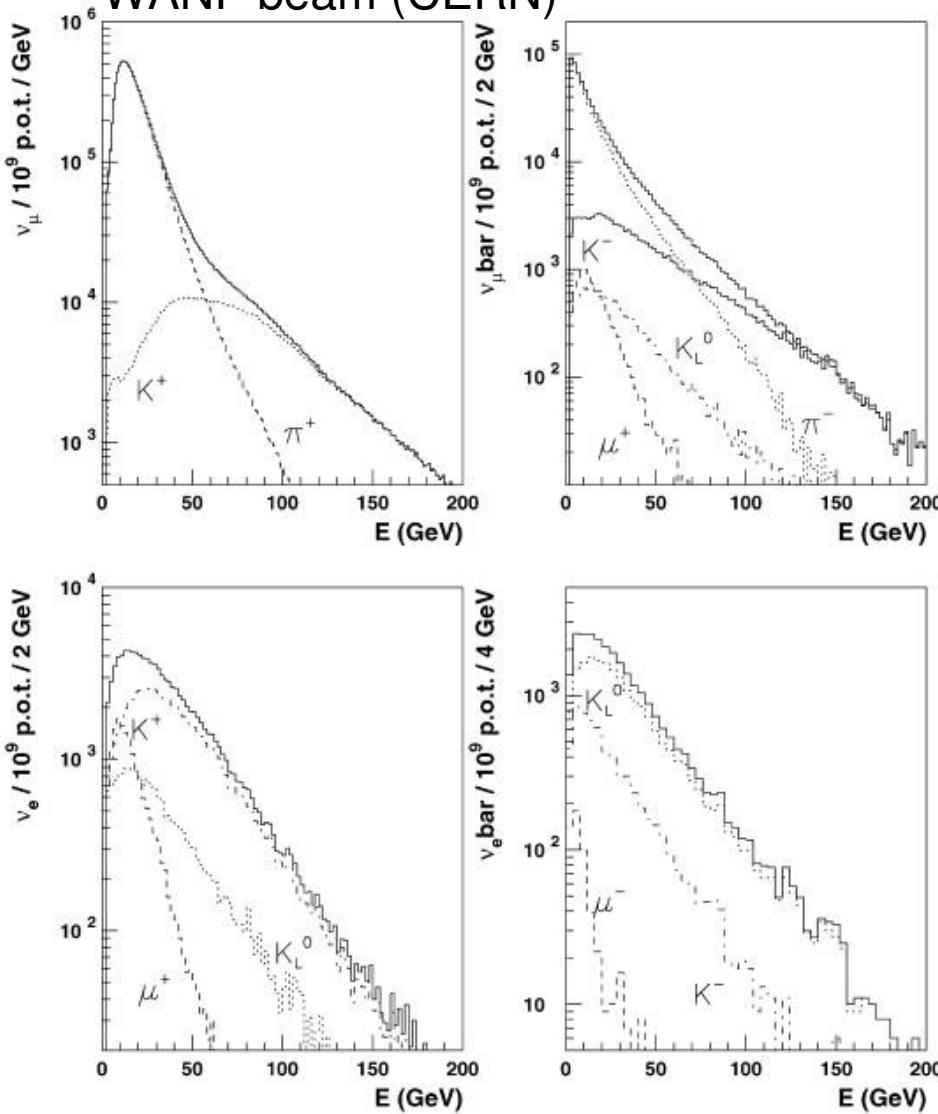
- unfortunately, there are not only  $\nu_\mu$  in the beams...
- large number of dedicated hadron production experiments:
  - NA56/SPY: SPS protons on Be-targets
  - HARP: low energy (up to 15GeV)
  - WANF neutrinos with experiments NOMAD and CHORUS



from: G. Collazuol et al., NIM A, 1999

# conventional neutrino beams - contamination -

WANF beam (CERN)



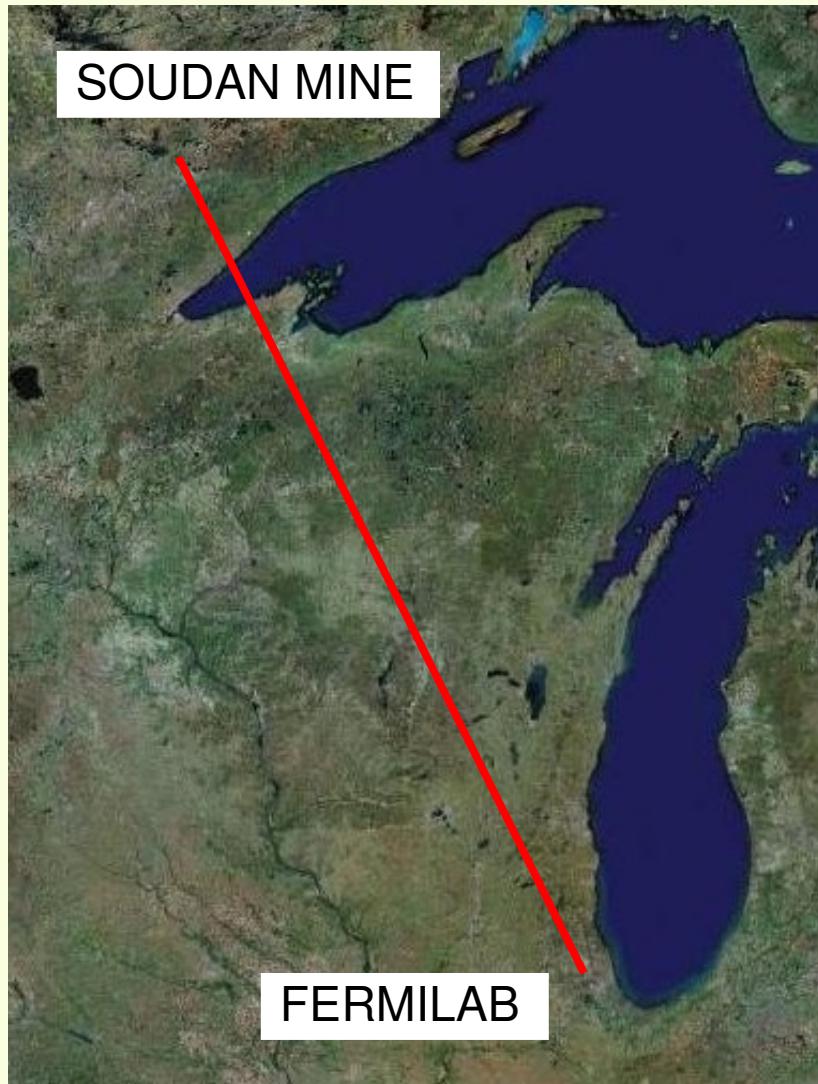
CNGS beam

	<b>beam content</b>
$\nu_{\mu}$	100
anti- $\nu_{\mu}$	2.1
$\nu_e$	0.8
anti- $\nu_e$	0.07
$\nu_{\tau}$	$\sim 10^{-5}$

from: G. Collazuol et al., NIM A, 1999



a typical neutrino experiment:  
**MINOS**  
in 5 minutes...



## Main Injector Neutrino Oscillation Search

- NuMI  $\nu_\mu$ -beam
- 2 detectors (near and far)
  - near: 1km away
    - beam composition
    - energy spectrum
  - far: 735km away
    - neutrino oscillation

physics with **MINOS** – or with two detectors in a  $\nu_\mu$ -beam

- $\nu_\mu$ -disappearance

$$P(\nu_\mu \rightarrow \nu_\mu) \approx 1 - \sin^2(2\theta_{23}) \sin^2\left(\frac{1.27(\Delta m_{23}^2)L}{E_\nu}\right)$$

- $\nu_e$ -appearance

$$P(\nu_\mu \rightarrow \nu_e) \approx \sin^2(2\theta_{23}) \sin^2(2\theta_{13}) \sin^2\left(\frac{1.27(\Delta m_{13}^2)L}{E_\nu}\right)$$

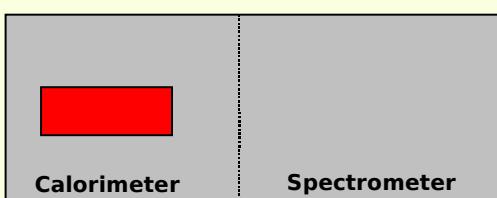
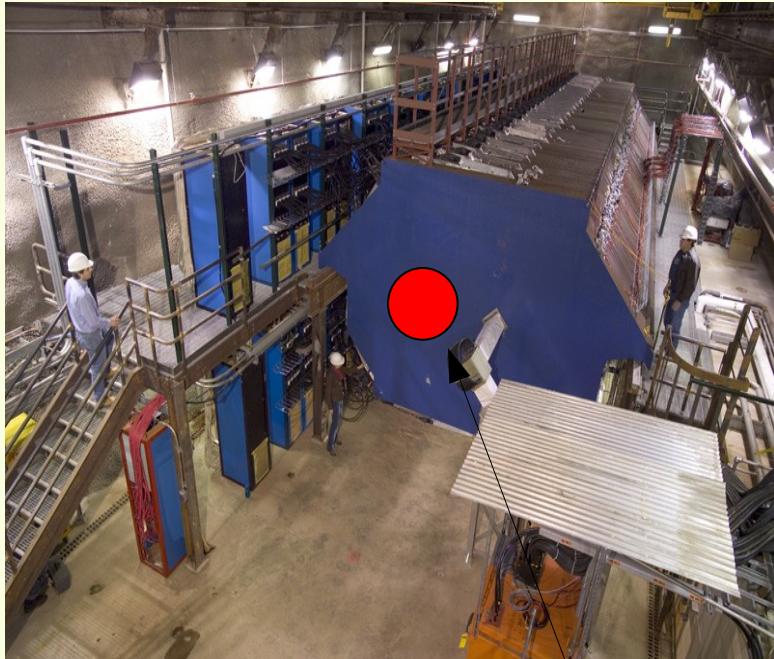
- atmospheric neutrinos (beam independent)
- sterile neutrinos (NC rate in far detector)
- CPT violation (anti- $\nu_\mu$ -beam)

- to reduce systematics: build two „identical“ detectors, a near one to monitor the beam (high rate), a far one to see the oscillation
- lack of money: „identical“ becomes „similar“
- both, **MINOS Near** and **MINOS Far** are steel/scintillator tracking calorimeters
  - magnetized (1.2T) 2.54cm thick iron plates
  - 800x4x1 cm plastic-scintillators



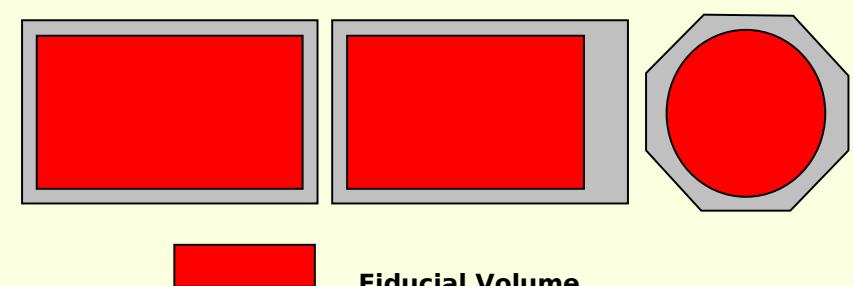
# MINOS - detector

## MINOS near detector



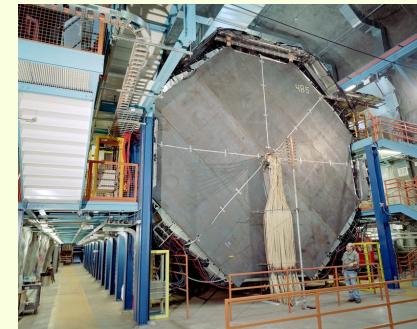
Fiducial Volume

## MINOS far detector



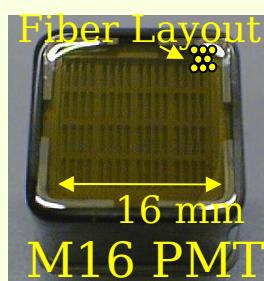
Fiducial Volume

# MINOS - detector



- 103m underground
- 0.9kt iron, 4x5x15m
- 282 steel, 153 scintillator planes
- 4x multiplexing behind plane 120
- Fast QIE<sup>1</sup> electronics (high rate, multi-neutrino events per spill)

- 705m underground (2100m W.E.)
- 5.4kt iron, 8x8x30m
- 484 steel/scintillator planes
- 8x multiplexing („bad“ multi-myron reco.)
- Slow electronics: preamplifier, shaper, sample-holder...



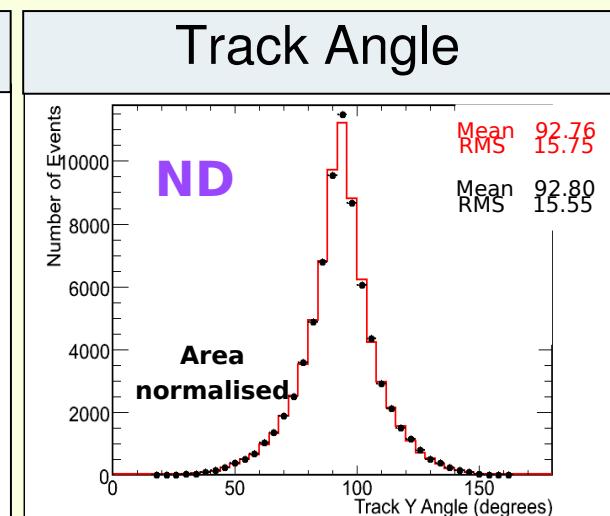
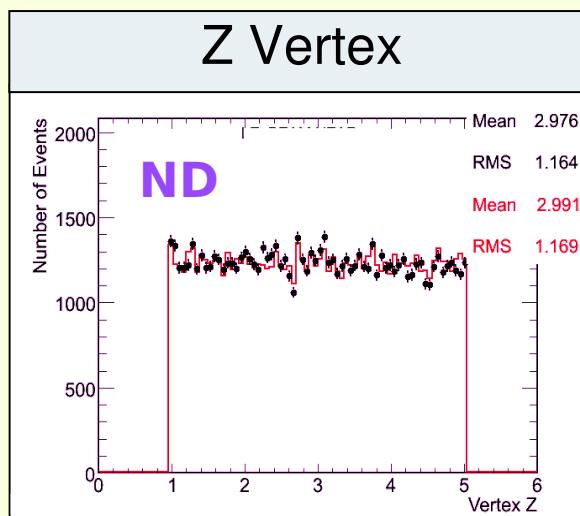
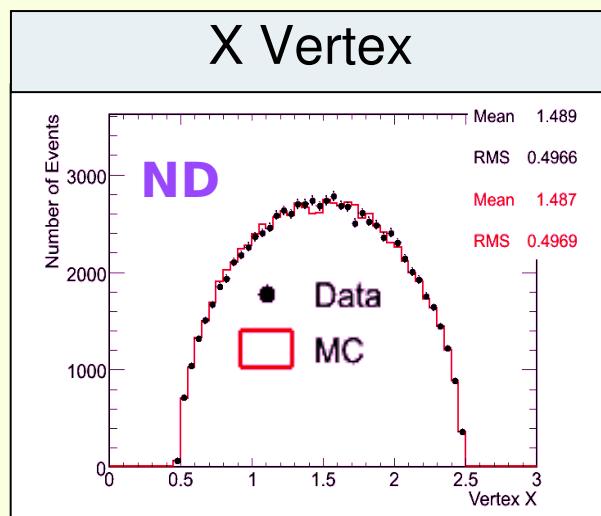
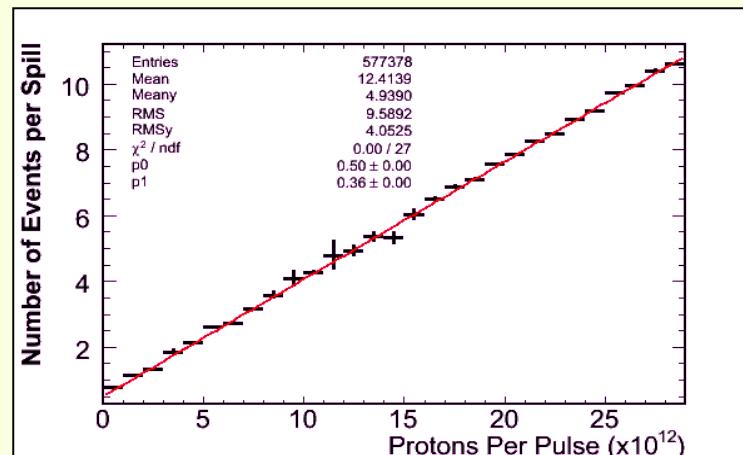
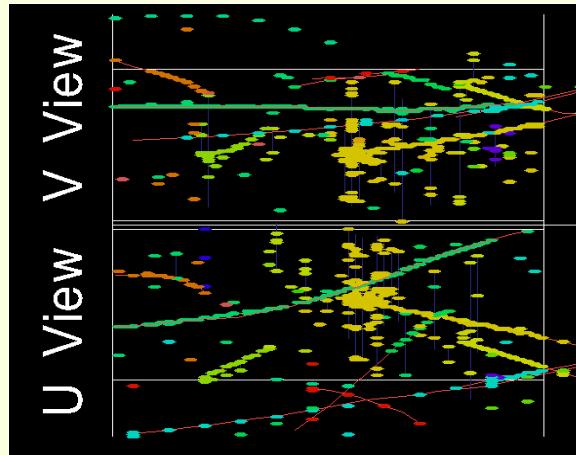
- alternate planes rotated by 90° (U: horizontal, V: vertical)
- both side readout, multipixel M16/M64 PMs, de-multiplexing
- GPS timestamp for FD/ND/Beam synchronisation and trigger
- continuous untriggered readout during spill
- interspersed light injection system for calibration

1) QIE: charge (Q) to current (I) encoder



# MINOS - detector

typical events(!) in MINOS near detector

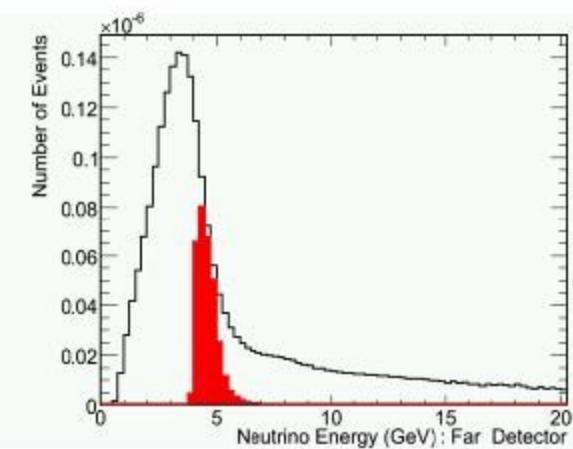
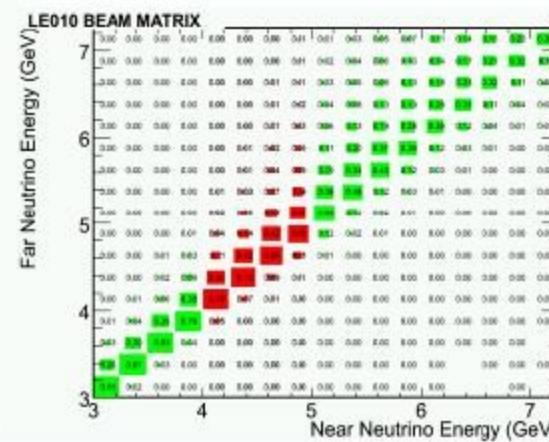
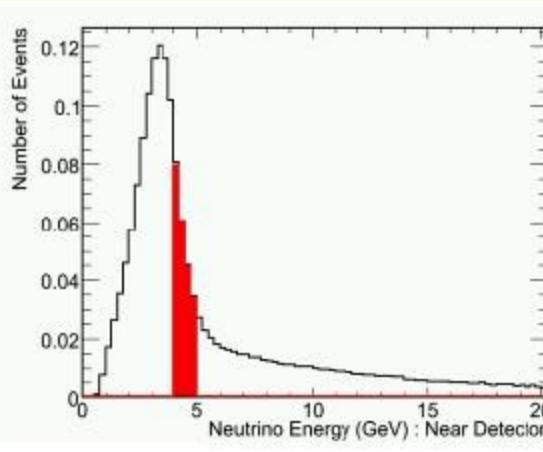


from: J. Nelson, Talk at Neutrino 2006, 2006

- the aim (for alle 2-detector experiments):

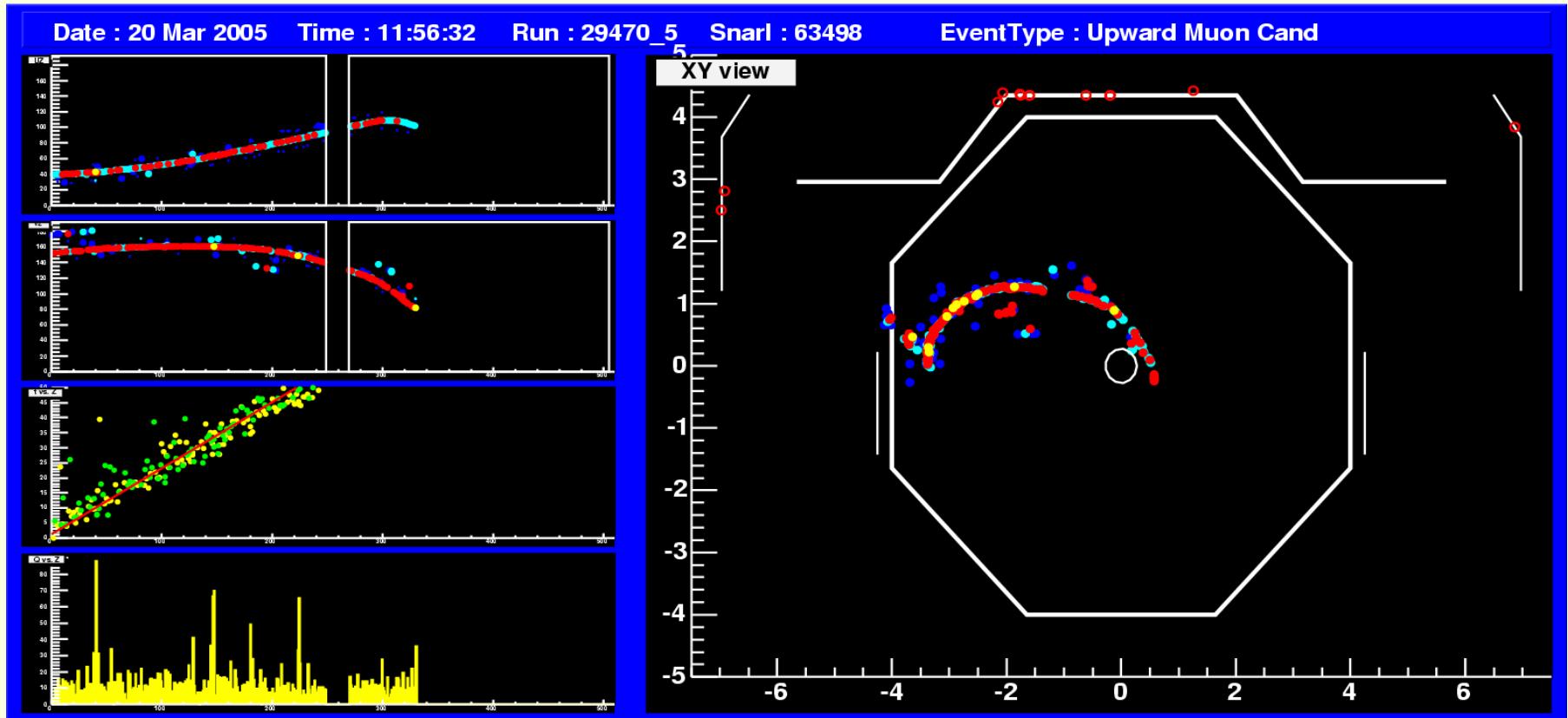
predict the unoscillated neutrino spectrum in the far detector from the near detector data...

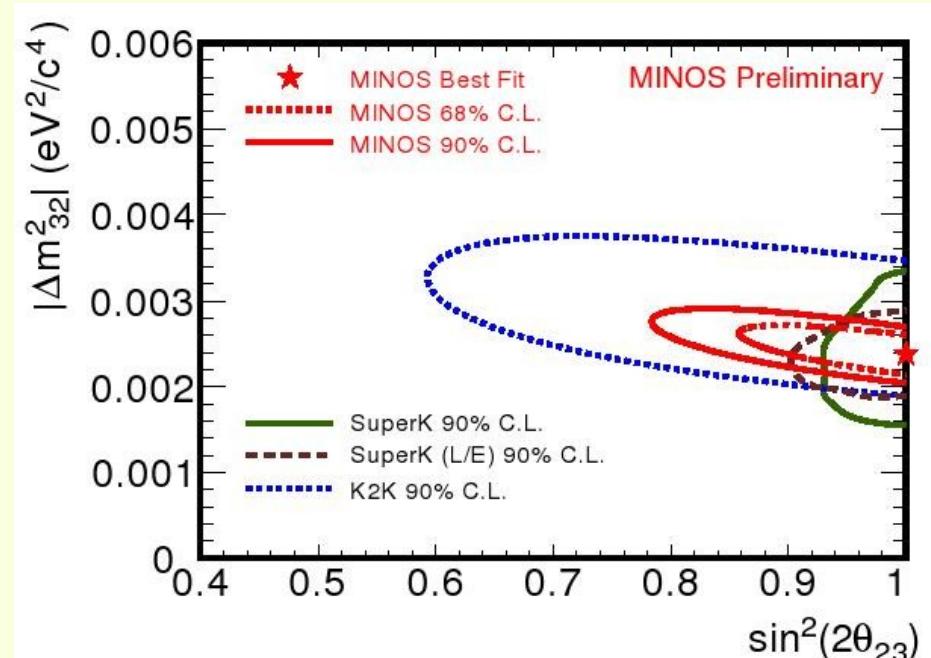
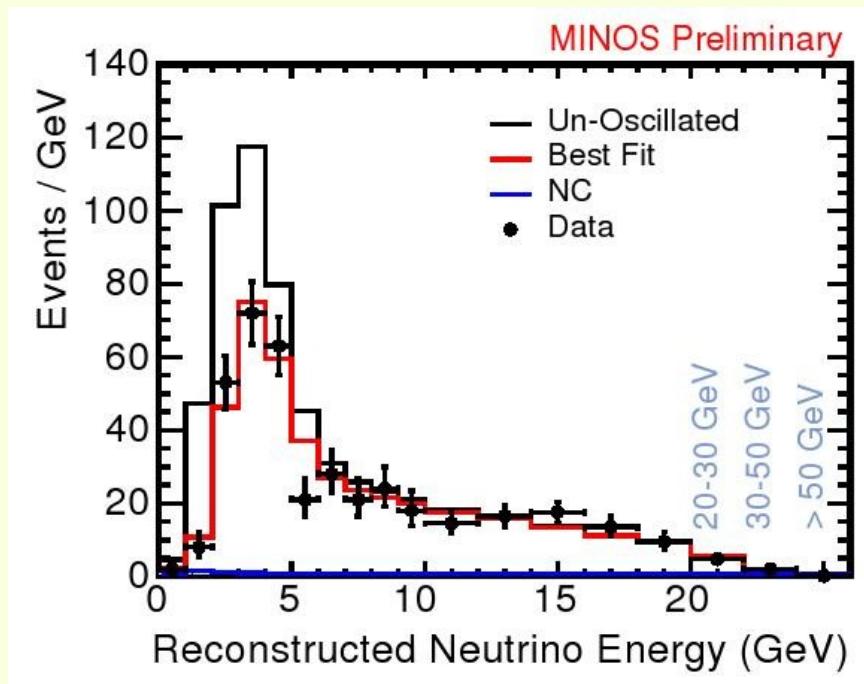
MINOS uses a „beam matrix method“:  
encode decay kinematics and beamline geometry to a matrix  
to transform ND energy spectrum to FD energy spectrum





## first event in MINOS far detector



preliminary result from  $2.50 \times 10^{20}$  potfrom: <http://arxiv.org/abs/0708.1495v2>, 2007



a not so typical neutrino experiment:  
**OPERA**  
in 5 minutes...



## Oscillation Project With Emulsion Tracking Apparatus



- CNGS  $\nu_\mu$ -beam  
(high energy)
- 1 detector
  - far: 732km away
    - neutrino oscillation
    - tau detection



## physics with OPERA – or with a specialised detector

- $\nu_\tau$ -appearance, CNGS beam above  $\tau$ -threshold

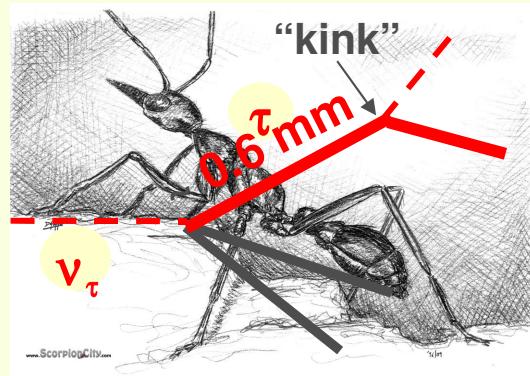
$$P(\nu_\mu \rightarrow \nu_\tau) \approx \sin^2(2\theta_{23}) \sin^2\left(\frac{1.27(\Delta m_{23}^2)L}{E_\nu}\right)$$

- $\nu_e$ -appearance

$$P(\nu_\mu \rightarrow \nu_e) \approx \sin^2(2\theta_{23}) \sin^2(2\theta_{13}) \sin^2\left(\frac{1.27(\Delta m_{13}^2)L}{E_\nu}\right)$$

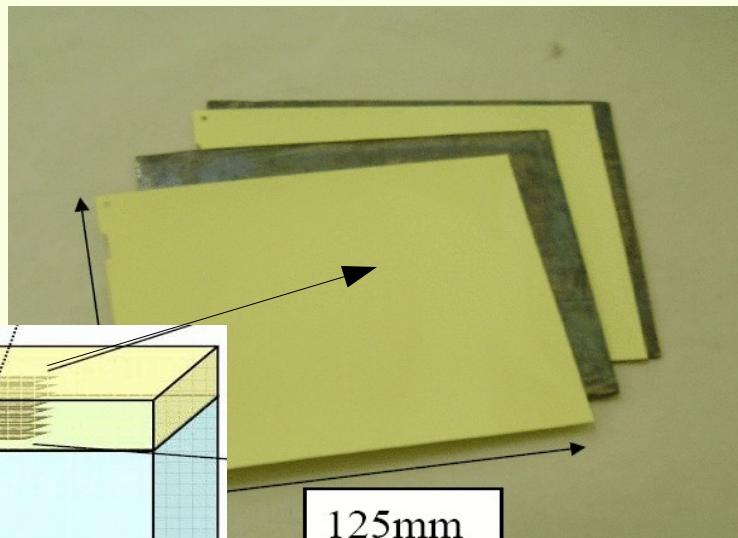
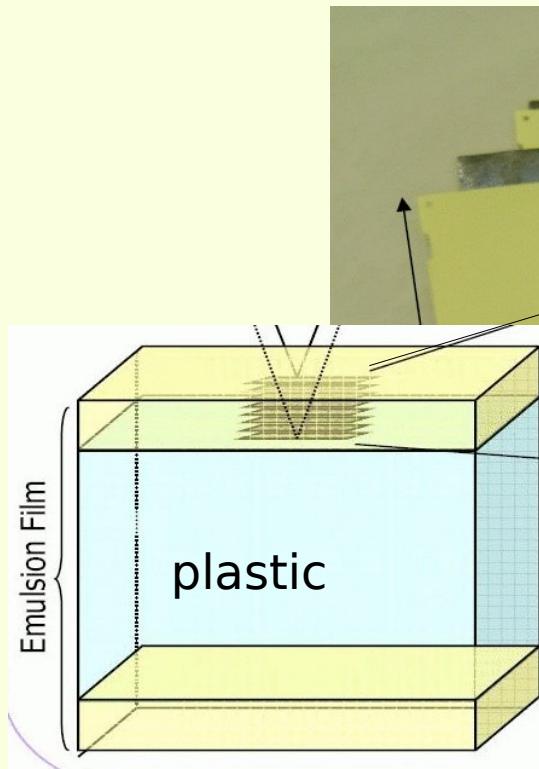
- atmospheric neutrinos (beam independent)
- sterile neutrinos (NC rate in far detector)
- rare events: muon emission from nuclei...

- to observe  $\tau$ -leptons from  $\nu_\tau$ -CC: spatial resolution  $\sim 10 \mu\text{m}$



- low eventrate: need high target mass (about 2000 tons)
  - only affordable detection principle that combines that:  
**Emulsion Cloud Chamber (ECC): lead-emulsion-sandwich**
    - high spatial resolution due to photo-emulsion
    - high mass due to interspaced lead layers
- But: ECC are passive – **need electronic detectors** for triggering, spectrometer, bgd. reduction...

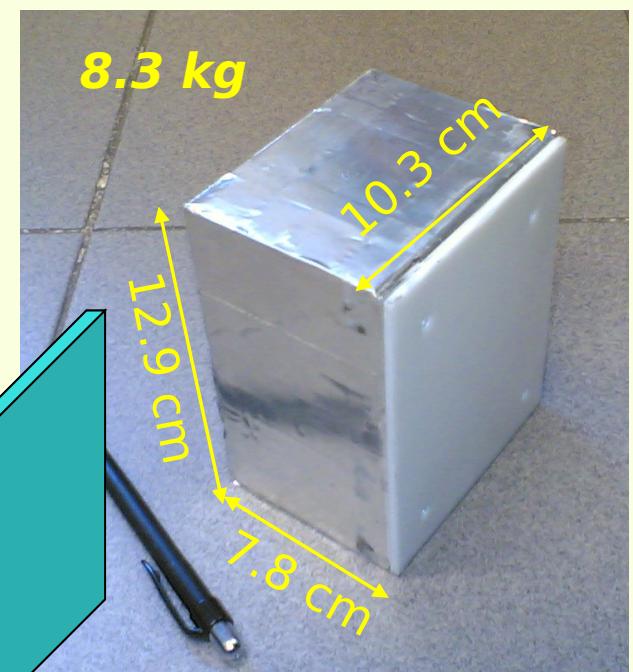
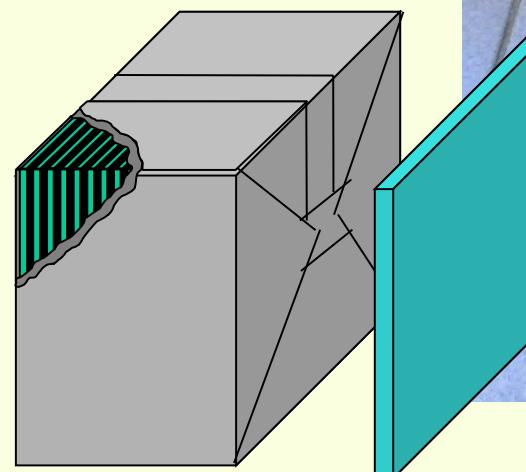
# OPERA – ECC principle



56 layers of lead (1mm)

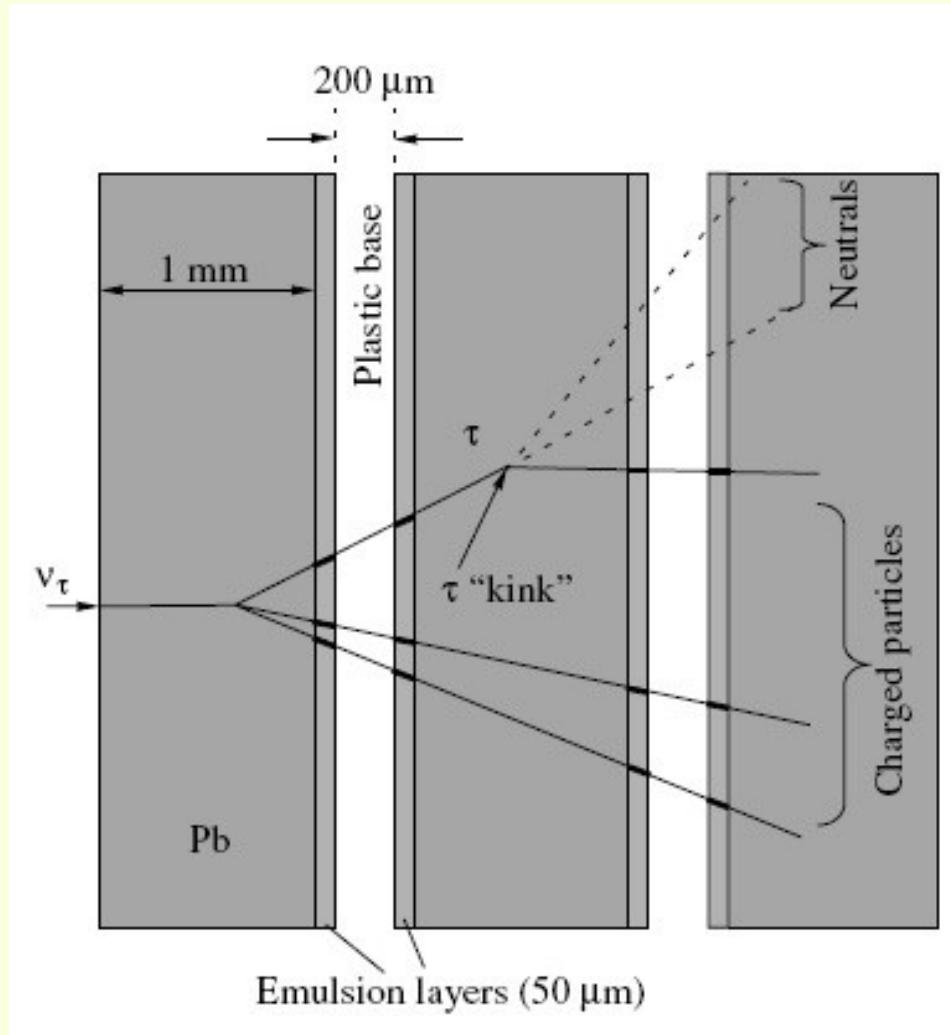
57 layers of plastic and photoemulsion (0.3mm)

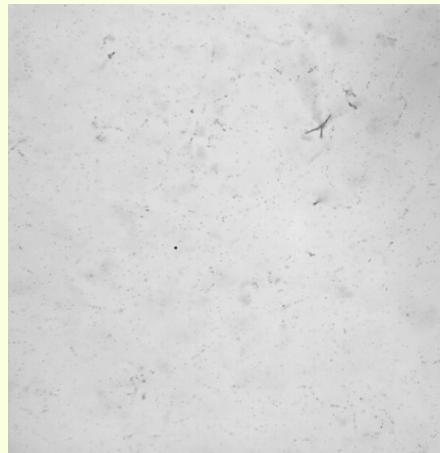
1 changeable sheet



**in total:  
about 200.000 bricks in  
OPERA detector...**

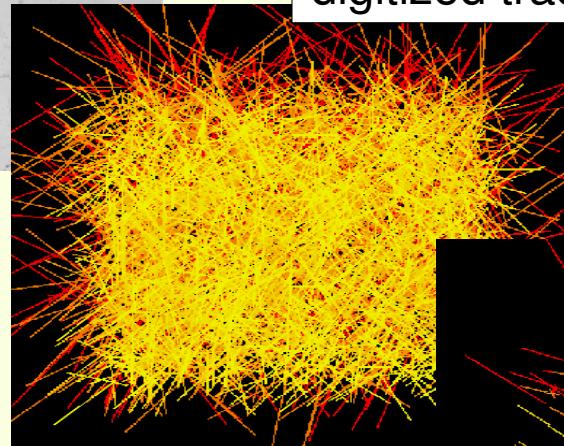
# OPERA – ECC principle



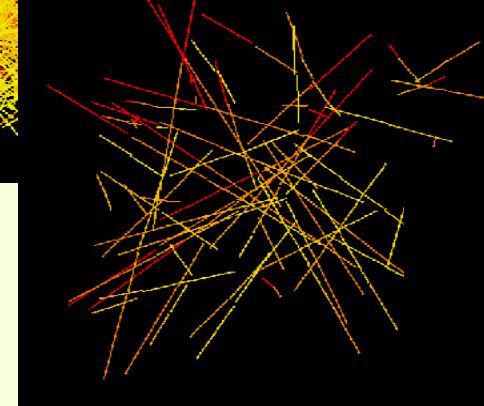


event taken from DONUT

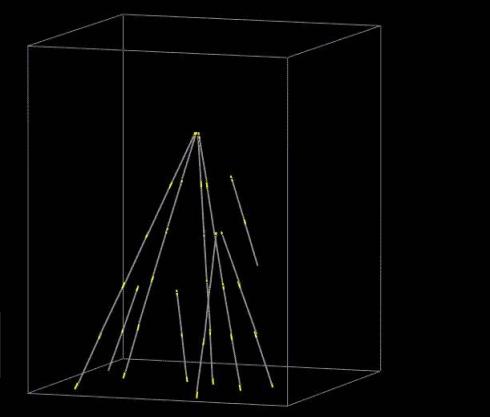
after development: automatic  
scan with microscopes in 8  
different focal depths per  
emulsion plane



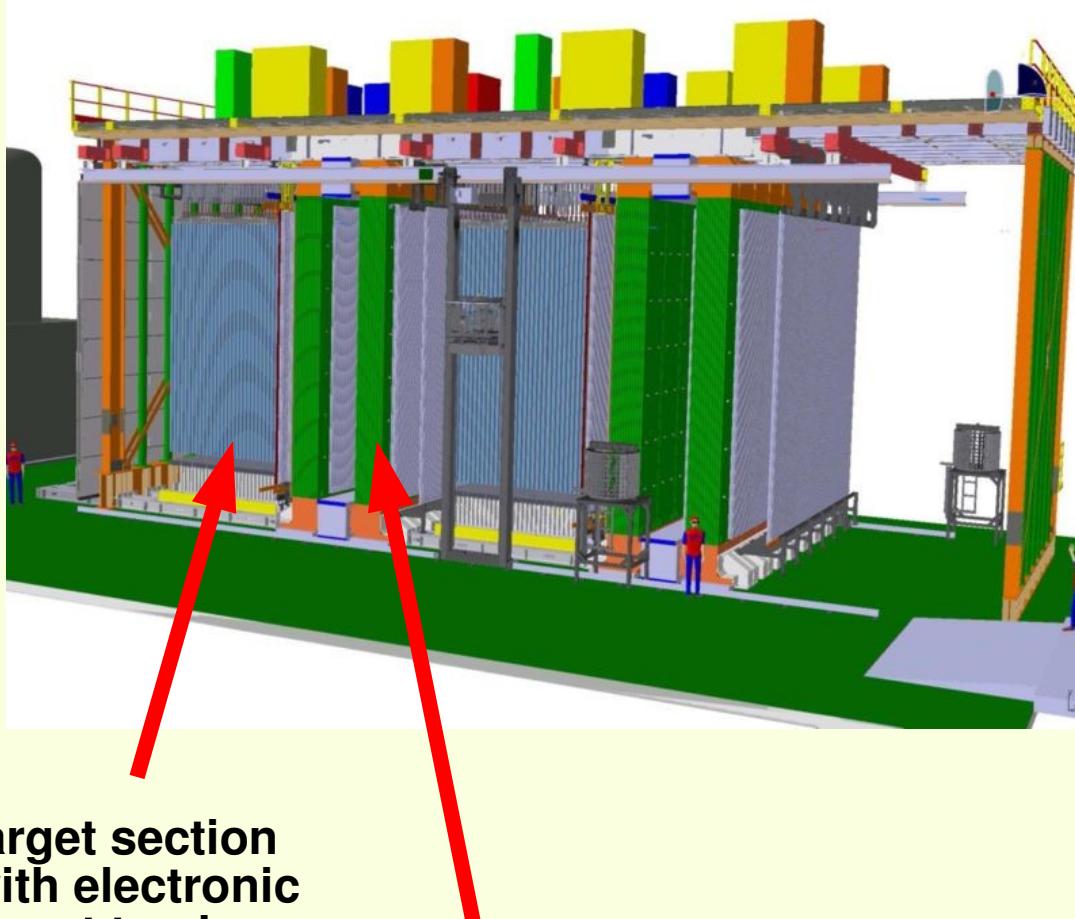
digitized tracks in all 8 scan layers



reject all passing through tracks



full analysis: 3D vertex



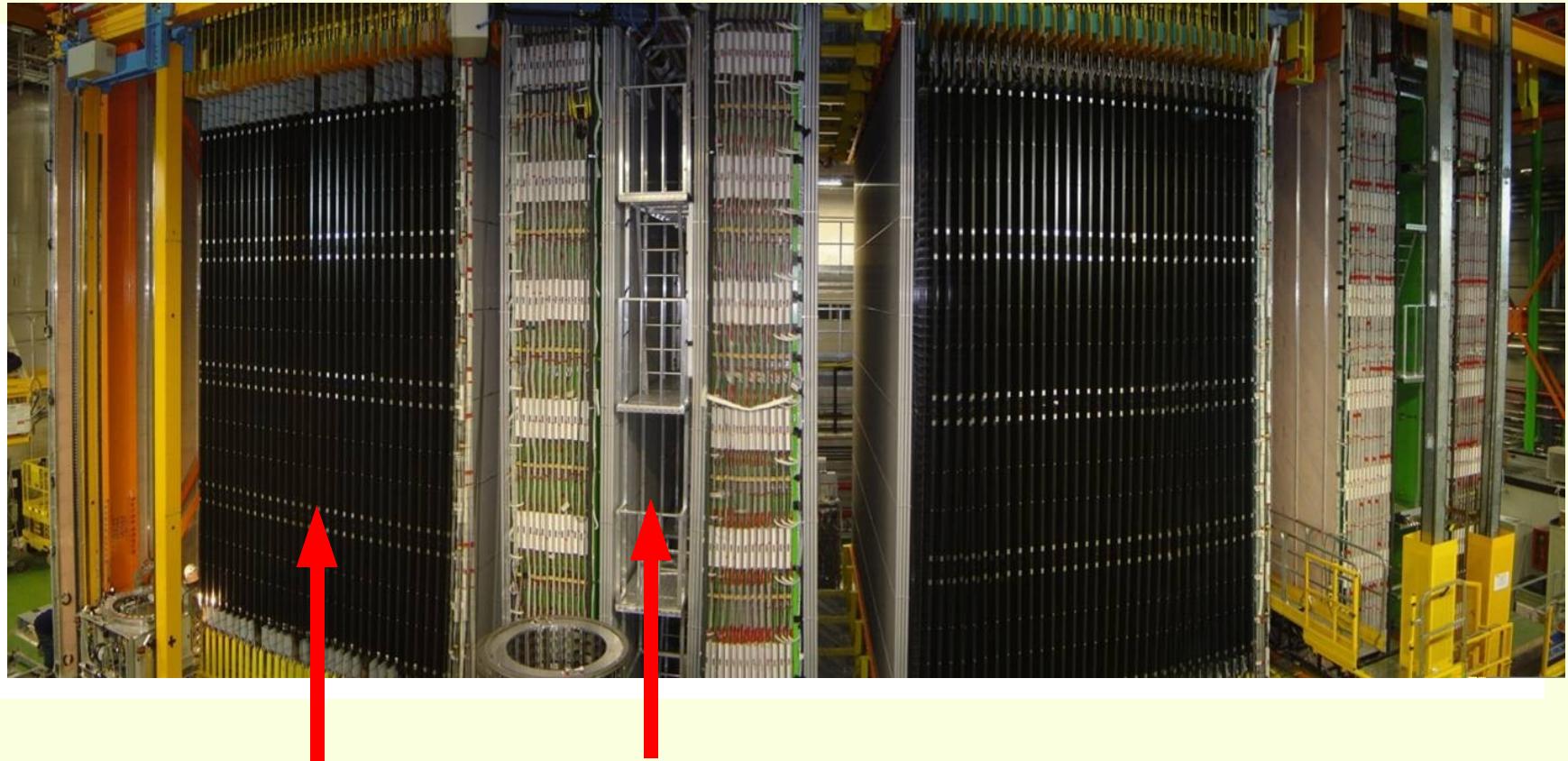
**target section  
with electronic  
target tracker**

**spectrometer:  
Magnet, HPT,  
RPC, XPC**

located in LNGS, italy:  
shielding of 1400 m rock  
(3300m water equivalent)

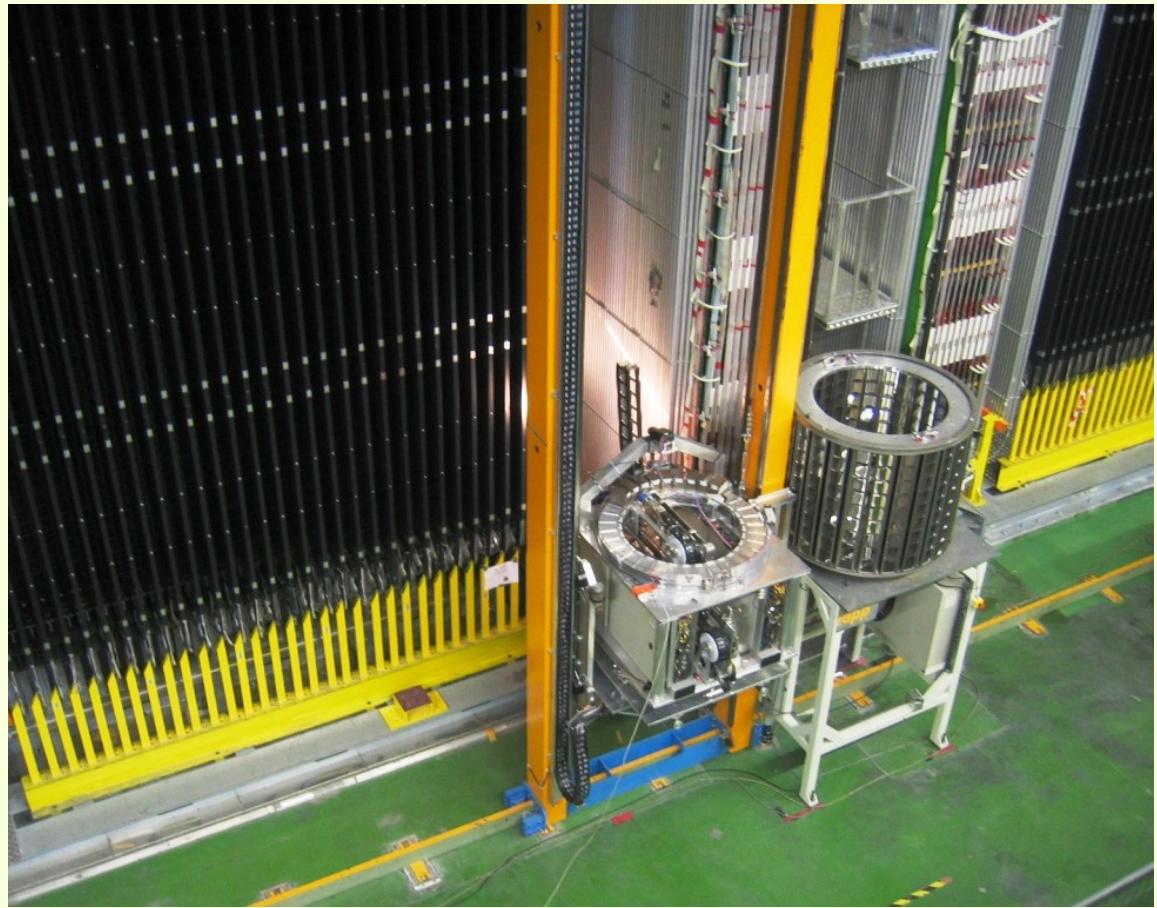
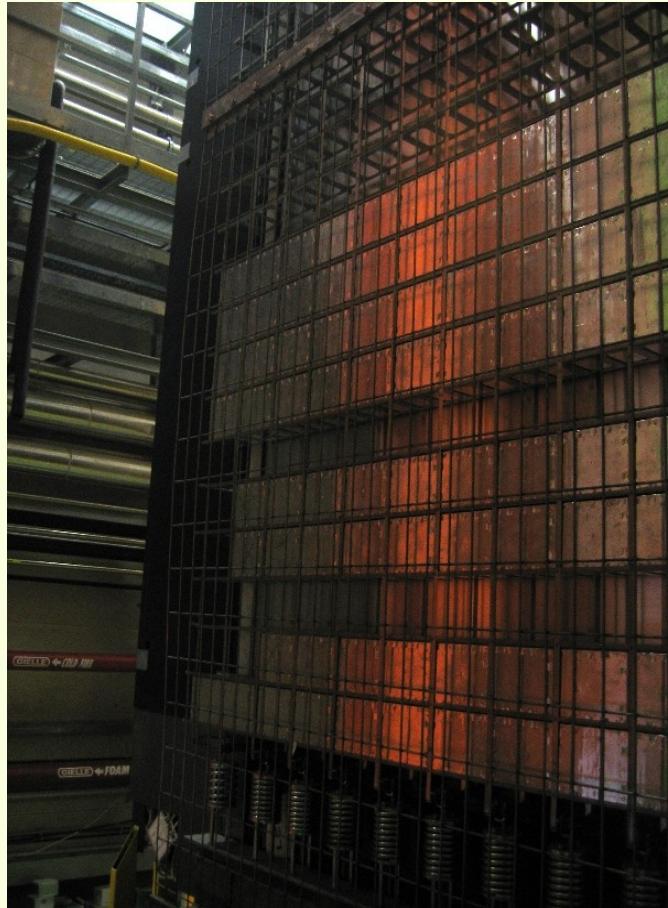
weight: about 2000 tons  
target, 5000 tons total  
size: 20x9x9m

hybrid-detector:  
- ECC for tau vertex  
- 2 large spectrometers with  
1.5T magnet field



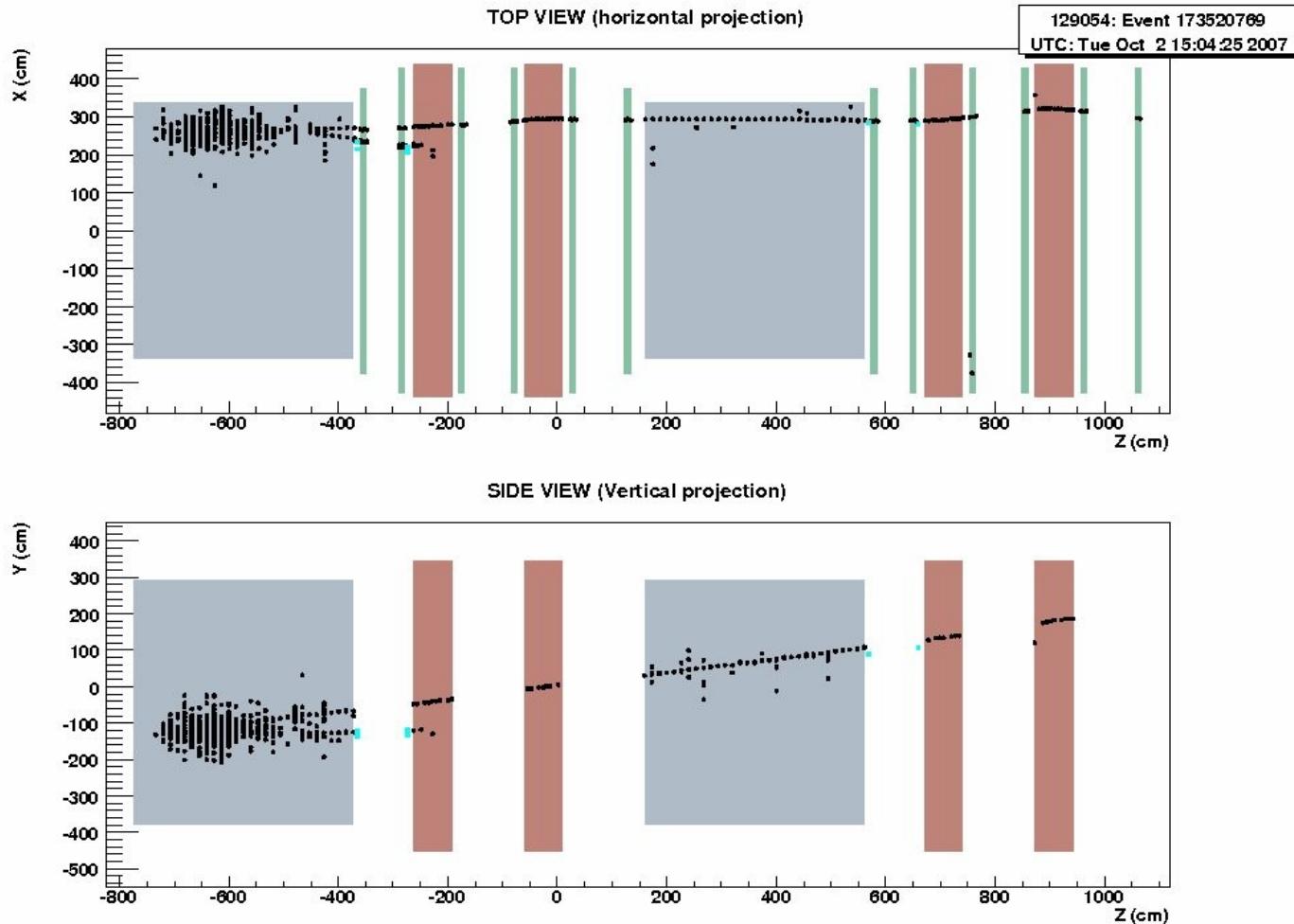
**target section  
with electronic  
target tracker**

**spectrometer:  
Magnet, HPT,  
RPC, XPC**



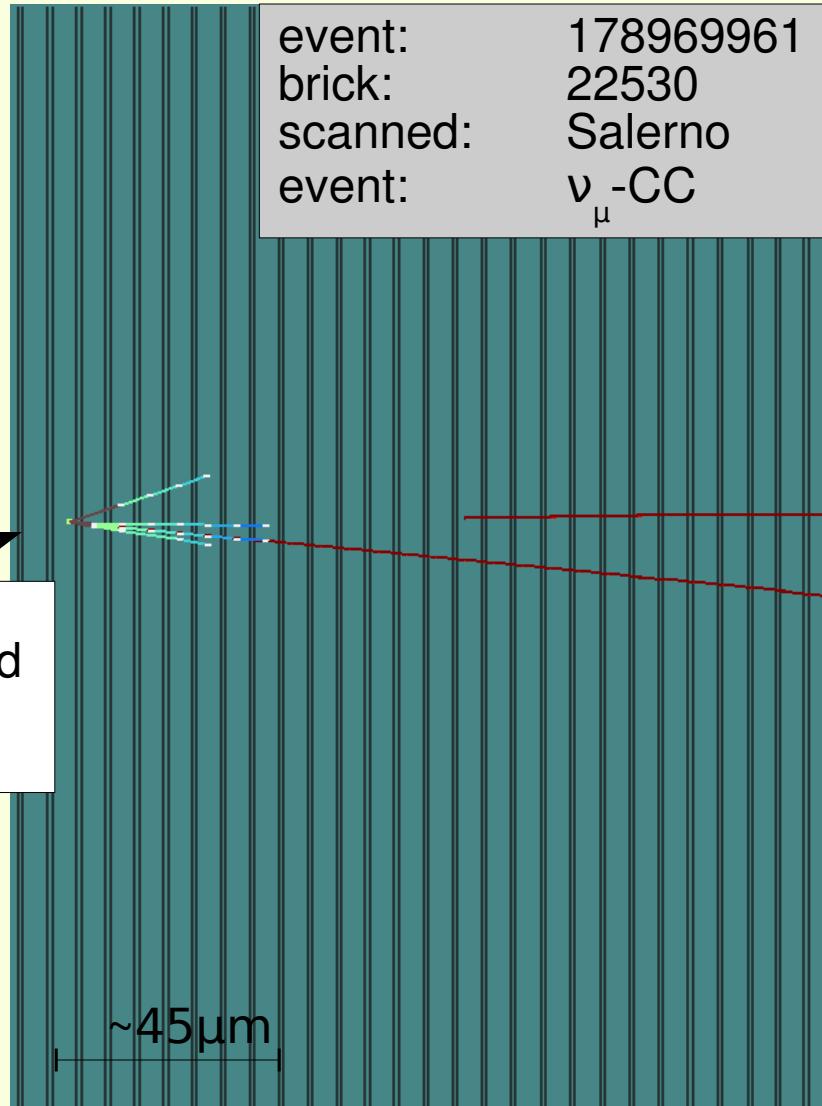


## electronic detectors





## emulsion

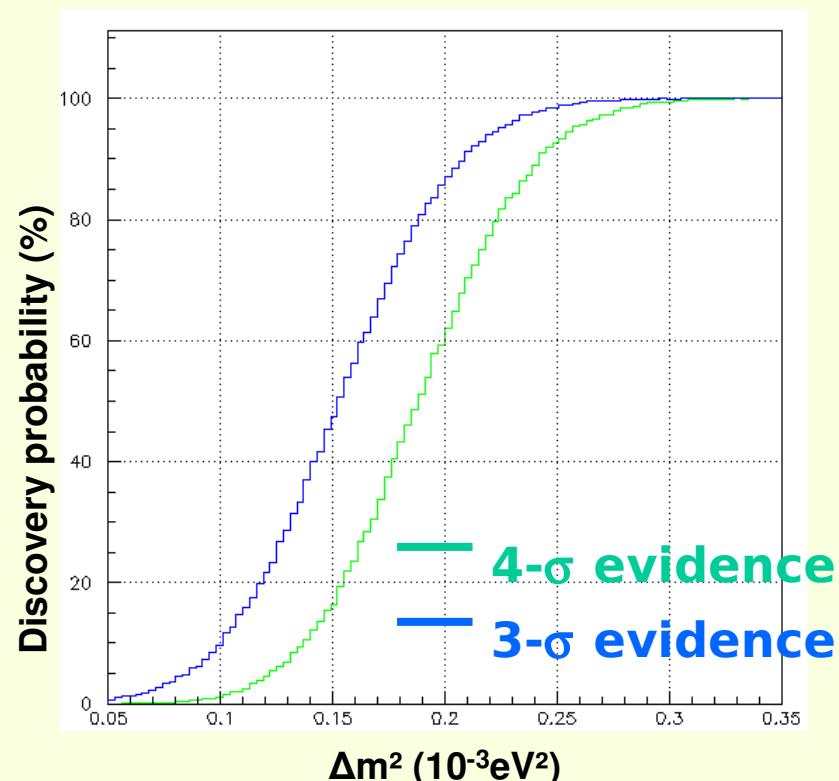


center of gravity extrapolation  
from shower (gamma  
conversion) starting plate 38

muon track

after 5 years nominal running and 25% reduced target mass  
 we expect about 30000  $\nu_\mu$  CC events

$\tau^-$ Decay	Signal $\div (\Delta m^2)^2$ - Full mixing		Background: Charm H. intera. Muon scat.
	$\Delta m^2 = 2.5 \times 10^{-3} \text{ eV}^2$	$\Delta m^2 = 3.0 \times 10^{-3} \text{ eV}^2$	
$\tau^- \rightarrow \mu^-$	2.9	4.2	0.17
$\tau^- \rightarrow e^-$	3.5	5.0	0.17
$\tau^- \rightarrow h^-$	3.1	4.4	0.24
$\tau^- \rightarrow 3h$	0.9	1.3	0.17
ALL	10.4	15.0	0.76





# conclusion



# conclusion

- conventional neutrino beams are challenging but under control, only two running long baseline beams worldwide
- neutrino cross sections and p-hadron interactions still under investigation, several experiments worldwide
- **MINOS** first high precision results will set the borders for future searches
- **OPERA** will confirm or exclude 3-flavor oscillation model



- next generation of neutrino oscillation experiments need monochromatic beams: off axis experiments on their way
  - **T2K** (Japan)
  - **NOνA** (USA)

precision experiments to extend search for  $\Theta_{13}$  and CP violation
- next to next generation experiments need much higher flux and purity:
  - **Neutrino Factories** ( $\mu$  storage rings)
  - **Beta Beams** ( $\beta$ -decaying ion storage rings)

use matter effects (very long baseline: 8000km) for highest precision



# END

Thanks for your attention!